

# Precision hyperon physics at BESIII



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11th Workshop on Hadron Physics in China and Opportunities Worldwide

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# Roadmap of CP violation in flavored hadrons

- In 1964, the first CPV was discovered in Kaon ;
- In 2001, CPV in B was established by two B-factories;
- In 2019, CPV discovered in D meson:  $10^{-4}$ ,  $10^8$  reconstructed D mesons (LHCb)
- All are consistent with CKM theory in the Standard model
- But no evidence was found in baryon system?

1980



James Watson Cronin

Val Logsdon Fitch

2008



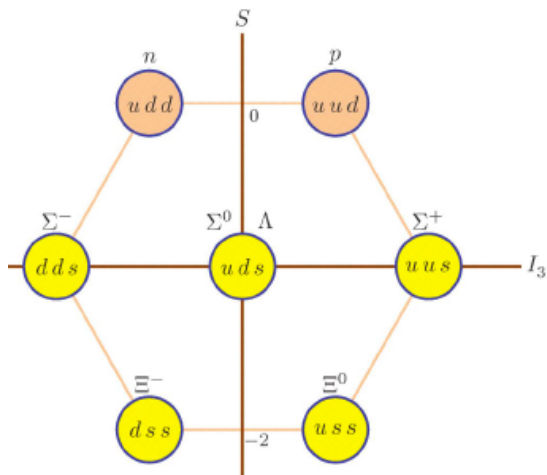
Baryon asymmetry of the Universe means that there must be non-SM CPV source.

# CPV in hyperon decays and New physics

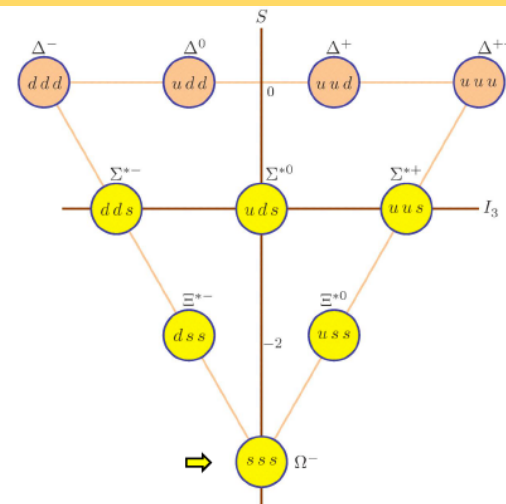
CPV in SM is small :

			# events	Experiments
B meson :	$\mathcal{O}(1)$	discovered (2001)	$10^3$	<b>B factory</b>
K meson :	$\mathcal{O}(10^{-3})$	discovered (1964)	$10^6$	<b>Fix targets</b>
D meson :	$\mathcal{O}(10^{-4})$	evidence(2019)	$10^8$	LHCb
Hyperon :	$\mathcal{O}(10^{-5})$	no evidence	$\mathcal{O}(10^8)$	<b>Fix targets</b> → BESIII ?

Flavor-SU(3) Octet of spin 1/2



Flavor-SU(3) Decuplet of spin 3/2



# Why Hyperon physics at BESIII?

10 billion  $J/\psi$  events collected

- Large BRs in  $J/\psi$  decays
- Quantum correlated pair productions
- Background free

[Hai-Bo Li, arXiv:1612.01775](#)

[A. Adlarson, A. Kupsc, arXiv:1908.03102](#)

Decay mode	$\mathcal{B}(\times 10^{-3})$	$N_B (\times 10^6)$	Detection	
			Efficiency	Number of reconstructed
$J/\psi \rightarrow \Lambda\Lambda$	$1.61 \pm 0.15$	$16.1 \pm 1.5$	40%	$3200 \times 10^3$
$J/\psi \rightarrow \Sigma^0 \bar{\Sigma}^0$	$1.29 \pm 0.09$	$12.9 \pm 0.9$	25%	$600 \times 10^3$
$J/\psi \rightarrow \Sigma^+ \bar{\Sigma}^-$	$1.50 \pm 0.24$	$15.0 \pm 2.4$	24%	$640 \times 10^3$
$J/\psi \rightarrow \Sigma(1385)^- \bar{\Sigma}^+$ (or c.c.)	$0.31 \pm 0.05$	$3.1 \pm 0.5$		
$J/\psi \rightarrow \Sigma(1385)^- \bar{\Sigma}(1385)^+$ (or c.c.)	$1.10 \pm 0.12$	$11.0 \pm 1.2$		
$J/\psi \rightarrow \Xi^0 \bar{\Xi}^0$	$1.20 \pm 0.24$	$12.0 \pm 2.4$	14%	$670 \times 10^3$
$J/\psi \rightarrow \Xi^- \bar{\Xi}^+$	$0.86 \pm 0.11$	$8.6 \pm 1.0$	19%	$810 \times 10^3$
$J/\psi \rightarrow \Xi(1530)^0 \bar{\Xi}^0$	$0.32 \pm 0.14$	$3.2 \pm 1.4$		
$J/\psi \rightarrow \Xi(1530)^- \bar{\Xi}^+$	$0.59 \pm 0.15$	$5.9 \pm 1.5$		
$\psi(2S) \rightarrow \Omega^- \bar{\Omega}^+$	$0.05 \pm 0.01$	$0.15 \pm 0.03$		

# Advantage at $e^+e^-$ machine

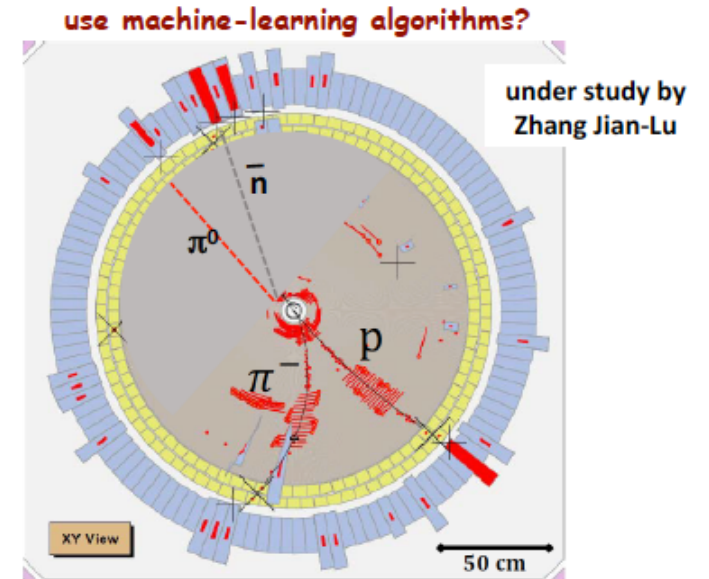
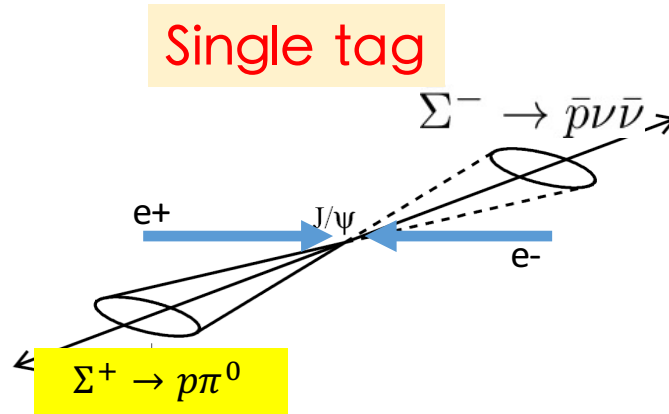
Known initial 4-momentum

Strongly boosted

Substantial polarization

Decay with neutron &  $\pi^0$

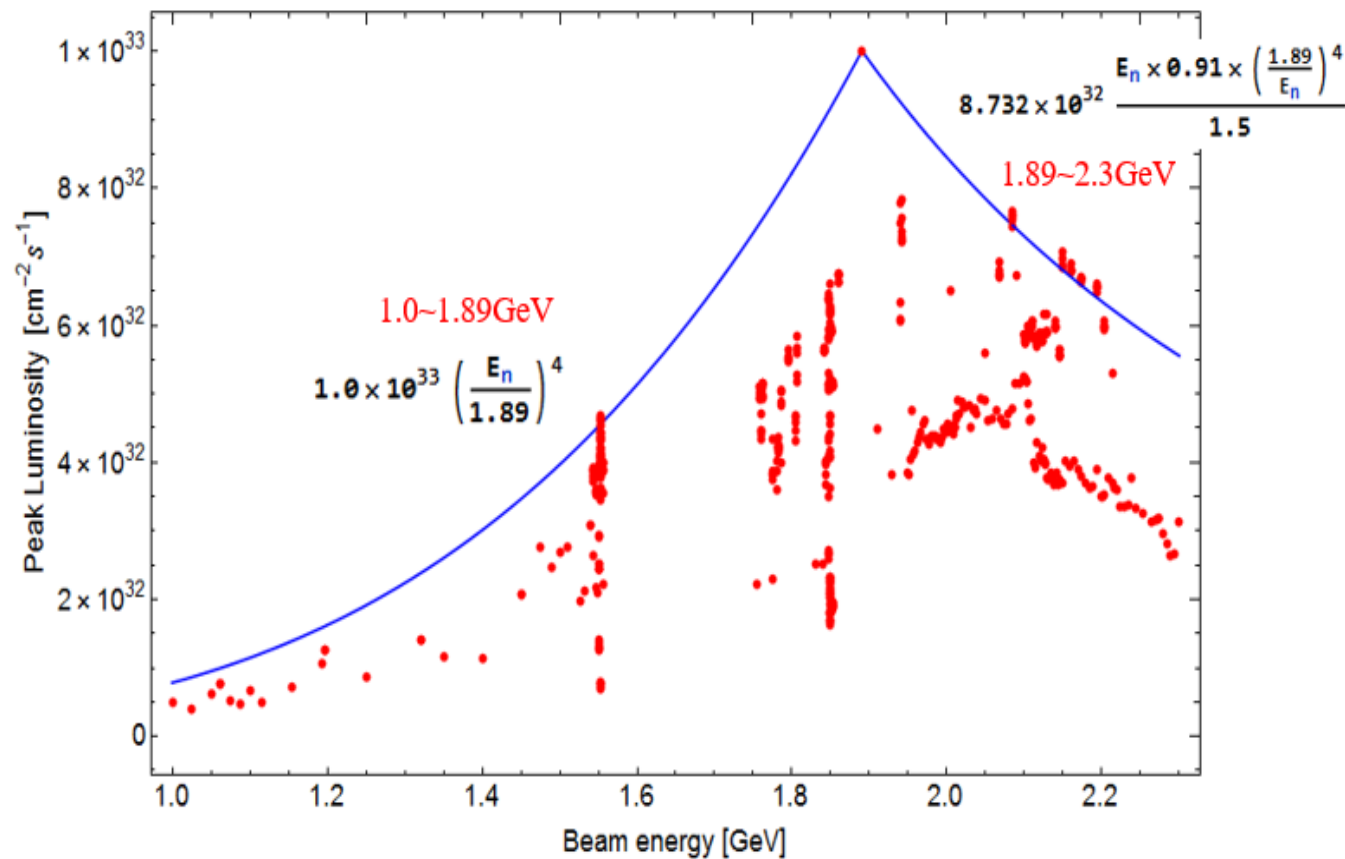
Decay with invisibles



Both hyperons can be reconstructed, and the systematic uncertainties are under control.

# BEPCII luminosity optimized for $\psi(3770)$ running

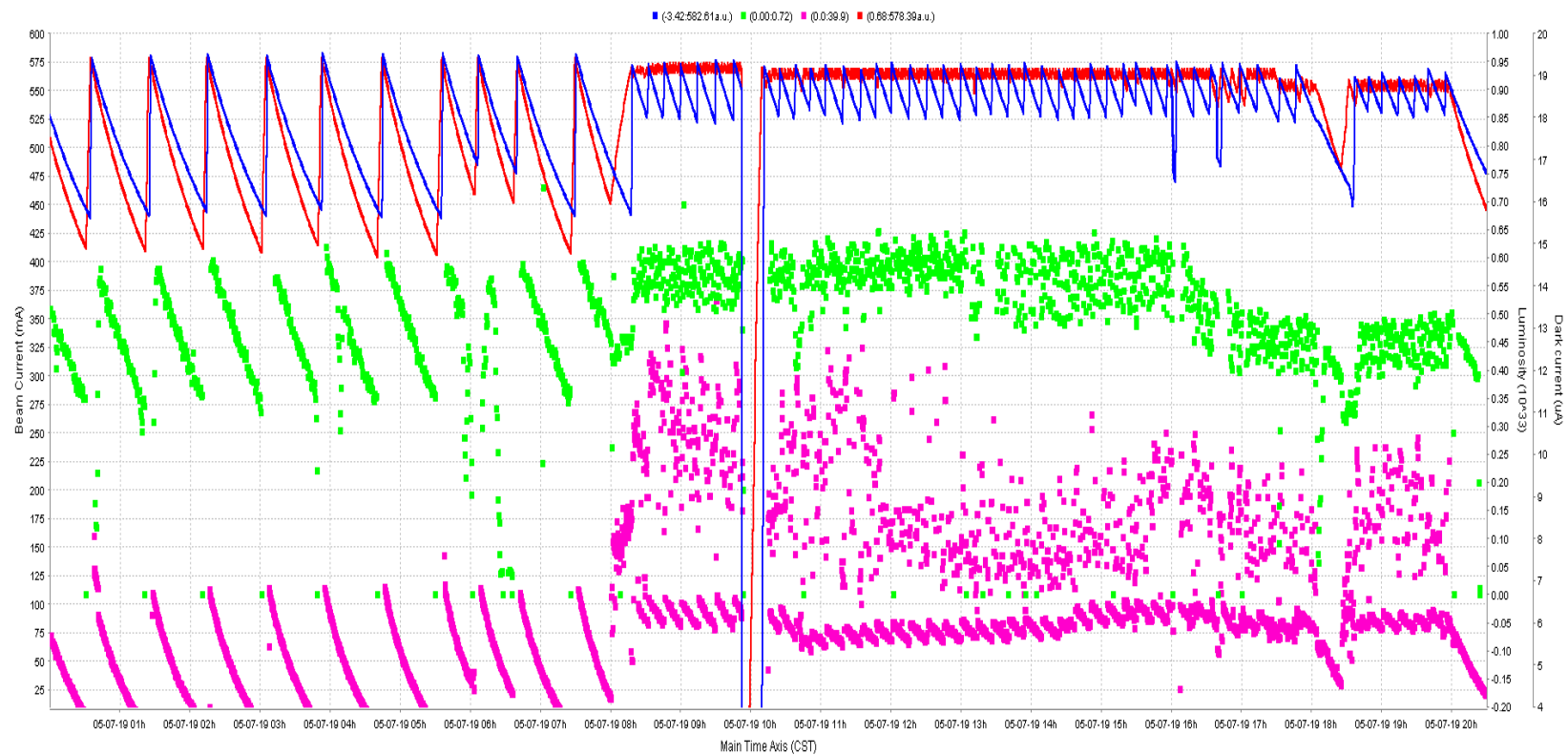
A factor of 2 gain for lattice optimized at J/ $\psi$  running



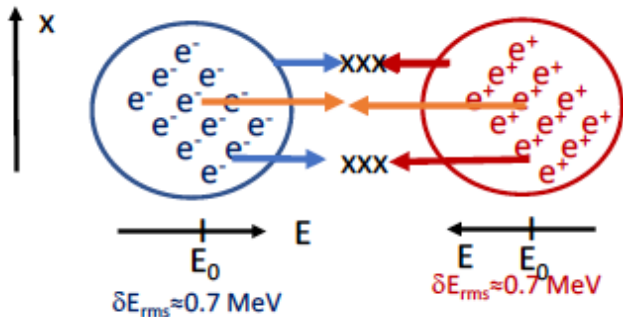
# Gain on integrated luminosity from “Topup” injection

12 injections every 12 hours

20% gain on the integrated luminosity

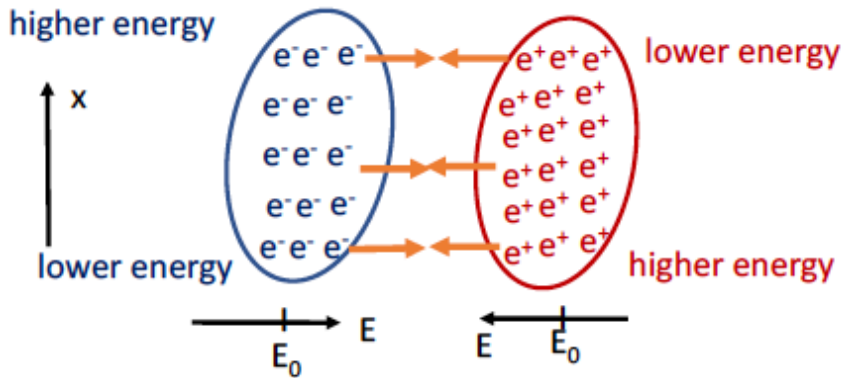


# Monochromatic collision: factor of 10 from reduction of $e^+e^-$ CM spread

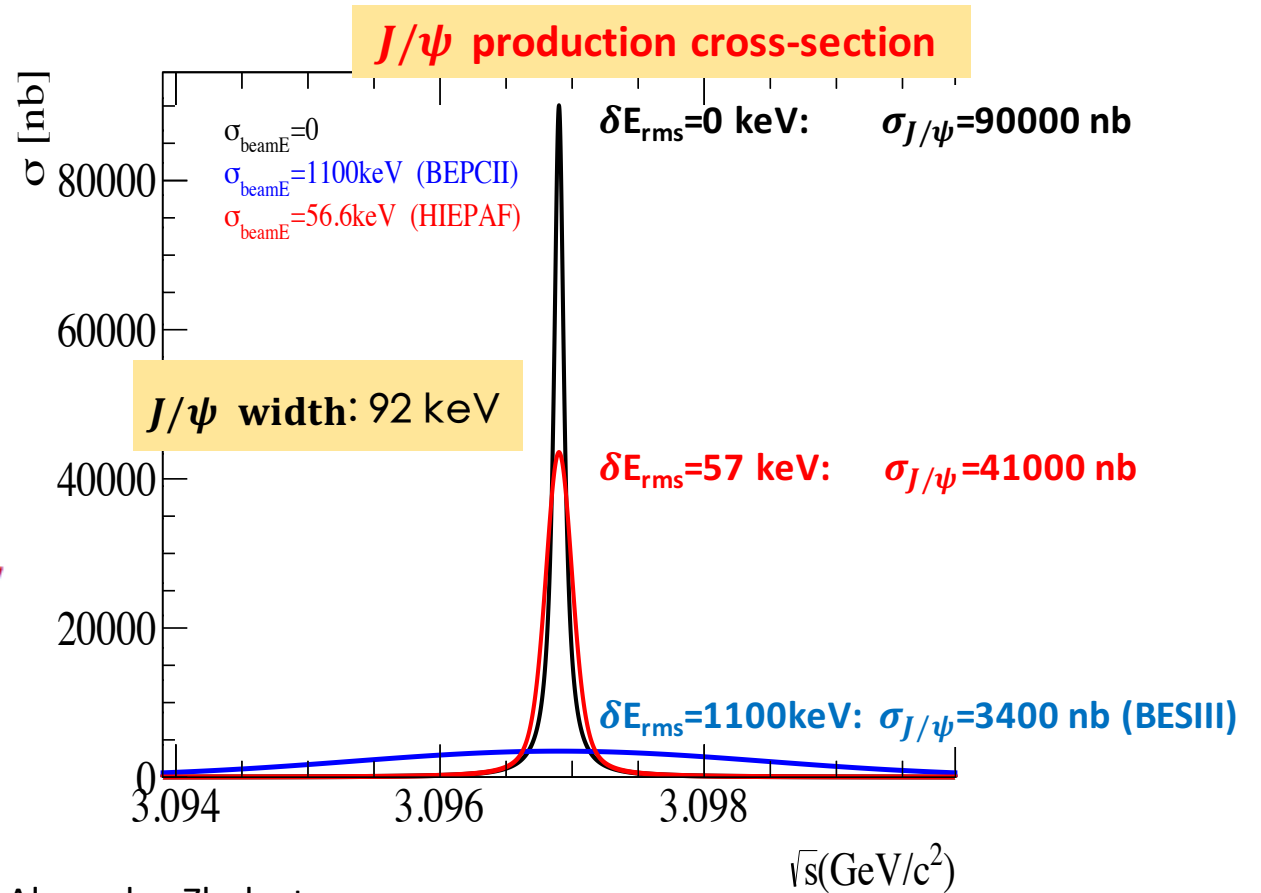


only  $e^+e^-$  pairs with  $E_{cm} = 3096 \pm 0.14$  MeV can produce a  $J/\psi$ ,  $\sim 1/30^{\text{th}}$  of the total

introduce dispersion



more  $e^+e^-$  pairs with  $E_{cm} = 3096 \pm 0.14$  MeV



Alexander Zholents  
CERN SL/92-27/AP



## Future $J/\psi$ factory

BESIII collected  
10 billion  $J/\psi$



Current technology “Topup”  $\times 2$  +  
“improved technology “monochromatic collision”  $\times 10$  +  
Someday with new facility ( $J/\psi$  factory)  $\times 100$



$10^{13}$   $J/\psi$  per year at a super  $J/\psi$  factory



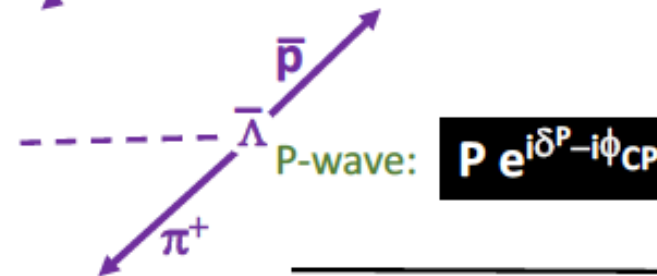
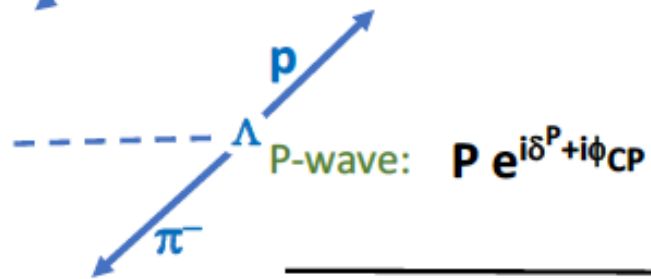
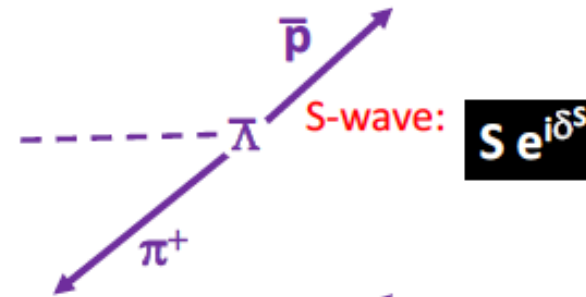
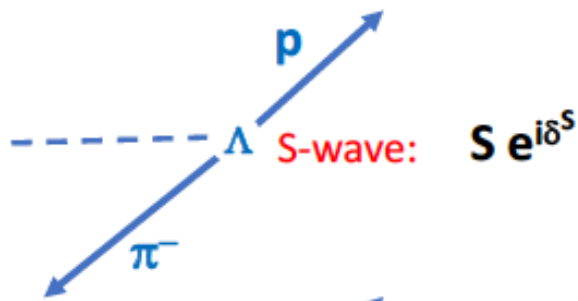
**10 Billions of hyperon pairs produced**  
**Billion of hyperon pairs reconstructed**  
**CPV:  $10^{-4}$  –  $10^{-5}$**

**Challenge the SM**

# Example CPV in $\Lambda \rightarrow p\pi^-$ ( $\bar{\Lambda} \rightarrow p\pi^+$ )

-- assume CPV is in P-wave --

From S. L. Olsen



$$e^{-i\delta^S} (S + P e^{i(\delta^P - \delta^S) + i\phi_{CP}})$$

or  $(\Delta_s = \delta^P - \delta^S)$

$$e^{-i\delta^S} (S + P e^{i\Delta_s + i\phi_{CP}})$$

$$e^{-i\delta^S} (S + P e^{i\Delta_s - i\phi_{CP}})$$

# $\alpha, \beta$ and $\gamma$ parameters for hyperon decays

1957



Chen Ning Yang



Tsung-Dao Lee

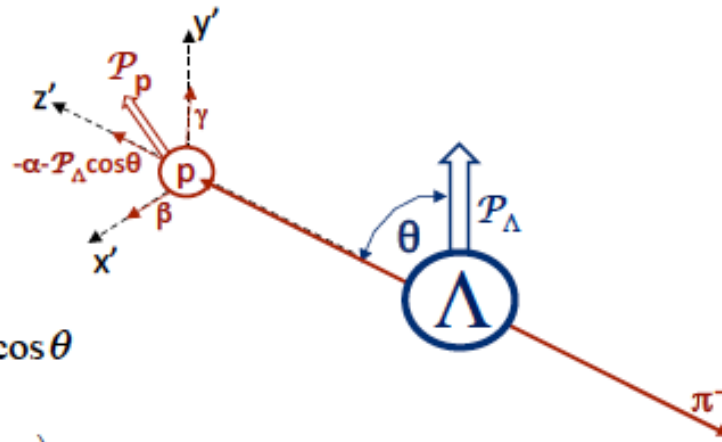
Phys. Rev. 108 1645 (1957)

## General Partial Wave Analysis of the Decay of a Hyperon of Spin $\frac{1}{2}$

T. D. LEE\* AND C. N. YANG

Institute for Advanced Study, Princeton, New Jersey

(Received October 22, 1957)



$$\frac{d\Gamma}{d\cos\theta} \propto 1 + \alpha P_\Lambda \cos\theta$$

$$P_p = \frac{(\alpha + P_\Lambda \cos\theta)\bar{z}' + \beta P_\Lambda \bar{x}' + \gamma P_\Lambda \bar{y}'}{1 + \alpha P_\Lambda \cos\theta}$$

$$\Lambda \rightarrow p\pi^-, \Sigma^+ \rightarrow p\pi^0$$

$$\bar{S} = -\sum_i S_i e^{i(\delta_i^S - \phi_i^S)},$$

$$\bar{P} = \sum_i P_i e^{i(\delta_i^P - \phi_i^P)}.$$

$$\alpha = \frac{2\text{Re}(S^* P)}{|S|^2 + |P|^2}$$

$$\beta = \frac{2\text{Im}(S^* P)}{|S|^2 + |P|^2}$$

$$\gamma = \frac{|S|^2 - |P|^2}{|S|^2 + |P|^2}$$

$$\alpha^2 + \beta^2 + \gamma^2 = 1$$

CP asymmetry  $A = \frac{\alpha + \bar{\alpha}}{\alpha - \bar{\alpha}}, B = \frac{\beta + \bar{\beta}}{\beta - \bar{\beta}}.$

# CPV observables

**Sandip  
PAKVASA**



hep-ph/991023v1  
hep-ph/0002210

From S. L. Olsen

**decay rate  
difference**

$$\Delta\Gamma = \frac{\Gamma_{\bar{p}\pi^+} - \Gamma_{p\pi^-}}{\Gamma} \approx \sqrt{2} \left( \frac{T_{3/2}}{T_{1/2}} \right) \sin\Delta_S \sin\phi_{CP}$$

←  $T_{3/2(1/2)}$ : Ispin=3/2 (1/2) ampl &  $\Delta_S = \delta_{3/2} - \delta_{1/2}$

**decay  
asymmetry  
difference**

$$\alpha_{\mp} = \pm \frac{2\text{Re}(S^*P)}{|S|^2 + |P|^2} = \pm \frac{2|S||P|\cos(\Delta_S \pm \phi_{CP})}{|S|^2 + |P|^2}$$

$$\Delta\alpha = \frac{\alpha_- + \alpha_+}{\alpha_- - \alpha_+} = \frac{\sin\Delta_S \sin\phi_{CP}}{\cos\Delta_S \cos\phi_{CP}} = \tan\Delta_S \tan\phi_{CP}$$

← for  $\Lambda \rightarrow p\pi$ , need measurement of  $\Delta_S = \delta_S - \delta_p$

$$\beta_{\mp} = \pm \frac{2\text{Im}(S^*P)}{|S|^2 + |P|^2} = \pm \frac{2|S||P|\sin(\Delta_S \pm \phi_{CP})}{|S|^2 + |P|^2}$$

**final-state  
polarization  
difference**

$$\Delta\beta = \frac{\beta_- + \beta_+}{\alpha_- - \alpha_+} = \frac{\cos\Delta_S \sin\phi_{CP}}{\cos\Delta_S \cos\phi_{CP}} = \tan\phi_{CP}$$

$$\frac{\beta_- - \beta_+}{\alpha_- - \alpha_+} = \frac{\sin\Delta_S \cos\phi_{CP}}{\cos\Delta_S \cos\phi_{CP}} = \tan\Delta_S$$

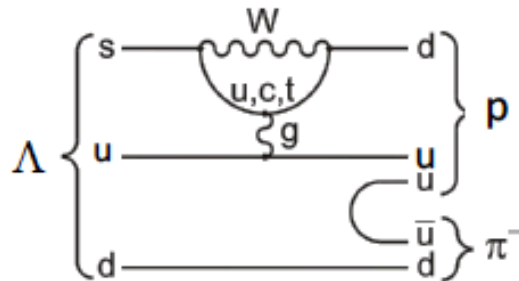
← strong phase cancels out

← measures the strong phase

only practical  
in BESIII for  
 $\Xi \rightarrow \Lambda\pi$  or  $\Omega^- \rightarrow \Lambda K$

# Constraints from Kaon decays

He & Valencia PRD 52, 5257

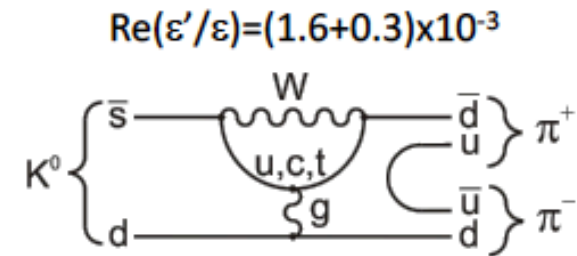


S- and P-waves  
(parity violating  
& conserving)

$\Lambda \rightarrow p\pi^-$	$A_{NP}$
S-wave	$<6 \times 10^{-5}$
P-wave	$<3 \times 10^{-4}$

parity violating  
parity conserving

$$A_{SM} \sim 10^{-5}$$

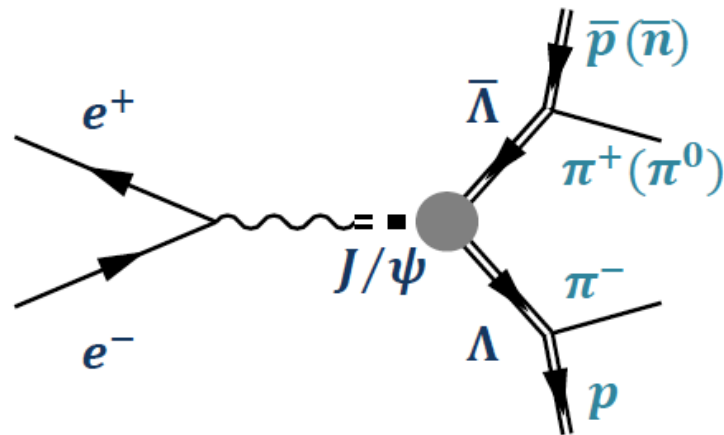


$$\text{Re}(\epsilon'/\epsilon) = (1.6 \pm 0.3) \times 10^{-3}$$

S-wave only  
(parity violating)

**CPV measurement in Kaon system strongly constrains NP in S-waves, but no P-waves. Thus, searches of CPV in hyperon are complementary to those with Kaons.**

# Entangled hyperon pairs



Kang, Li, Lu, Phys.Rev. D81 (2010) 051901

$$|\Lambda\bar{\Lambda}\rangle^{C=-1} = \chi_1 \frac{1}{\sqrt{2}} [|\Lambda\rangle|\bar{\Lambda}\rangle - |\bar{\Lambda}\rangle|\Lambda\rangle],$$

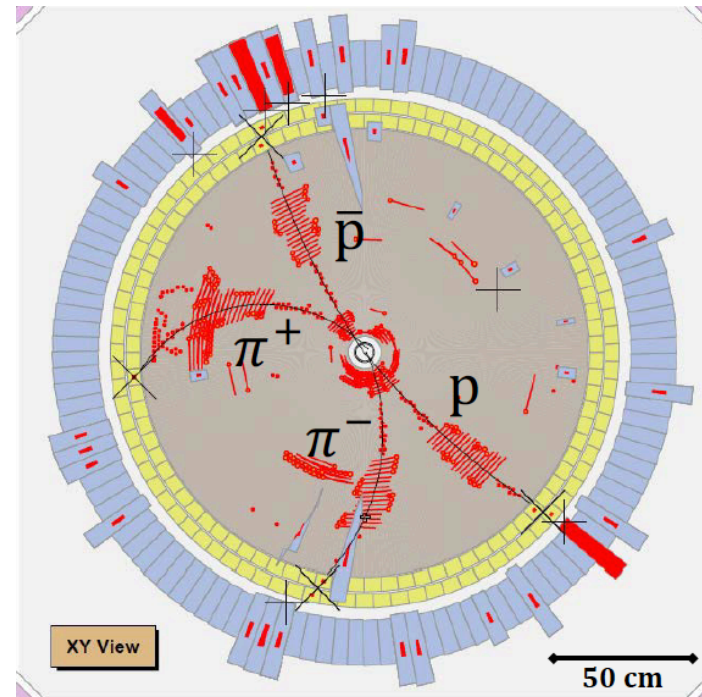
To determine parameters:

$$\alpha(\Lambda \rightarrow p\pi^-) = \alpha_-$$

$$\alpha(\bar{\Lambda} \rightarrow \bar{p}\pi^+) = \alpha_+$$

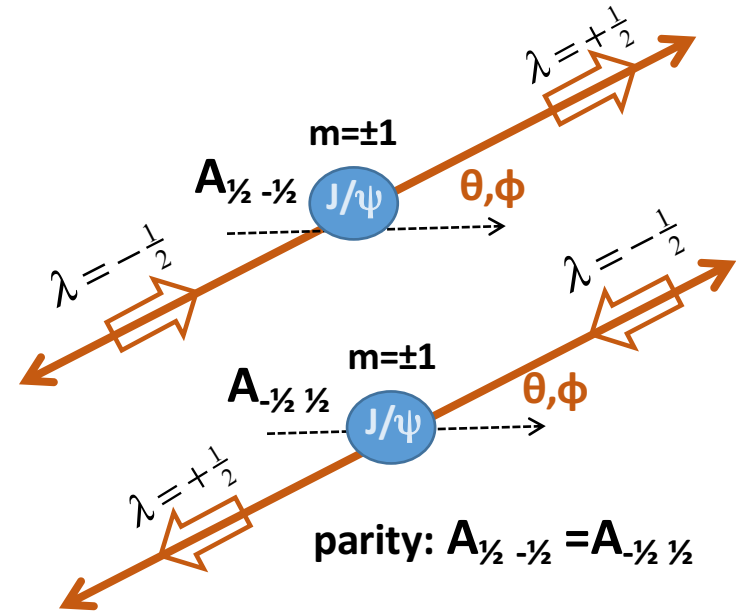
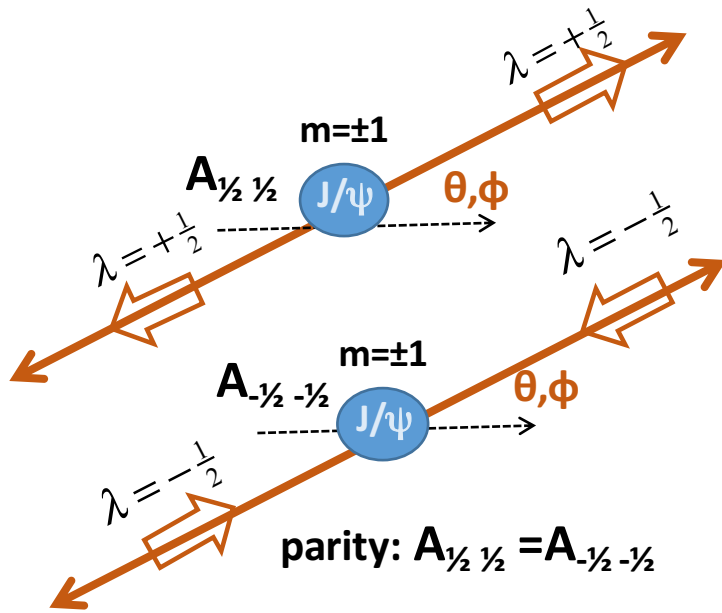
$$\alpha(\bar{\Lambda} \rightarrow \bar{n}\pi^0) = \bar{\alpha}_0$$

$$\alpha(\Lambda \rightarrow n\pi^0) = \alpha_0$$



$$e^+e^- \rightarrow J/\psi \rightarrow \Lambda\bar{\Lambda}$$

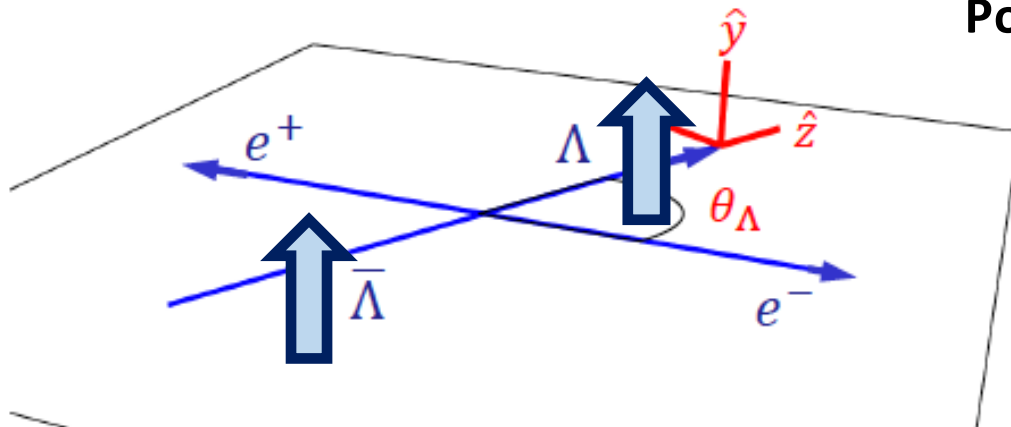
**Production: 2 independent helicity amplitudes:  $A_{\frac{1}{2} \frac{1}{2}}, A_{\frac{1}{2} -\frac{1}{2}}$**



$\Delta =$  complex phase between  $A_{\frac{1}{2} \frac{1}{2}}$  and  $A_{\frac{1}{2} -\frac{1}{2}}$

$$\frac{d|\mathcal{M}|^2}{d\cos\theta} \propto (1 + \alpha_{J/\psi} \cos^2\theta), \quad \text{with} \quad \alpha_{J/\psi} = \frac{|A_{1/2,-1/2}|^2 - 2|A_{1/2,1/2}|^2}{|A_{1/2,-1/2}|^2 + 2|A_{1/2,1/2}|^2}$$

if  $\Delta \neq 0$ ,  $\Lambda$  and  $\bar{\Lambda}$  are transversely polarized

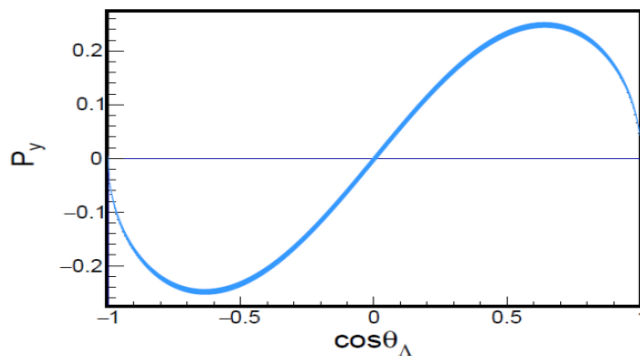


Polarization is:

perpendicular to the production plane

$\theta_\Lambda$ -dependent

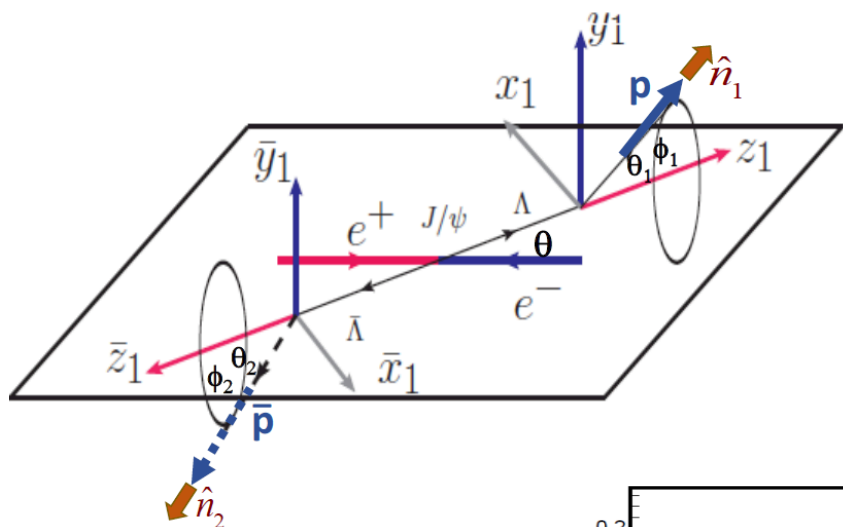
Same direction for  $\Lambda$  and  $\bar{\Lambda}$





# Correlated 5-dim. angular distribution

$$\mathcal{W}(\xi; \alpha_\psi, \Delta\Phi, \alpha_-, \alpha_+) = 1 + \alpha_\psi \cos^2 \theta_\Lambda$$



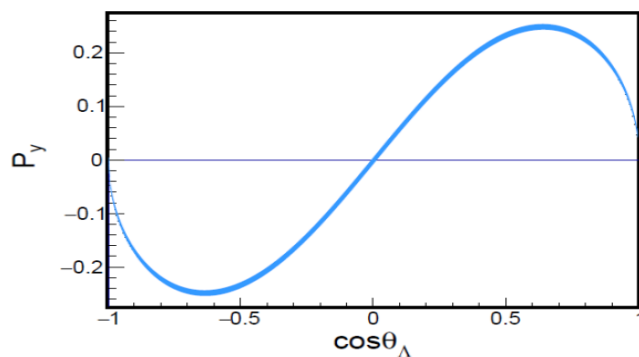
$$+ \alpha_- \alpha_+ [\sin^2 \theta_\Lambda (n_{1,x} n_{2,x} - \alpha_\psi n_{1,y} n_{2,y}) + (\cos^2 \theta_\Lambda + \alpha_\psi) n_{1,z} n_{2,z}]$$

$$+ \alpha_- \alpha_+ \sqrt{1 - \alpha_\psi^2} \cos(\Delta\Phi) \sin \theta_\Lambda \cos \theta_\Lambda (n_{1,x} n_{2,z} + n_{1,z} n_{2,x})$$

$$+ \sqrt{1 - \alpha_\psi^2} \sin(\Delta\Phi) \sin \theta_\Lambda \cos \theta_\Lambda (\alpha_- n_{1,y} + \alpha_+ n_{2,y}),$$

**polarization-term**

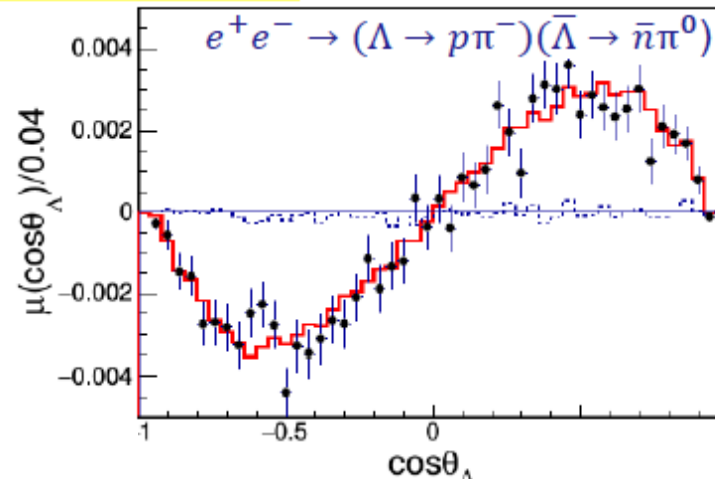
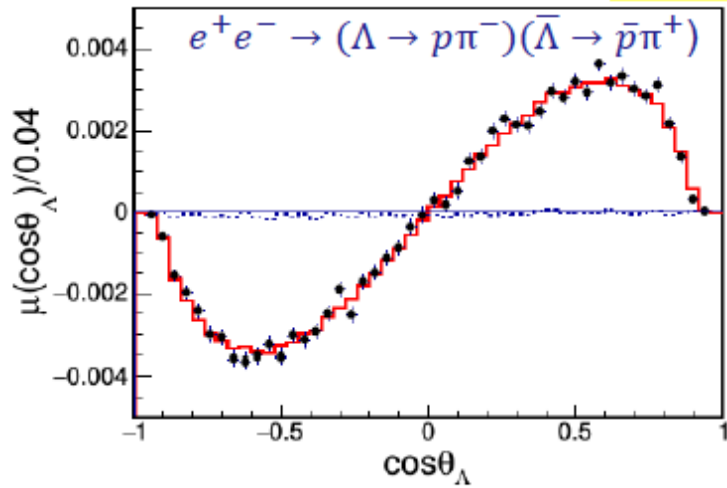
**independent  $\alpha_-$  and  $\alpha_+$  dependence**



$$P_y(\cos \theta_\Lambda) = \frac{\sqrt{1 - \alpha_\psi^2} \sin(\Delta\Phi) \cos \theta_\Lambda \sin \theta_\Lambda}{1 + \alpha_\psi \cos^2 \theta_\Lambda}$$

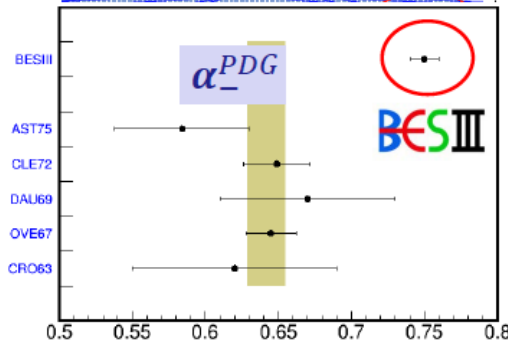
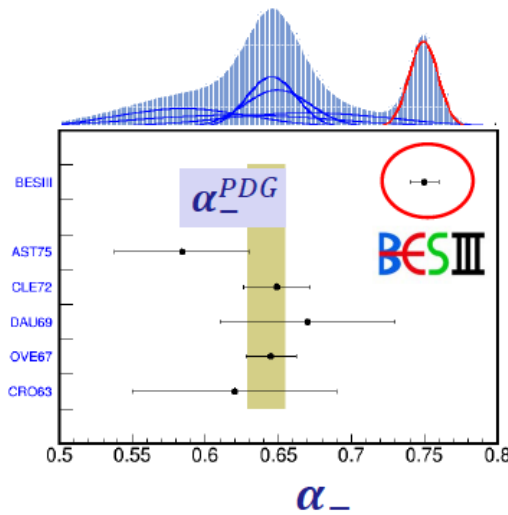
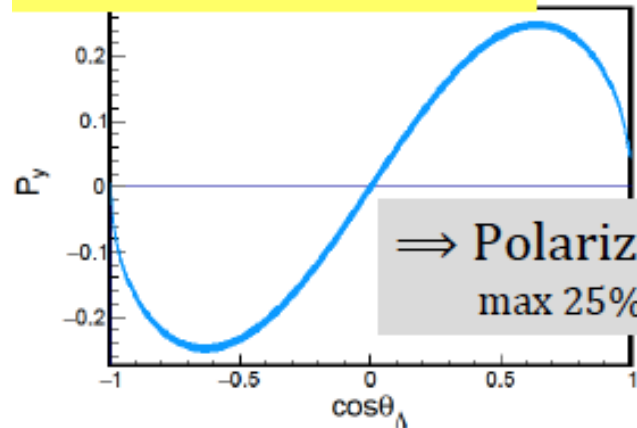
# Fit results

$$\Delta\Phi = 42.3^\circ \pm 0.6^\circ \pm 0.5^\circ$$



$$\Lambda \rightarrow p\pi^-: \alpha_- = 0.750 \pm 0.009 \pm 0.004$$

$$\Delta\Phi = 42.3^\circ \pm 0.6^\circ \pm 0.5^\circ$$



# BESIII results with 1.3 billion $J/\psi$

Nature Physics May 2019  
[arXiv:1808.08917](https://arxiv.org/abs/1808.08917)

Parameters	This work	Previous results
$\alpha_\psi$	$0.461 \pm 0.006 \pm 0.007$	$0.469 \pm 0.027$ <sup>14</sup>
$\Delta\Phi$	$(42.4 \pm 0.6 \pm 0.5)^\circ$	–
$\alpha_-$	$0.750 \pm 0.009 \pm 0.004$	$0.642 \pm 0.013$ <sup>16</sup>
$\alpha_+$	$-0.758 \pm 0.010 \pm 0.007$	$-0.71 \pm 0.08$ <sup>16</sup>
$\bar{\alpha}_0$	$-0.692 \pm 0.016 \pm 0.006$	–
$A_{CP}$	$-0.006 \pm 0.012 \pm 0.007$	$0.006 \pm 0.021$ <sup>16</sup>
$\bar{\alpha}_0/\alpha_+$	$0.913 \pm 0.028 \pm 0.012$	–

**I have comments on these 3 items:**

← 1) 3x precision improvement  
 -same data sample-

← 2)  $\sim 7\sigma$  upward shift from all  
 previous measurements

← 3)  $\sim 3\sigma$  difference from 1.  
 Is this reasonable?

# $\alpha_+/\bar{\alpha}_0 \neq 1$ : $\Delta I=1/2$ law violation

From S.L. Olsen

lifetime=12 ns

$\Delta I=1/2$  law:  $K^+ \rightarrow \pi^+ \pi^0$  ( $\Delta I=3/2$  transition):  $\Gamma(K^+ \rightarrow \pi^+ \pi^0) = |T_{3/2}|^2 \approx Bf(K^+ \rightarrow \pi^+ \pi^0)/\tau_{K^+}$

$K_S \rightarrow \pi^+ \pi^-$  ( $\Delta I=1/2$  transition):  $\Gamma(K_S \rightarrow \pi^+ \pi^-) = |T_{1/2}|^2 \approx Bf(K_S \rightarrow \pi^+ \pi^-)/\tau_{K_S}$

lifetime=0.21 ns

$$\frac{|T_{3/2}|}{|T_{1/2}|} \approx \frac{\sqrt{Bf(K^+ \rightarrow \pi^+ \pi^0)\tau_{K_S}}}{\sqrt{Bf(K_S \rightarrow \pi^+ \pi^-)\tau_{K^+}}} = \sqrt{\frac{0.21 \times 0.1 \text{ ns}}{0.69 \times 12 \text{ ns}}} \approx \frac{1}{22}$$

$$\langle \bar{\Lambda} | \bar{p} \pi^+ \rangle = T_{1/2} \left( 1 + \frac{1}{\sqrt{2}} \left( T_{3/2} / T_{1/2} \right) \right) \Rightarrow \alpha_+ = \alpha_{\Delta I=1/2} \left( 1 + \frac{1}{\sqrt{2}} \left( T_{3/2} / T_{1/2} \right) \right)$$

$$\langle \bar{\Lambda} | \bar{n} \pi^0 \rangle = T_{1/2} \left( 1 - \sqrt{2} \left( T_{3/2} / T_{1/2} \right) \right) \Rightarrow \bar{\alpha}_0 = \alpha_{\Delta I=1/2} \left( 1 - \sqrt{2} \left( T_{3/2} / T_{1/2} \right) \right)$$

$$\frac{\alpha_+}{\bar{\alpha}_0} = \frac{1 + \frac{1}{\sqrt{2}} \left( T_{3/2} / T_{1/2} \right)}{1 - \sqrt{2} \left( T_{3/2} / T_{1/2} \right)} \approx 1 + \left( \frac{1}{\sqrt{2}} + \sqrt{2} \right) \left( T_{3/2} / T_{1/2} \right) = 1 + \frac{3}{\sqrt{2}} \left( T_{3/2} / T_{1/2} \right)$$

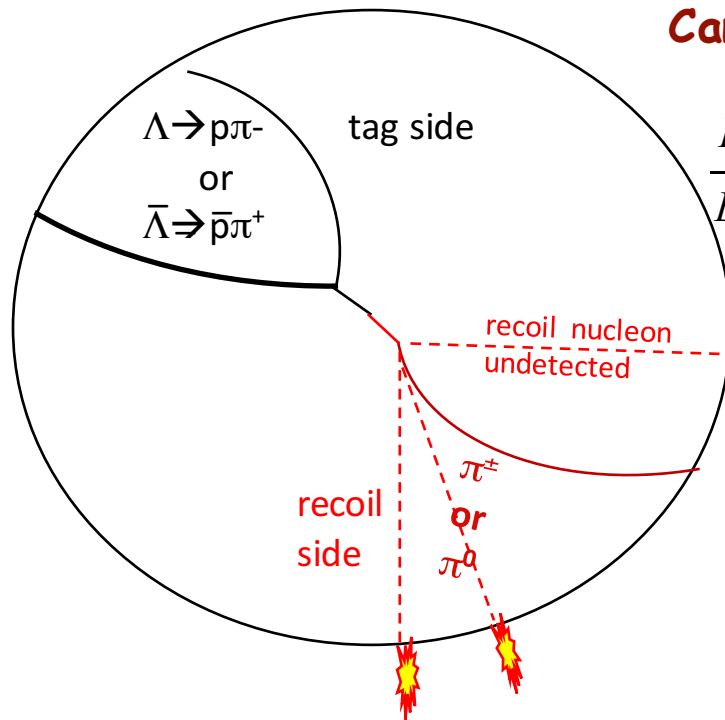
$$\frac{\alpha_+}{\bar{\alpha}_0} - 1 = 0.087 \pm 0.030 = \frac{3}{\sqrt{2}} \left( T_{3/2} / T_{1/2} \right) \Rightarrow \left( T_{3/2} / T_{1/2} \right) = 0.041 \pm 0.014$$

good agreement

# $T_{3/2} \neq 0$ : decay rate asymmetry in BESIII?

From S.L. Olsen

use *partial* reconstruction of  $J/\psi \rightarrow \Lambda \bar{\Lambda}$ ?



Can BESIII measure this with low systematic errors?

$$\frac{Bf(\Lambda \rightarrow n\pi^0)}{Bf(\Lambda \rightarrow p\pi^-)} - \frac{Bf(\bar{\Lambda} \rightarrow \bar{n}\pi^0)}{Bf(\bar{\Lambda} \rightarrow \bar{p}\pi^+)} = \frac{N(\bar{\Lambda}_{\text{tag}} + \pi^0)}{N(\bar{\Lambda}_{\text{tag}} + \pi^-)} - \frac{N(\Lambda_{\text{tag}} + \pi^0)}{N(\Lambda_{\text{tag}} + \pi^+)}$$

**Detect a  $\Lambda \rightarrow p\pi$  or  $\bar{\Lambda} \rightarrow \bar{p}\pi^+$  accompanied by a  $\pi^\pm$  or  $\pi^0$**   
**Infer presence of the recoil nucleon by missing mass**

the  $10^{10}$   $J/\psi$  data sample has  $>1\text{M}$  events in each category  $\rightarrow$  statistical precision  $\approx 10^{-3}$

$\alpha_- \text{ FOR } \Lambda \rightarrow p\pi^-$ [INSPIRE search](#)

VALUE	EVTS	DOCUMENT ID	TECN	COMMENT
$0.750 \pm 0.009 \pm 0.004$	420k	<a href="#">ABLIKIM</a> <a href="#">2018AG</a>	BES3	$J/\psi$ to $\Lambda\bar{\Lambda}$
... We do not use the following data for averages, fits, limits, etc. ...				
$0.584 \pm 0.046$	8500	<a href="#">ASTBURY</a> <a href="#">1975</a>	SPEC	
$0.649 \pm 0.023$	10325	<a href="#">CLELAND</a> <a href="#">1972</a>	OSPK	
$0.67 \pm 0.06$	3520	<a href="#">DAUBER</a> <a href="#">1969</a>	HBC	From $\Xi$ decay
$0.645 \pm 0.017$	10130	<a href="#">OVERSETH</a> <a href="#">1967</a>	OSPK	$\Lambda$ from $\pi^- p$
$0.62 \pm 0.07$	1156	<a href="#">CRONIN</a> <a href="#">1963</a>	CNTR	$\Lambda$ from $\pi^- p$

**References:**

<a href="#">ABLIKIM</a>	<a href="#">2018AG</a>	arXiv:1808.08917		
<a href="#">ASTBURY</a>	<a href="#">1975</a>	NP B99 30	Measurement of the Differential Cross Section and the Spin Correlation Parameters $P$ , $A$ , and $R$ in the Backward Peak of $\pi^- p \rightarrow K^0 \Lambda$ at 5 GeV/c	
<a href="#">CLELAND</a>	<a href="#">1972</a>	NP B40 221	A Measurement of the $\beta$ -Parameter in the Charged Nonleptonic Decay of the $\Lambda^0$ Hyperon	
<a href="#">DAUBER</a>	<a href="#">1969</a>	PR 179 1262	Production and Decay of Cascade Hyperons	
<a href="#">OVERSETH</a>	<a href="#">1967</a>	PRL 19 391	Time Reversal Invariance in $\Lambda$ Decay	

 $\alpha_+ \text{ FOR } \bar{\Lambda} \rightarrow \bar{p}\pi^+$ [INSPIRE search](#)

VALUE	EVTS	DOCUMENT ID	TECN	COMMENT
$-0.758 \pm 0.010 \pm 0.007$	420k	<a href="#">ABLIKIM</a> <a href="#">2018AG</a>	BES3	$J/\psi$ to $\Lambda\bar{\Lambda}$
... We do not use the following data for averages, fits, limits, etc. ...				
$-0.755 \pm 0.083 \pm 0.063$	$\approx 8.7k$	<a href="#">ABLIKIM</a> <a href="#">2010</a>	BES	$J/\psi \rightarrow \Lambda\bar{\Lambda}$
$-0.63 \pm 0.13$	770	<a href="#">TIXIER</a> <a href="#">1988</a>	DM2	$J/\psi \rightarrow \Lambda\bar{\Lambda}$

**References:**

<a href="#">ABLIKIM</a>	<a href="#">2018AG</a>	arXiv:1808.08917		
<a href="#">ABLIKIM</a>	<a href="#">2010</a>	PR D81 012003	Measurement of the Asymmetry Parameter for the Decay $\bar{\Lambda} \rightarrow \bar{p}\pi^+$	
<a href="#">TIXIER</a>	<a href="#">1988</a>	PL B212 523	Looking at $CP$ Invariance and Quantum Mechanics in $J/\psi \rightarrow \Lambda\bar{\Lambda}$ Decay	

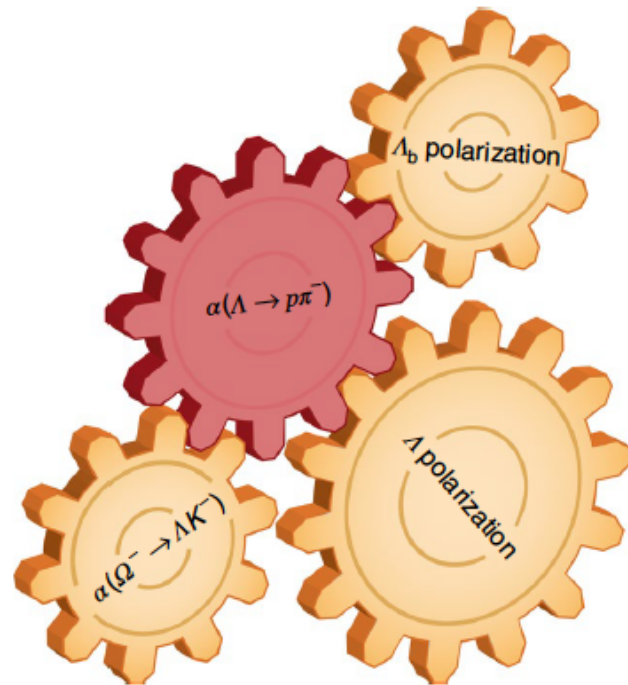
PDG2019 updates

## PARTICLE PHYSICS

# Anomalous asymmetry

A measurement based on quantum entanglement of the parameter describing the asymmetry of the  $\Lambda$  hyperon decay is inconsistent with the current world average. This shows that relying on previous measurements can be hazardous.

Ulrik Egede



**New input for many other measurements:**

- 1) polarization**
- 2) Asymmetry of the  $\Lambda_b$  and  $\Lambda_c$**
- 3) CPV in  $\Lambda_b$  and  $\Lambda_c$  decays**
- 4) Decays of other charmed and beauty baryons**

# CP violation with 10 billion $J/\psi$ , and future facilities

CP test:  $A_\Lambda = \frac{\alpha_- + \alpha_+}{\alpha_- - \alpha_+}$

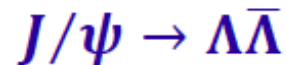
From A. Kupas

$A_\Lambda = -0.006 \pm 0.012 \pm 0.007$

Previous result:

$A_\Lambda = 0.013 \pm 0.021$   
PS185 PRC54(96)1877

BESIII



	Events	Error $A_\Lambda$	
BESIII(2018)	$4.2 \cdot 10^5$	$1.2 \cdot 10^{-2}$	$1.31 \cdot 10^9 J/\psi$
BESIII	$3 \cdot 10^6$	$5 \cdot 10^{-3}$	$10^{10} J/\psi$ $L=0.47 \cdot 10^{33} \Delta E = 0.9 \text{ MeV}$
SuperTauCharm	$6 \cdot 10^8$	$3 \cdot 10^{-4}$	$L=10^{35} \text{ cm}^{-2}\text{s}^{-1}$ $2 \cdot 10^{12} J/\psi \Delta E = 0.9 \text{ MeV}$
SuperTauCharm + reduced $\Delta E$	$3 \cdot 10^9$	$1.4 \cdot 10^{-4}$	$L=10^{35} \text{ cm}^{-2}\text{s}^{-1}$ $10^{13} J/\psi \Delta E < 0.9 \text{ MeV}??$

a guess

$-3 \times 10^{-5} \leq A_\Lambda \leq 4 \times 10^{-5}$   
 $-2 \times 10^{-5} \leq A_{\Xi} \leq 1 \times 10^{-5}$   
 $-5 \times 10^{-5} \leq A_{\Xi\Lambda} \leq 5 \times 10^{-5}$

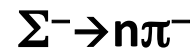
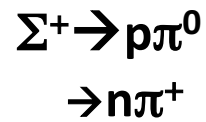
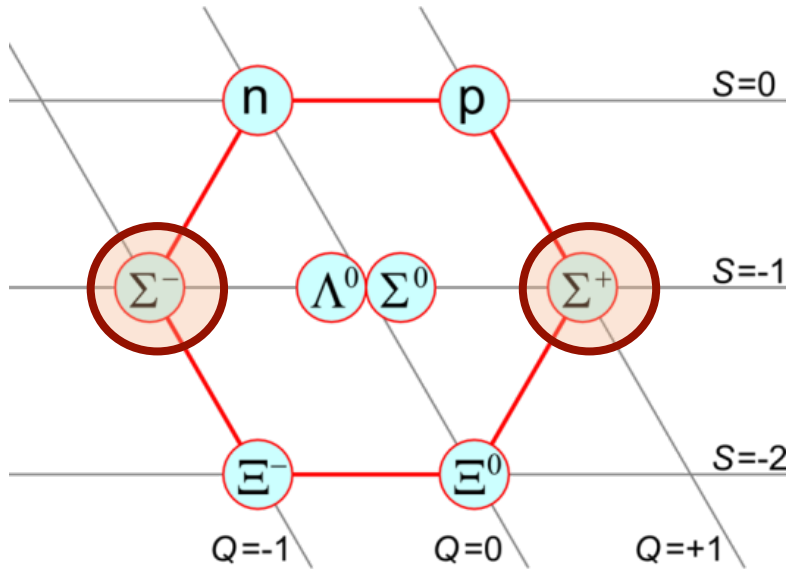
CKM

Tandean, Valencia PRD67, 056001

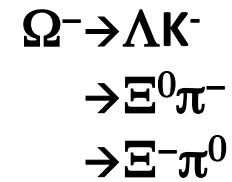
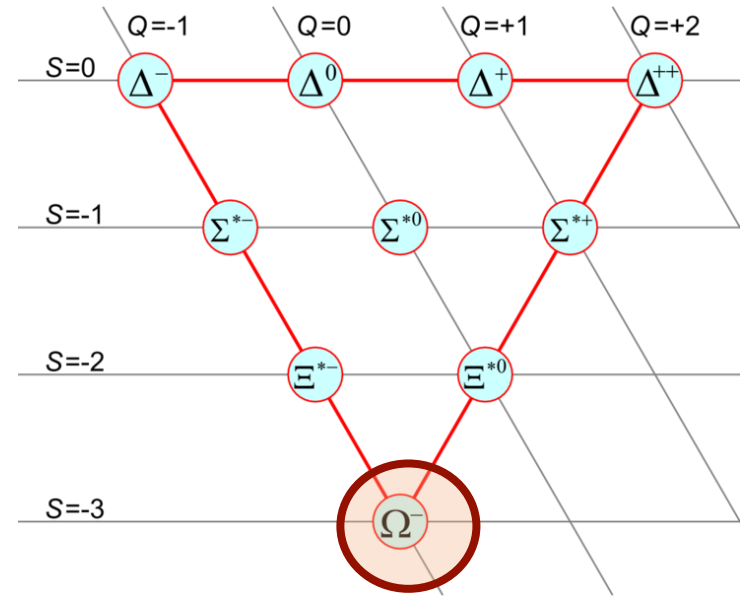
$$\sigma(A_\Lambda) = \frac{\sqrt{1+q}}{\sqrt{2}\alpha_\Lambda} \sigma(\alpha_\Lambda)$$



# How about other weakly decaying hyperons?



final state baryon polarization  
measurements impractical with BESIII



need  $\psi' \rightarrow \Omega^- \bar{\Omega}^+$  data  
rates are low

# CPV observables in $\Xi^- \rightarrow \Lambda\pi$ decay

decay rate  
difference

$$\frac{\Gamma_{\bar{\Lambda}\pi^+} - \Gamma_{\Lambda\pi^-}}{\Gamma} \equiv 0$$

←  $\Lambda\pi$  final states are purely  $I_{\text{spin}}=1$ , only  $\Delta I=1/2$  transitions allowed, no  $\Delta I=3/2$  transition possible

decay  
asymmetry  
difference

$$\alpha_{\mp} = \pm \frac{2 \operatorname{Re}(S^* P)}{|S|^2 + |P|^2} = \pm \frac{2|S||P| \cos(\Delta_S \pm \phi_{CP})}{|S|^2 + |P|^2}$$

$$\frac{\alpha_- + \alpha_+}{\alpha_- - \alpha_+} = \frac{\sin \Delta_S \sin \phi_{CP}}{\cos \Delta_S \cos \phi_{CP}} = \tan \Delta_S \tan \phi_{CP}$$

← in this case, the strong phase ( $\Delta_S = \delta_S - \delta_P$ ) is measurable (see below)

final-state  
polarization  
difference

$$\beta_{\mp} = \pm \frac{2 \operatorname{Im}(S^* P)}{|S|^2 + |P|^2} = \pm \frac{2|S||P| \sin(\Delta_S \pm \phi_{CP})}{|S|^2 + |P|^2}$$

$$\frac{\beta_- + \beta_+}{\alpha_- - \alpha_+} = \frac{\cos \Delta_S \sin \phi_{CP}}{\cos \Delta_S \cos \phi_{CP}} = \tan \phi_{CP}$$

$$\frac{\beta_- - \beta_+}{\alpha_- - \alpha_+} = \frac{\sin \Delta_S \cos \phi_{CP}}{\cos \Delta_S \cos \phi_{CP}} = \tan \Delta_S$$

← Strong phase cancels out

← measures the strong phase

big advantage  
for  $\Xi$  over  $\Lambda$

# $\Sigma^+?$

From S.L. Olsen

## $\alpha_0$ FOR $\Sigma^+ \rightarrow p\pi^0$

VALUE	EVTS	DOCUMENT ID
$-0.980^{+0.017}_{-0.015}$ OUR FIT		
$-0.980^{+0.017}_{-0.013}$ OUR AVERAGE		
$-0.945^{+0.055}_{-0.042}$	1259	<sup>15</sup> LIPMAN 73
$-0.940 \pm 0.045$	16k	BELLAMY 72
$-0.98^{+0.05}_{-0.02}$	1335	<sup>16</sup> HARRIS 70
$-0.999 \pm 0.022$	32k	BANGERTER 69



Fred Harris  
PhD Thesis

## $\Sigma^+$ DECAY MODES

Mode	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1 \quad p\pi^0$	$(51.57 \pm 0.30) \%$
$\Gamma_2 \quad n\pi^+$	$(48.31 \pm 0.30) \%$

$$\Gamma(\Sigma^+ \rightarrow n\ell^+\nu) / \Gamma(\Sigma^- \rightarrow n\ell^-\bar{\nu})$$

Test of  $\Delta S = \Delta Q$  rule.

VALUE	EVTS	DOCL
<b>&lt;0.043 OUR LIMIT</b>		Our 90% CL limit,

50 year-old measurements,  
probably wrong for the same reason  
the  $\Lambda$  measurements were wrong

$\alpha_0 \approx 1 \rightarrow$  S-wave  $\approx$  P-wave  
interference is maximum  
well suited for  $\alpha_0 + \bar{\alpha}_0 / \alpha_0 - \bar{\alpha}_0$

No measurements of  $\bar{\alpha}_0$  or  $\bar{\alpha}_-$  for  $\bar{\Sigma}^-$

$\Gamma(p\pi^0) \approx \Gamma(n\pi^+)$  to  $\sim 10\% \leftarrow T_{3/2} \approx 5\% T_{1/2}$   
 $\Delta\Gamma$  will be suppressed

PDG 2018  $\Delta S = \Delta Q$  limit is not severe,  
BESIII can probably improve on this  
by a large factor

# $\Sigma^-?$

From S.L. Olsen

## $\alpha_-$ FOR $\Sigma^- \rightarrow n\pi^-$

<u>VALUE</u>	<u>EVTS</u>	<u>DOCUMENT ID</u>	
<b><math>-0.068 \pm 0.008</math></b>	<b>OUR AVERAGE</b>		
$-0.062 \pm 0.024$	28k	HANSL	78
$-0.067 \pm 0.011$	60k	BOGERT	70
$-0.071 \pm 0.012$	51k	BANGERTER	69

## $\Sigma^-$ DECAY MODES

Mode	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1$ $n\pi^-$	$(99.848 \pm 0.005) \%$

40~50 year-old measurements,  
probably wrong for the same reason  
the  $\Lambda$  measurements were wrong

$\alpha_- \approx 0 \rightarrow$  1 partial wave dominates  
interference is small not  
well suited for  $\alpha_- + \alpha_+ / \alpha_- - \alpha_+$   
measurements

no measurements of  $\bar{\alpha}_+$  for  $\bar{\Sigma}^+$

single dominant decay mode  
no suitable for  $\Delta\Gamma$  measurements

# $\Omega^-?$

## $\alpha$ FOR $\Omega^- \rightarrow \Lambda K^-$

Some early results have been omitted.

VALUE	EVTS	DOCUMENT ID
<b><math>0.0180 \pm 0.0024</math></b> OUR AVERAGE		
$+0.0207 \pm 0.0051 \pm 0.0081$	960k	<sup>7</sup> CHEN 05
$+0.0178 \pm 0.0019 \pm 0.0016$	4.5M	<sup>7</sup> LU 05A

## $\alpha$ FOR $\Omega^- \rightarrow \Xi^0 \pi^-$

VALUE	EVTS	DOCUMENT ID
<b><math>+0.09 \pm 0.14</math></b>	1630	BOURQUIN 84

## $\alpha$ FOR $\Omega^- \rightarrow \Xi^- \pi^0$

VALUE	EVTS	DOCUMENT ID
<b><math>+0.05 \pm 0.21</math></b>	614	BOURQUIN 84

## $\Omega^-$ DECAY MODES

Mode	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1 \quad \Lambda K^-$	$(67.8 \pm 0.7) \%$
$\Gamma_2 \quad \Xi^0 \pi^-$	$(23.6 \pm 0.7) \%$
$\Gamma_3 \quad \Xi^- \pi^0$	$(8.6 \pm 0.4) \%$

$\alpha \approx 0 \rightarrow$  1 partial wave dominates all modes  
interference is small, not well suited  
for  $\alpha + \bar{\alpha}/\alpha - \bar{\alpha}$  measurements

$\Gamma(\Xi^0 \pi^-) \approx 3 \times \Gamma(\Xi^- \pi^0) \leftarrow T_{3/2} \approx T_{1/2}$   
 $\Delta\Gamma$  will be enhanced

# Hyperon decays

# Rare and forbidden decays

Front. Phys. 12(5), 121301 (2017)  
DOI 10.1007/s11467-017-0691-9

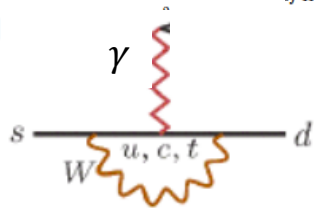
## PERSPECTIVE

### Prospects for rare and forbidden hyperon decays at BESIII

Hai-Bo Li<sup>1,2,\*</sup>

<sup>1</sup>*Institute of High Energy Physics, Beijing 100049, China*  
<sup>2</sup>*Department of Physics, Beijing 100049, China*  
\*Author. E-mail: [lihb@ihep.ac.cn](mailto:lihb@ihep.ac.cn)  
7, 2017; accepted May 8, 2017

SM



Electron Spectrometer III (BESIII) is proposed to study hyperon decays, which provide a pristine experimental environment for studying the structure of hyperons. About  $10^6$ – $10^8$  hyperons, i.e.,  $\Lambda$ ,  $\Sigma$ ,  $\Xi$ , and  $\Omega$ , are produced in the proposed data samples at BESIII. Based on the current experimental data, the branching fractions of the hyperon decays are in the range of  $10^{-3}$ – $10^{-6}$ , rare

$B_i \rightarrow B_f \gamma$	$\mathcal{B} (\times 10^{-3})$	$\alpha_\gamma$
$\Lambda \rightarrow n \gamma$	$1.75 \pm 0.15$	–
$\Sigma^+ \rightarrow p \gamma$	$1.23 \pm 0.05$	$-0.76 \pm 0.08$
$\Sigma^0 \rightarrow n \gamma$	–	–
$\Xi^0 \rightarrow \Lambda \gamma$	$1.17 \pm 0.07$	$-0.70 \pm 0.07$
$\Xi^0 \rightarrow \Sigma^0 \gamma$	$3.33 \pm 0.10$	$-0.69 \pm 0.06$
$\Xi^- \rightarrow \Sigma^- \gamma$	$0.127 \pm 0.023$	$1.0 \pm 1.3$
$\Omega^- \rightarrow \Xi^- \gamma$	$< 0.46$ (90% C.L.)	–

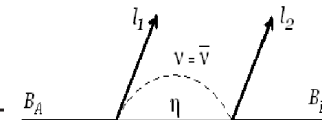
**FCNC: radiative decays**

Decay mode	Current data $\mathcal{B} (\times 10^{-6})$	Sensitivity $\mathcal{B} (90\% \text{C.L.}) (\times 10^{-6})$	Type
$\Lambda \rightarrow n e^+ e^-$	–	$< 0.8$	Type A
$\Sigma^+ \rightarrow p e^+ e^-$	$< 7$	$< 0.4$	
$\Xi^0 \rightarrow \Lambda e^+ e^-$	$7.6 \pm 0.6$	$< 1.2$	
$\Xi^0 \rightarrow \Sigma^0 e^+ e^-$	–	$< 1.3$	
$\Xi^- \rightarrow \Sigma^- e^+ e^-$	–	$< 1.0$	
$\Omega^- \rightarrow \Xi^- e^+ e^-$	–	$< 26.0$	
$\Sigma^+ \rightarrow p \mu^+ \mu^-$	$(0.09^{+0.09}_{-0.08})$	$< 0.4$	
$\Omega^- \rightarrow \Xi^- \mu^+ \mu^-$	–	$< 30.0$	Type B
$\Lambda \rightarrow n \nu \bar{\nu}$	–	$< 0.3$	
$\Sigma^+ \rightarrow p \nu \bar{\nu}$	–	$< 0.4$	
$\Xi^0 \rightarrow \Lambda \nu \bar{\nu}$	–	$< 0.8$	
$\Xi^0 \rightarrow \Sigma^0 \nu \bar{\nu}$	–	$< 0.9$	
$\Xi^- \rightarrow \Sigma^- \nu \bar{\nu}$	–	–*	
$\Omega^- \rightarrow \Xi^- \nu \bar{\nu}$	–	$< 26.0$	
$\Sigma^- \rightarrow \Sigma^+ e^- e^-$	–	$< 1.0$	Type C
$\Sigma^- \rightarrow p e^- e^-$	–	$< 0.6$	
$\Xi^- \rightarrow p e^- e^-$	–	$< 0.4$	
$\Xi^- \rightarrow \Sigma^+ e^- e^-$	–	$< 0.7$	
$\Omega^- \rightarrow \Sigma^+ e^- e^-$	–	$< 15.0$	
$\Sigma^- \rightarrow p \mu^- \mu^-$	–	$< 1.1$	
$\Xi^- \rightarrow p \mu^- \mu^-$	$< 0.04$	$< 0.5$	
$\Omega^- \rightarrow \Sigma^+ \mu^- \mu^-$	–	$< 17.0$	
$\Sigma^- \rightarrow p e^- \mu^-$	–	$< 0.8$	Type C
$\Xi^- \rightarrow p e^- \mu^-$	–	$< 0.5$	
$\Xi^- \rightarrow \Sigma^+ e^- \mu^-$	–	$< 0.8$	
$\Omega^- \rightarrow \Sigma^+ e^- \mu^-$	–	$< 17.0$	

**EM penguin**

**Weak penguin**

**Neutrinoless double beta decays**

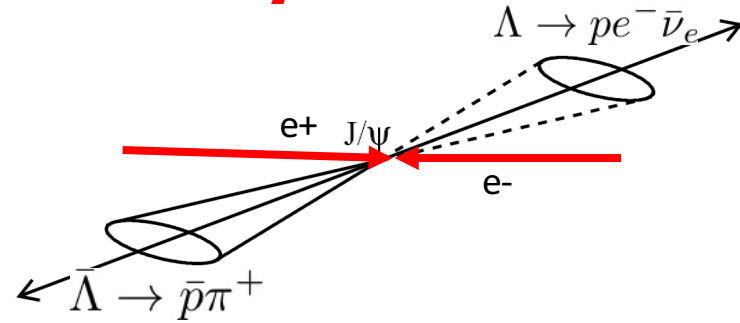


**Most of them never studied.**

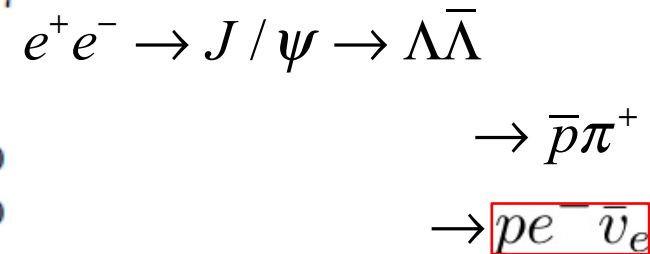
# Semileptonic decays

Fully reconstruct one of the hyperons, then the momentum of the other hyperon will be known, which provides hyperon beam, so we can look for invisible final states:

- neutrino ; other invisible particles

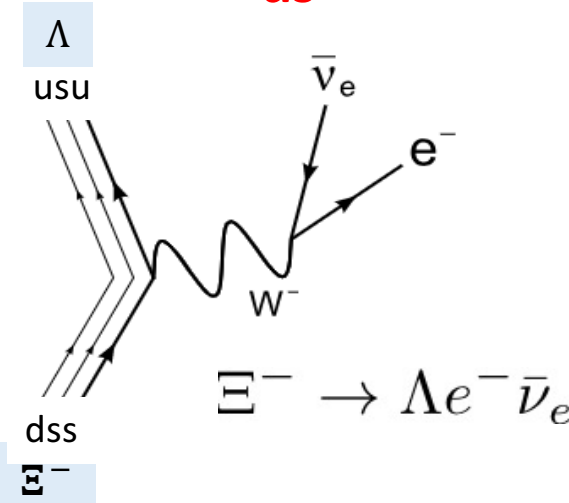
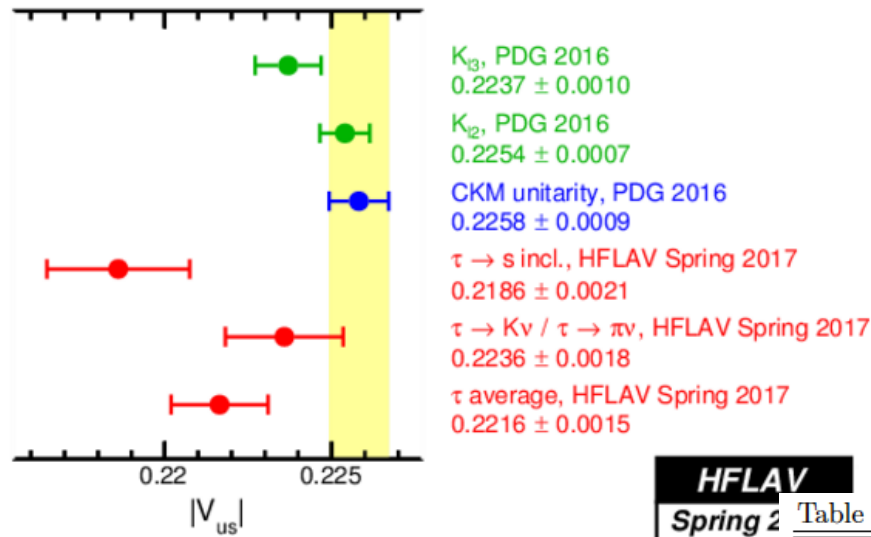


Decay mode	$\mathcal{B} (\times 10^{-4})$	$ \Delta S $	$g_1(0)/f_1(0)$
$\Lambda \rightarrow pe^-\bar{\nu}_e$	$8.32 \pm 0.14$	1	$0.718 \pm 0.015$
$\Sigma^+ \rightarrow \Lambda e^+\nu_e$	$0.20 \pm 0.05$	0	–
$\Sigma^- \rightarrow ne^-\bar{\nu}_e$	$10.17 \pm 0.34$	1	$-0.340 \pm 0.017$
$\Sigma^- \rightarrow \Lambda e^-\bar{\nu}_e$	$0.573 \pm 0.027$	0	–
$\Sigma^- \rightarrow \Sigma^0 e^-\bar{\nu}_e$	–	0	–
$\Xi^0 \rightarrow \Sigma^+ e^-\bar{\nu}_e$	$2.52 \pm 0.08$	1	$1.210 \pm 0.050$
$\Xi^- \rightarrow \Lambda e^-\bar{\nu}_e$	$5.63 \pm 0.31$	1	$0.250 \pm 0.050$
$\Xi^- \rightarrow \Sigma^0 e^-\bar{\nu}_e$	$0.87 \pm 0.17$	1	–
$\Xi^- \rightarrow \Xi^0 e^-\bar{\nu}_e$	$< 23$ (90% C.L.)	0	–
$\Omega^- \rightarrow \Xi^0 e^-\bar{\nu}_e$	$56 \pm 28$	1	–





# Semileptonic decays: $V_{us}$



**HFLAV**  
Spring 2

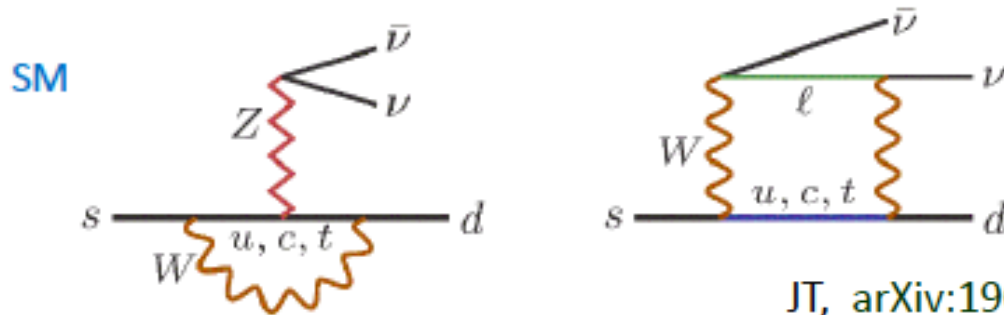
Table 5: Results from  $V_{us}$  analysis using measured  $g_1/f_1$  values

Decay	Rate	$g_1/f_1$	$V_{us}$
Process	( $\mu\text{sec}^{-1}$ )		
$\Lambda \rightarrow pe^- \bar{\nu}$	3.161(58)	0.718(15)	$0.2224 \pm 0.0034$
$\Sigma^- \rightarrow ne^- \bar{\nu}$	6.88(24)	-0.340(17)	$0.2282 \pm 0.0049$
$\Xi^- \rightarrow \Lambda e^- \bar{\nu}$	3.44(19)	0.25(5)	$0.2367 \pm 0.0099$
$\Xi^0 \rightarrow \Sigma^+ e^- \bar{\nu}$	0.876(71)	1.32(+.22/-.18)	$0.209 \pm 0.027$
Combined	—	—	$0.2250 \pm 0.0027$

**$V_{us}$  measurements are inconsistent:  
K semileptonic and leptonic decays  
tau decays**

N. Cabibbo, E. Swallon, R. Winston  
Ann.Rev.Nucl.Part.Sci. 53:39–75,2003

# Search for rare decay and New physics



JT, arXiv:1901.10447 [JHEP 04 (2019) 104]  
G Li, JY Su, JT, arXiv:1905.08759

SM predictions:

$\Lambda \rightarrow n\nu\bar{\nu}$	$\Sigma^+ \rightarrow p\nu\bar{\nu}$	$\Xi^0 \rightarrow \Lambda\nu\bar{\nu}$	$\Xi^0 \rightarrow \Sigma^0\nu\bar{\nu}$	$\Xi^- \rightarrow \Sigma^-\nu\bar{\nu}$	$\Omega^- \rightarrow \Xi^-\nu\bar{\nu}$
$7.1 \times 10^{-13}$	$4.3 \times 10^{-13}$	$6.3 \times 10^{-13}$	$1.0 \times 10^{-13}$	$1.3 \times 10^{-13}$	$4.9 \times 10^{-12}$

$$\mathcal{B}(\Lambda \rightarrow nf\bar{f}) < 6.6 \times 10^{-6},$$

$$\mathcal{B}(\Sigma^+ \rightarrow pf\bar{f}) < 1.7 \times 10^{-6}$$

$$\mathcal{B}(\Xi^0 \rightarrow \Lambda f\bar{f}) < 9.4 \times 10^{-7},$$

$$\mathcal{B}(\Xi^0 \rightarrow \Sigma^0 f\bar{f}) < 1.3 \times 10^{-6}$$

$$\mathcal{B}(\Omega^- \rightarrow \Xi^- f\bar{f}) < 7.5 \times 10^{-5}$$

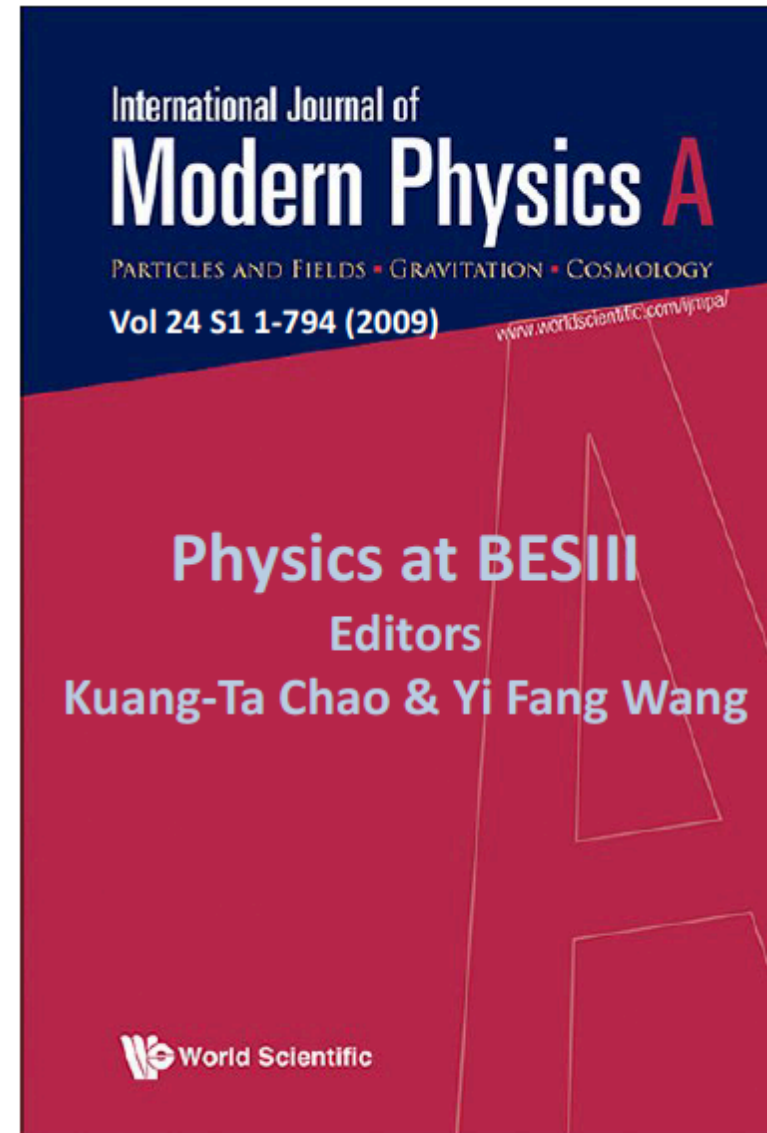
Sensitivities from BESIII 10 billion  $J/\psi$

$\Lambda \rightarrow n\nu\bar{\nu}$	$\Sigma^+ \rightarrow p\nu\bar{\nu}$	$\Xi^0 \rightarrow \Lambda\nu\bar{\nu}$	$\Xi^0 \rightarrow \Sigma^0\nu\bar{\nu}$	$\Omega^- \rightarrow \Xi^-\nu\bar{\nu}$
$3 \times 10^{-7}$	$4 \times 10^{-7}$	$8 \times 10^{-7}$	$9 \times 10^{-7}$	$2.6 \times 10^{-5}$

**BESIII is uniquely well suited for a variety of studies of properties of the stable baryon, which is largely unanticipated in our original planning.**

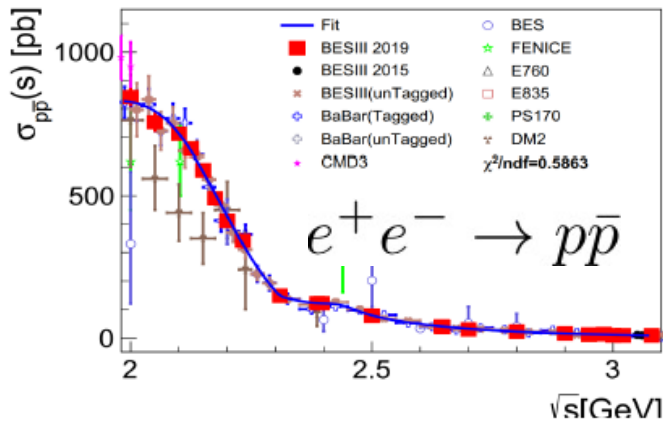
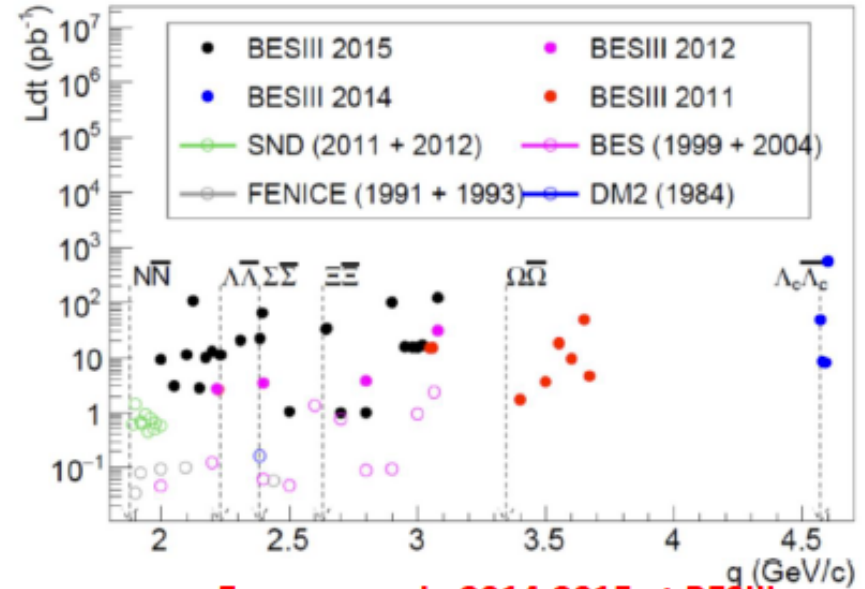
## **BESIII Physics Book:**

**Total length: 794 pages**  
**hyperons mentioned ~5 times**  
(mostly in context of  $\Lambda^*$ ,  $\Sigma^*$ , &  $\Xi^*$  searches)

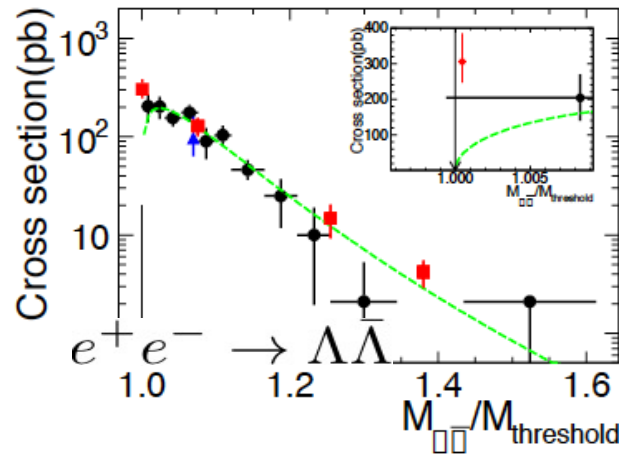


# Advantage: data near to the thresholds

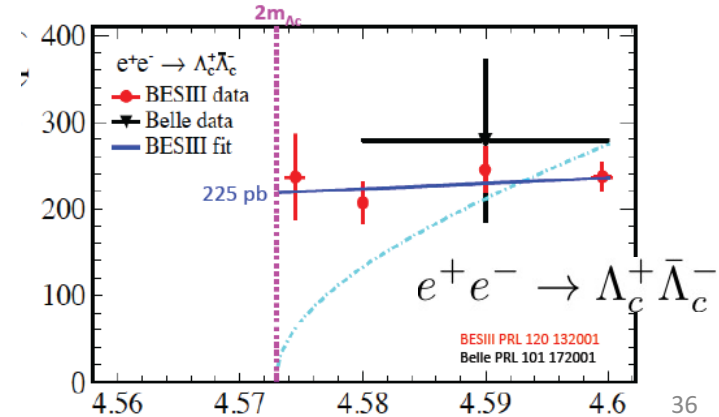
- Baryon pair productions near thresholds: precision branching fractions, unique access to the relative phase, test of QCD
- Hyperon and charmed baryon Spin polarization in QC
- Form-factors in the time-like production
- CP violation with quantum-correlated pair productions of hyperons and charmed baryon



Best precision on  $\sigma$ : 3% (systematic dominant)



Energy scan in 2014-2015 at BESIII



# summary

Hyperon polarization in  $J/\psi$  ( $\psi'$ ) decays  $\rightarrow$  new way to study CPV

- $\rightarrow$  complementary to CPV studies with Kaons
- $\rightarrow$  BESIII as already rewritten the PDG book for  $\Lambda$  decays
- $\rightarrow$  about to do the same for  $\Xi/\Sigma^+$  decays
- $\rightarrow$  good opportunities for  $\Delta\alpha$  measurements with  $\Sigma^+$
- $\rightarrow$   $\Sigma^-$  and  $\Omega$  CPV measurements are probably hopeless

Can partial reconstruction techniques be exploited

- $\rightarrow$  extracting  $\pi^0$  from antineutron debris is essential for  $\Delta\alpha_0$  &  $\Delta\Gamma$  measurements

BESIII analyses *must* advance to 21<sup>st</sup> century techniques

- $\rightarrow$  multi-dim fit to  $\Lambda\bar{\Lambda}$  gives 3x better (!) precision than cut/count + 1-dim fit
- $\rightarrow$  machine learning algorithms need to be developed & exploited

**Hyperon physics at BESIII: next new frontier for CPV studies!**

Special thanks to S. L. Olsen, and A. Kupsc for sharing slides

**Thank you!**

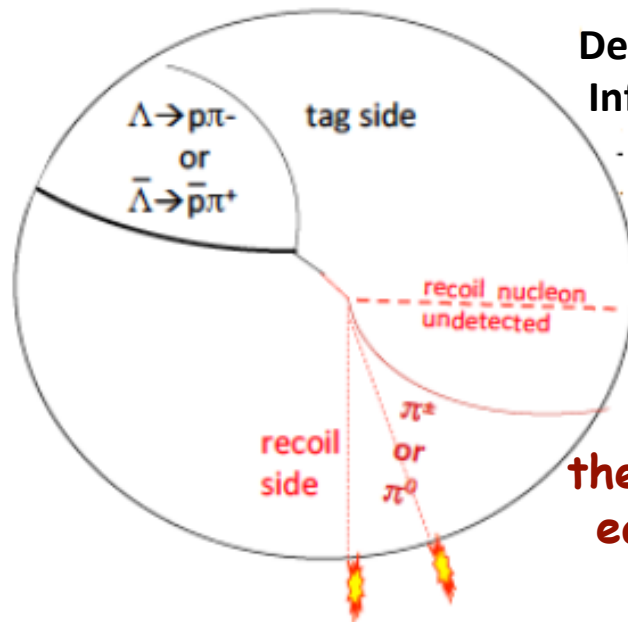
# 附件

# $T_{3/2} \neq 0$ : decay rate asymmetry in BESIII?

use *partial* reconstruction of  $J/\psi \rightarrow \Lambda\Lambda$ ?

Can BESIII measure this with low systematic errors?

$$\frac{Bf(\Lambda \rightarrow n\pi^0)}{Bf(\Lambda \rightarrow p\pi^-)} - \frac{Bf(\bar{\Lambda} \rightarrow \bar{n}\pi^0)}{Bf(\bar{\Lambda} \rightarrow \bar{p}\pi^+)} = \frac{N(\bar{\Lambda}_{\text{tag}} + \pi^0)}{N(\bar{\Lambda}_{\text{tag}} + \pi^-)} - \frac{N(\Lambda_{\text{tag}} + \pi^0)}{N(\Lambda_{\text{tag}} + \pi^+)}$$



Detect a  $\Lambda \rightarrow p\pi^-$  or  $\Lambda \rightarrow p\pi^+$  accompanied by a  $\pi^\pm$  or  $\pi^0$   
 Infer presence of the recoil nucleon by missing mass

the  $10^{10}$   $J/\psi$  data sample has  $>1\text{M}$  events in each category  $\rightarrow$  statistical precision  $\approx 10^{-3}$

# Decay rate asymmetry in BESIII

using partially reconstructed  $J/\psi \rightarrow \Lambda\bar{\Lambda}$  events --

this  $\Delta_s = \delta_{3/2} - \delta_{1/2}$

$$\frac{Bf(\Lambda \rightarrow n\pi^0)}{Bf(\Lambda \rightarrow p\pi^-)} - \frac{Bf(\bar{\Lambda} \rightarrow \bar{n}\pi^0)}{Bf(\bar{\Lambda} \rightarrow \bar{p}\pi^+)} = \frac{\Gamma_{n\pi^0}}{\Gamma_{p\pi^-}} - \frac{\Gamma_{\bar{n}\pi^0}}{\Gamma_{\bar{p}\pi^+}} = \frac{\Gamma_{n\pi^0}\Gamma_{\bar{p}\pi^+} - \Gamma_{\bar{n}\pi^0}\Gamma_{p\pi^-}}{\Gamma_{p\pi^-}\Gamma_{\bar{p}\pi^+}} \approx 2(1+\sqrt{2}) \left( \frac{T_{3/2}}{T_{1/2}} \right) \sin \Delta_s \sin \phi_{CP}$$

sensitivity is nominally reduced by a factor of ~5

here I used:

$$\Gamma_{p\pi^-} \approx \left| T_{1/2} \right|^2 + \sqrt{2} \left| T_{1/2} \right| \left| T_{3/2} \right| \cos(\Delta_s + \phi_{CP})$$

$$\Gamma_{n\pi^0} \approx \frac{1}{2} \left| T_{1/2} \right|^2 - \left| T_{1/2} \right| \left| T_{3/2} \right| \cos(\Delta_s + \phi_{CP})$$

$$\Gamma_{\bar{p}\pi^-} \approx \left| T_{1/2} \right|^2 + \sqrt{2} \left| T_{1/2} \right| \left| T_{3/2} \right| \cos(\Delta_s - \phi_{CP})$$

$$\Gamma_{\bar{n}\pi^0} \approx \frac{1}{2} \left| T_{1/2} \right|^2 - \left| T_{1/2} \right| \left| T_{3/2} \right| \cos(\Delta_s - \phi_{CP})$$

same data would be useful for an  $\alpha_0 + \alpha_0 / \alpha_0 - \alpha_0$  measurement



## 2) Why the big change in $\alpha$ ?

Why different?

from: Kiyoshi Tanida  
JAEA Japan



- **Multiple scattering:**
  - E.g., at 95 MeV with 3 cm scatterer (target),  $\theta_0$  becomes as large as 1.5 degree.
    - 5 degree multiple scattering occurs with a probability of 1 % order and dominates over single scattering
  - Actual scatterer thickness is even larger
  - Of course, analyzing power for multiple Coulomb scattering is almost 0
    - Can explain the difference
- **Note:** effective  $A_N$  depends on target thickness
  - This is why target thickness is explicit in the new data.
  - We have to be careful!!

# 轻子数和重子数破坏的寻找

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PERSPECTIVE

## Prospects for rare and forbidden hyperon decays at BESIII

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The study of hyperon decays at the Beijing Electron Spectrometer III (BESIII) investigate the events of  $J/\psi$  decay into hyperon pairs, which provide a pristine e at the Beijing Electron-Positron Collider II. About  $10^6$ – $10^8$  hyperons, i.e., produced in the  $J/\psi$  and  $\psi(2S)$  decays with the proposed data samples at samples, the measurement sensitivity of the branching fractions of the hyperon of  $10^{-5}$ – $10^{-8}$ . In addition, with the known center-of-mass energy and “tag and decays with invisible final states can be probed.

**Keywords** BESIII,  $J/\psi$  decay, hyperon, rare decay, FCNC, lepton flavor v

BESIII的敏感度



Decay mode	Current data	Sensitivity	$\Delta L$	$\Delta B$
	$\mathcal{B} (\times 10^{-6})$ (90% C.L.)	$\mathcal{B} (\times 10^{-6})$		
$\Lambda \rightarrow M^+ l^-$	$< 0.4\text{--}3.0$ [68]	$< 0.1$	+1	-1
$\Lambda \rightarrow M^- l^+$	$< 0.4\text{--}3.0$ [68]	$< 0.1$	-1	-1
$\Lambda \rightarrow K_S \nu$	$< 20$ [68]	$< 0.6$	+1	-1
$\Sigma^+ \rightarrow K_S l^+$	–	$< 0.2$	-1	-1
$\Sigma^- \rightarrow K_S l^-$	–	$< 1.0$	+1	-1
$\Xi^- \rightarrow K_S l^-$	–	$< 0.2$	+1	-1
$\Xi^0 \rightarrow M^+ l^-$	–	$< 0.1$	+1	-1
$\Xi^0 \rightarrow M^- l^+$	–	$< 0.1$	-1	-1
$\Xi^0 \rightarrow K_S \nu$	–	$< 2.0$	+1	-1

# 对未来J/ψ工厂的影响

目前BEPCII的亮度，每年可以积累100亿J/ψ样本： $10^{10}$

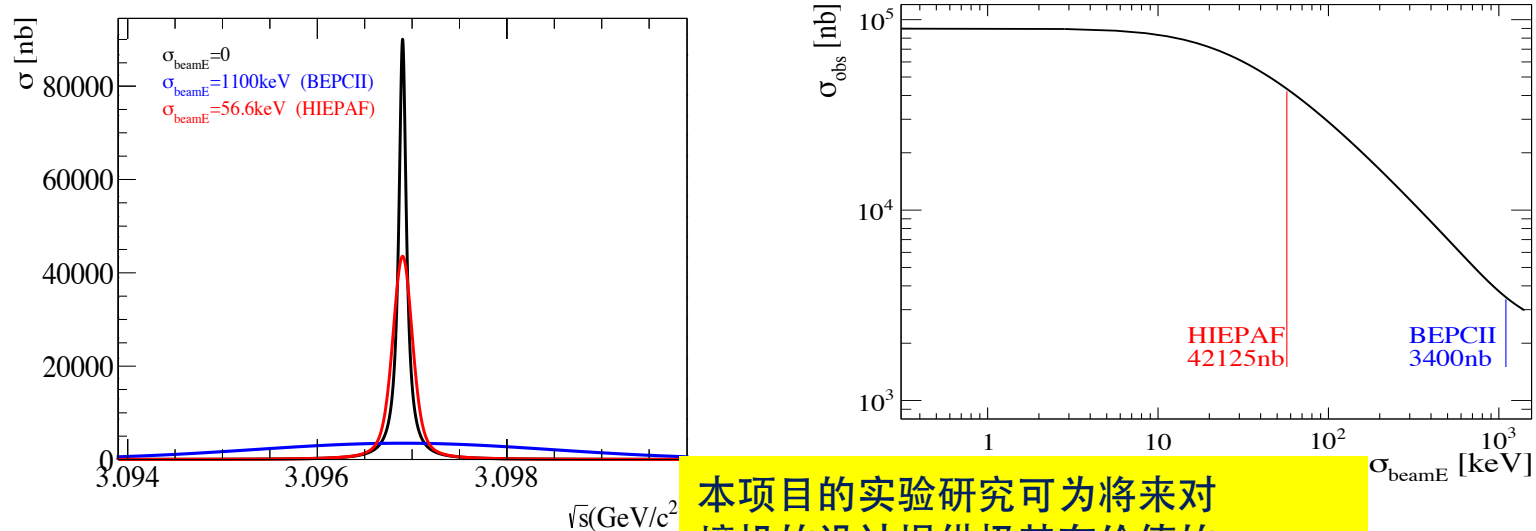
J/ψ 的物理宽度 92 keV

BEPCII上，质心能量的不确定性：1.2 MeV → J/ψ的有效观测截面：3400 nb；

升级后的BEPCII，利用单色对撞模式，把质心能散降低到100 keV

→ J/ψ的有效观测截面：41000 nb 这是激动人心的事情！

同样数据获取时间，在超级J/ψ工厂上将比BEPCII提高1000倍。



本项目的实验研究可为将来对撞机的设计提供极其有价值的参考，从而可以每年获取 $10^{13}$  J/ψ

# 单色对撞模式

单色模式概念，垂直位置的质心能量

上	高能电子	$E + \varepsilon \rightarrow \leftarrow E - \varepsilon$	低能正电子
中	理想能量电子	$E \rightarrow \leftarrow E$	理想能量正电子
下	低能电子	$E - \varepsilon \rightarrow \leftarrow E + \varepsilon$	高能正电子

对撞质心能量：

$$E_{CM} = 2E_{e^-}E_{e^+} + 2m_e^2c^4 + 2\sqrt{E_{e^-}^2 - m_e^2c^4}\sqrt{E_{e^+}^2 - m_e^2c^4}\cos(\theta)$$

头对头对撞时  $\theta = 0$ ,  $\cos(\theta) = 1$ ,  $E_{e^-} = E(1 + \epsilon_{e^-})$ ,  $E_{e^+} = E(1 + \epsilon_{e^+})$ ,  
 $\epsilon_{e^-}$ ,  $\epsilon_{e^+}$  为两束流能量偏差的相对值，假设： $E_{e^-} \sim E_{e^+} \sim E$

$$E_{CM} = 2E\sqrt{1 + \epsilon_{e^-}}\sqrt{1 + \epsilon_{e^+}} \sim 2E\sqrt{1 + \epsilon_{e^-} + \epsilon_{e^+}}$$

如果  $\epsilon_{e^-} = -\epsilon_{e^+}$  束流质心能量散度为零.

# 单色对撞模式

实际情况下，对撞点处束流有一个分布（不是质点），不同粒子的位置（垂直方向）

$$y^* = \sigma_y^* + \sigma_\varepsilon \times D_y^* \quad (*: \text{表示对撞点})$$

这里 $\sigma_y^*$ ：垂直尺寸的分布（ $=\sqrt{\beta_y^* \varepsilon_y}$ ）， $\beta_y^*$ 为对撞点振幅函数， $\varepsilon_y$ 为垂直方向发射度。

$\sigma_\varepsilon$ ：能散的分布， $D_y^*$ ：垂直色散函数

束流的分布会使质心系能散增加，但束流尺寸越小，质心系能散也会越小。

这对 $J/\psi$ 很窄的共振峰通道的事例率提高意义很大

事例率提高因子是

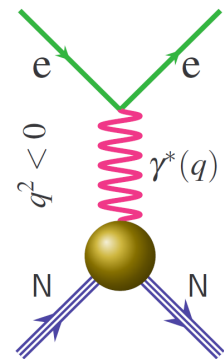
$$\lambda = \sqrt{1 + \frac{D_y^{*2} \sigma_\varepsilon^2}{\beta_y^* \varepsilon_y}}$$

$\lambda$ 通常可以设计到大于10

# Nucleon Form Factor

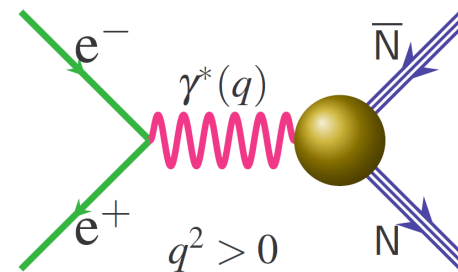
- Fundamental properties of the nucleon
  - Connected to charge, magnetization distribution
  - Crucial testing ground for models of the nucleon internal structure
- Can be measured from space-like processes (eN) (precision 1%) or time-like process (e<sup>+</sup>e<sup>-</sup> annihilation) (precision 10%-30%)

$eN \rightarrow eN$



**Space-like:  
FF real**

$e^+e^- \leftrightarrow N\bar{N}, \Lambda\bar{\Lambda}$



**Time-like:  
FF complex**

# $e^+e^- \rightarrow B\bar{B}$

-- formulae & definitions --

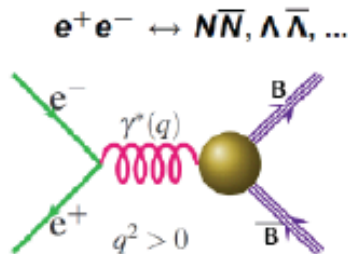
Sachs form factors

$$G_E = F_1 + \frac{q^2}{4M^2} F_2$$

$$G_M = F_1 + F_2$$

$$\frac{G_E(0) - G_M}{G_M(0) - \mu\alpha}$$

Born cross section:



time-like "Sachs" form-factors

$$\frac{d\sigma}{d\Omega} = \frac{\alpha^2 \beta C}{4m_{B\bar{B}}^2} \left[ (1 + \cos^2 \theta) |G_M(m_{B\bar{B}})|^2 + \frac{1}{\tau} \sin^2 \theta |G_E(m_{B\bar{B}})|^2 \right]$$

$$\tau = \frac{m_{B\bar{B}}^2}{4M_B^2} \quad \beta = \sqrt{1 - \frac{1}{\tau}}$$

Coulomb enhancement factor

$$C_{\text{charged}} = \frac{\pi\alpha/\beta}{1 - \exp(-\pi\alpha/\beta)} \xrightarrow{(\beta \rightarrow 0)} \pi\alpha/\beta$$

$$C_{\text{neutral}} = 1$$

in point-like approx

integrated cross section:

$$\sigma_{B\bar{B}}(m_{B\bar{B}}) = \frac{4\pi\alpha^2\beta C}{3m_B^2} \left[ |G_M(m_{B\bar{B}})|^2 + \frac{1}{2\tau} |G_E(m_{B\bar{B}})|^2 \right] = \frac{4\pi\alpha^2\beta C}{3m_B^2} |G_{\text{eff}}(m_{B\bar{B}})|^2 (1 + 1/2\tau)$$

"effective" form factor

effective form factor:

$$|G_{\text{eff}}|^2 = \frac{|G_M|^2 + \frac{1}{2\tau} |G_E|^2}{1 + \frac{1}{2\tau}} \sigma_{B\bar{B}}(m_{B\bar{B}}) \Rightarrow |G_{\text{eff}}| = \left( \frac{3m_{B\bar{B}}^2}{\pi\alpha^2\beta C (1 + \frac{1}{2\tau})} \right)^{\frac{1}{2}} \sqrt{\sigma_{B\bar{B}}}$$

analyticity:

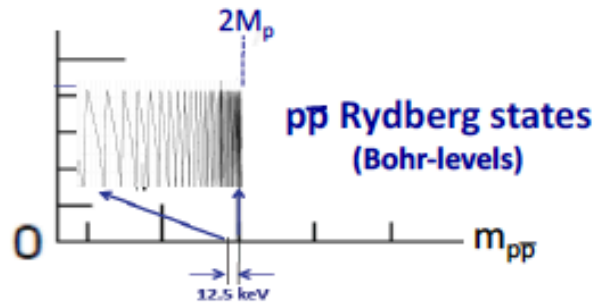
$$G_M(4M_B^2) = G_E(4M_B^2) \Rightarrow G_{\text{eff}}(4M_B^2) = G_M(4M_B^2)$$

李海波

# $e^+e^- \rightarrow p\bar{p}$ at threshold

Integrated cross section:

$$\sigma_{p\bar{p}}(m_{p\bar{p}}) = \frac{4\pi\alpha^2 \beta C}{3m_p^2} |G_{eff}(m_{p\bar{p}})|^2 (1 + 1/2\tau)$$



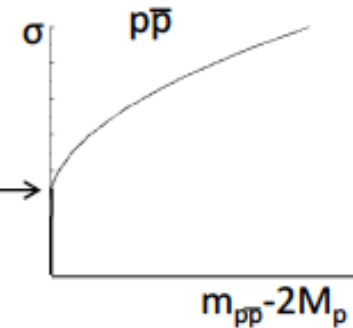
$$\text{for } p\bar{p}: C = \frac{\pi\alpha / \beta}{1 - \exp(-\pi\alpha / \beta)} \rightarrow \frac{\pi\alpha}{\beta}$$

Sommerfeld resummation factor

in point-like approx:

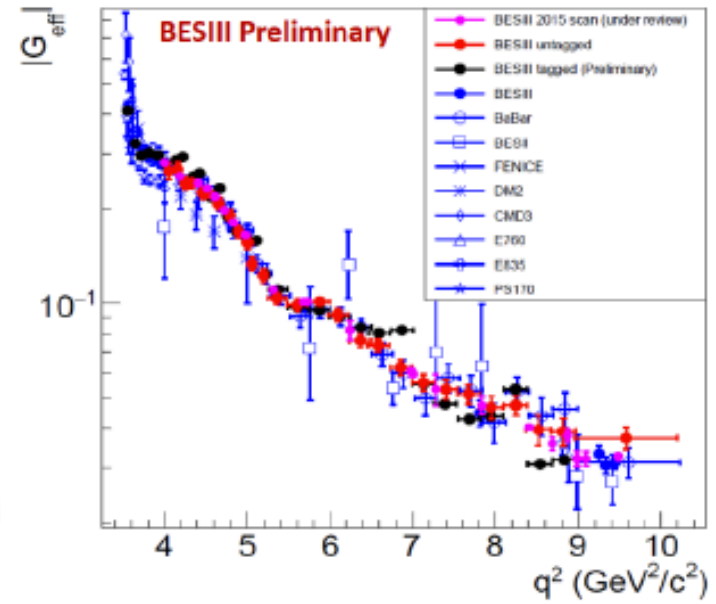
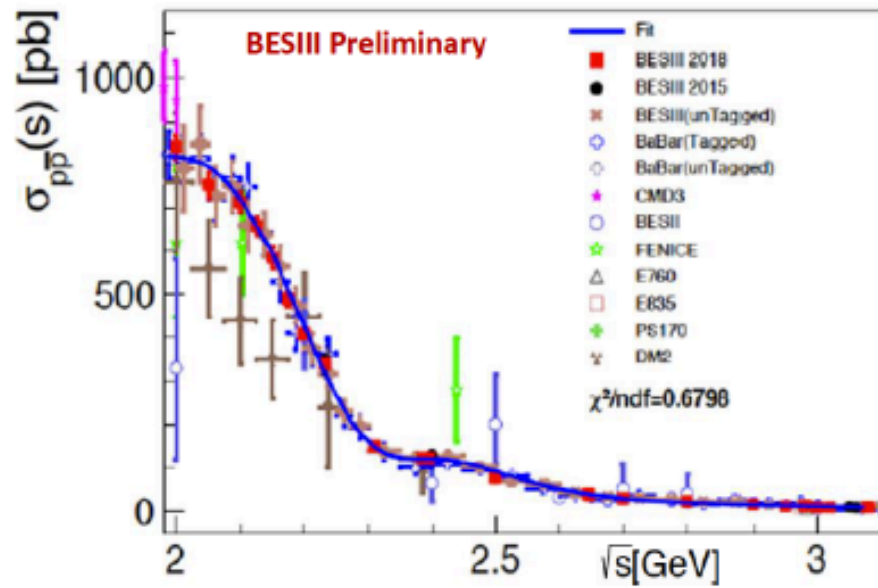
$$\sigma_0 = \frac{\pi^2\alpha^3}{2M_p^2} |G_{eff}(2M_p)|^2$$

$$\approx 0.85\text{nb} |G_{eff}(2M_p)|^2$$





$$G_{\text{eff}}(q^2)$$

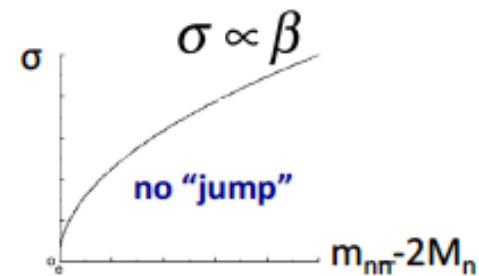


# $e^+e^- \rightarrow n\bar{n}$ (or $\Lambda\bar{\Lambda}$ ) at threshold

Integrated cross section: 
$$\sigma_{n\bar{n}}(m_{n\bar{n}}) = \frac{4\pi\alpha^2\beta C}{3m_n^2} |G_{eff}(m_{n\bar{n}})|^2 (1 + 1/2\tau)$$

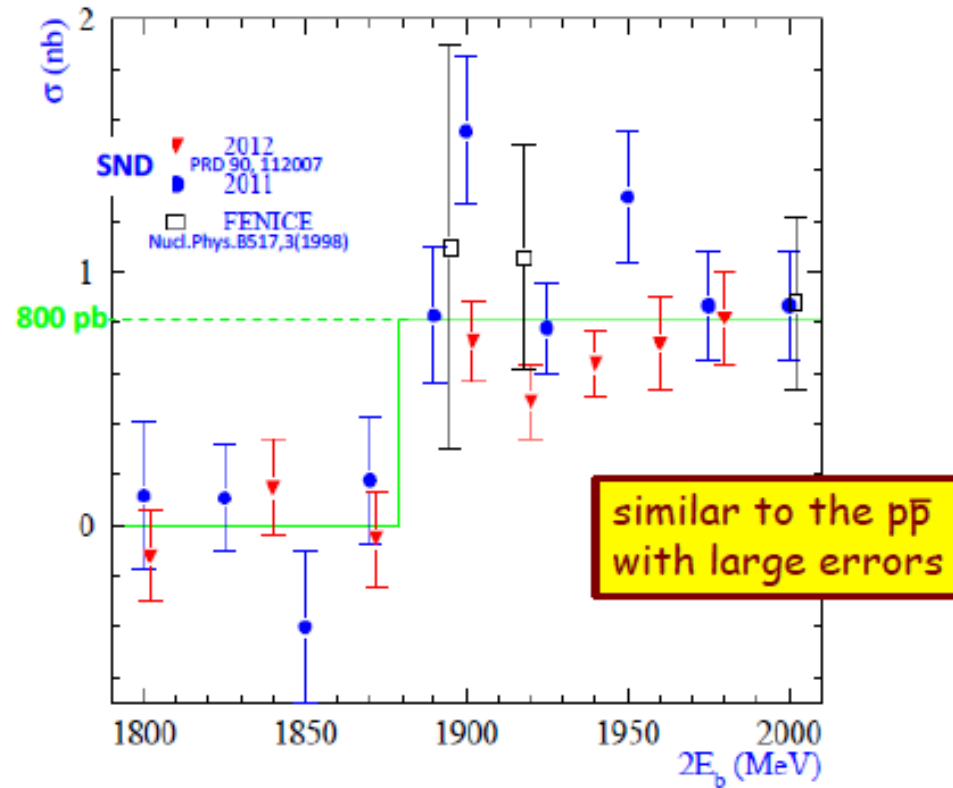
no Rydberg states  
(Bohr-levels)

for  $n\bar{n}$  ( $\Lambda\bar{\Lambda}$ ):  $C = 1$   
in point-like approx:



indications of  $\sigma(e^+e^- \rightarrow n\bar{n})$  jump at

$$E_{\text{cm}} = 2m_n$$

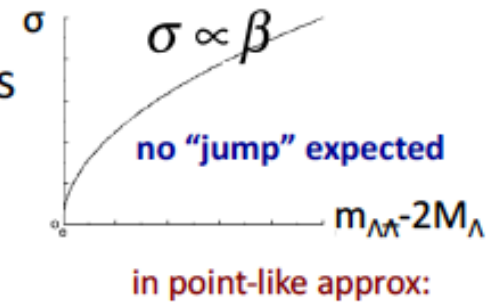


**BESIII results will be reported soon**

李海波



Electrically neutral  $\rightarrow$  no Rydberg states  
 - no Coulomb enhancement

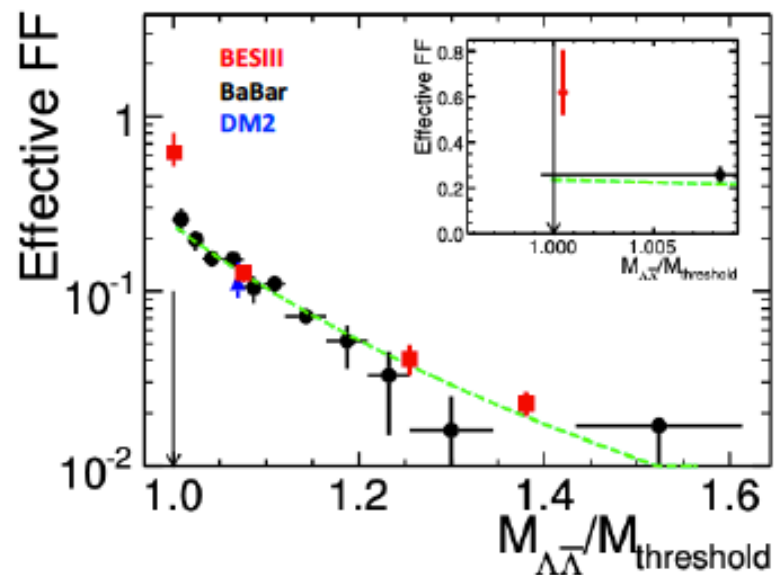
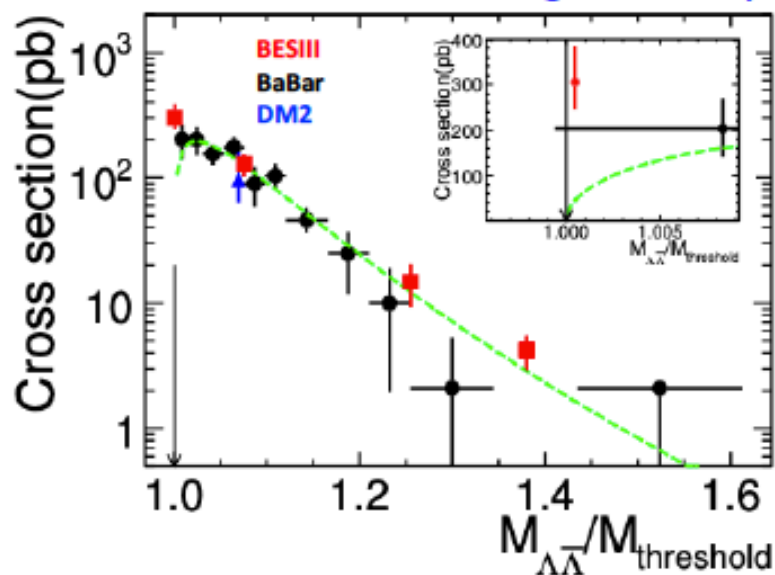


Isospin singlet,  $\pi$ -exchange not allowed  
 -  $\Lambda\bar{\Lambda}$  molecule is unlikely

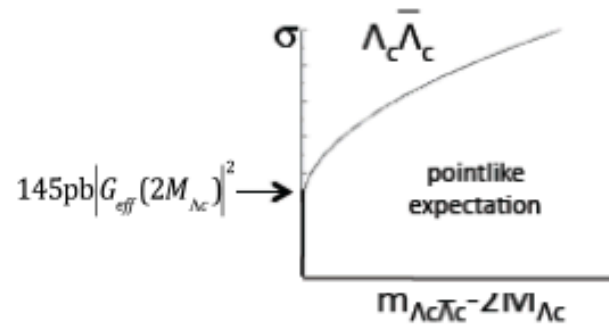
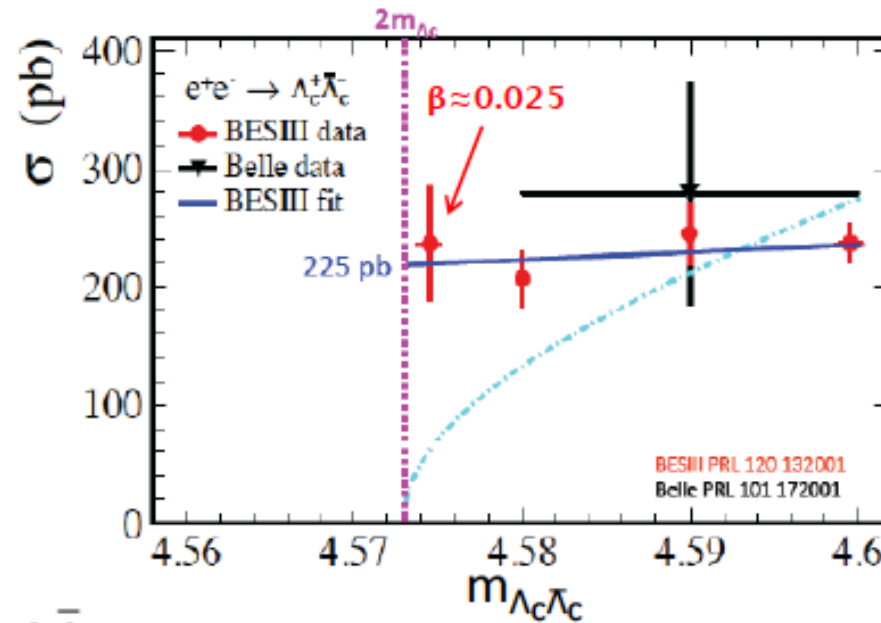
# $\sigma(e^+e^- \rightarrow \Lambda\bar{\Lambda})$ & $G_{\text{eff}}$ at threshold

$$\sigma_{\Lambda\bar{\Lambda}}(m_{\Lambda\bar{\Lambda}}) = \frac{4\pi\alpha^2\beta}{3m_{\Lambda}^2} |G_{\text{eff}}(m_{\Lambda\bar{\Lambda}})|^2 (1 + 1/2\tau)$$

no sign of  $\sigma \propto \beta$  threshold behaviour



# $\sigma(e^+e^- \rightarrow \Lambda_c^+ \Lambda_c^-)$ @ $\sim$ threshold



$\approx 225$  pb “jump” at threshold  
 $\approx$  consistent with  $\delta\sigma \approx 145$  pb  
 $|G_{\text{eff}}| = 1$  pointlike jump  
 but  $\approx$  flat after that (like pp)