

# Channel coupling effects in exclusive meson photo and electroproduction at high momentum transfers

- A good news: it allows to understand long standing problems
- A bad news: quarks are not explicitly needed at JLab6
- JLab12 and higher?
- Semi inclusive reactions?

*VCS and DVCS: Phys. Rev. C76, 052201(R) 2007*

*Charged pion: Phys. Lett. B685, 146 (2010)*

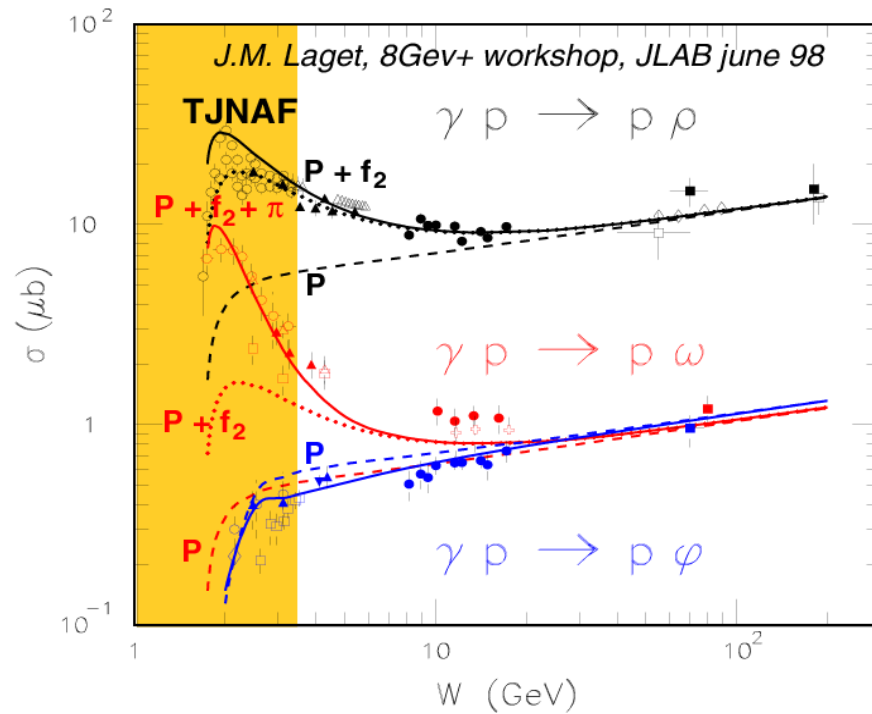
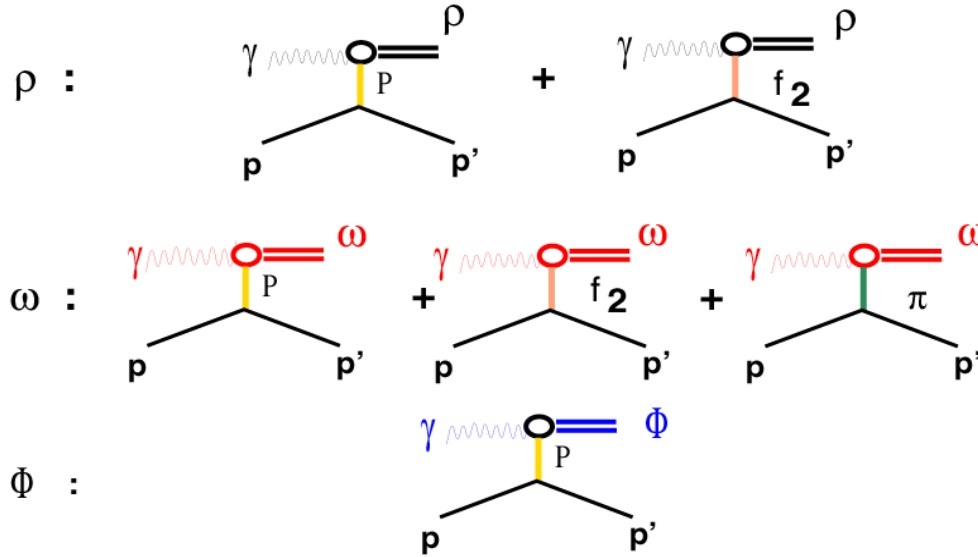
*Neutral pion: arXiv:1004.1949 [hep-ph]*

*$\phi$  meson: unpublished yet*

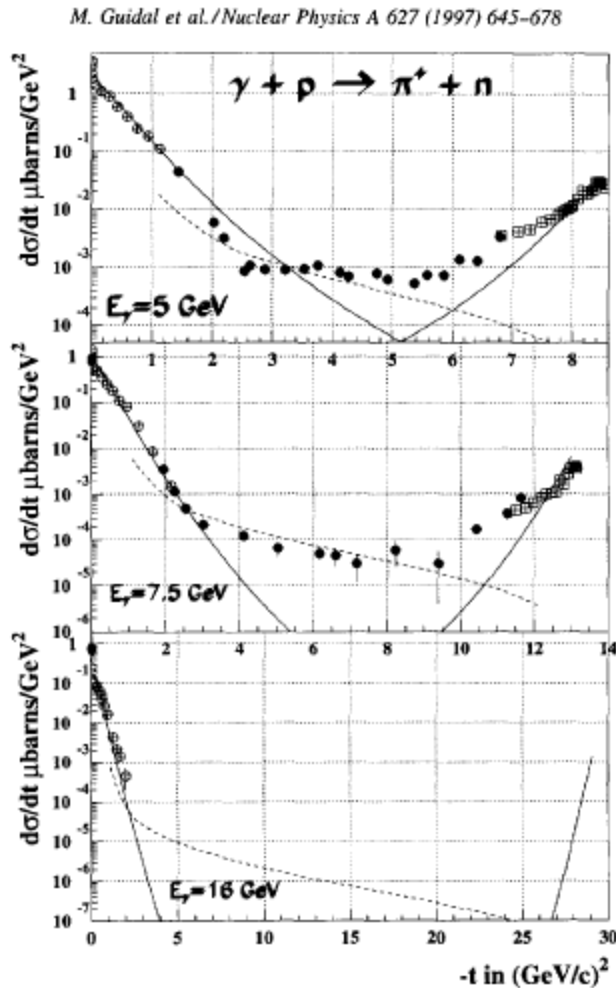
# Channel Coupling

- Consequence of **unitarity**
- **Low** energies: **many flat channels**  $\leftrightarrow$  EBAC
- Intermediate energies:
  - one channel dominates:  $\rho$
  - **Forward** peaked cross section
- High energies?
- Two examples:
  - **Large  $t$**
  - **Large  $Q^2$**

# $\gamma p \rightarrow p V$ : dominant processes

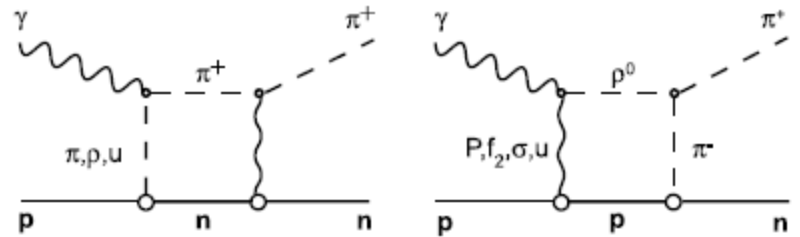
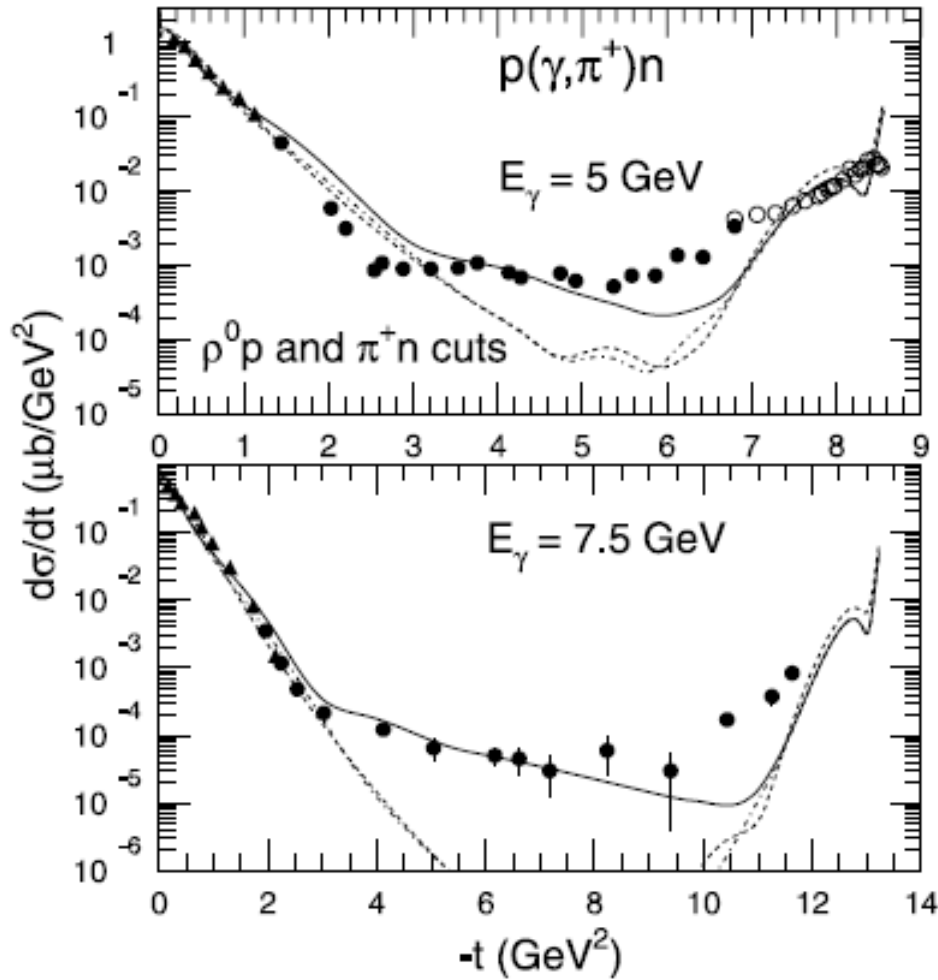


# $\rho(\gamma, \pi^+)n$ : Regge poles

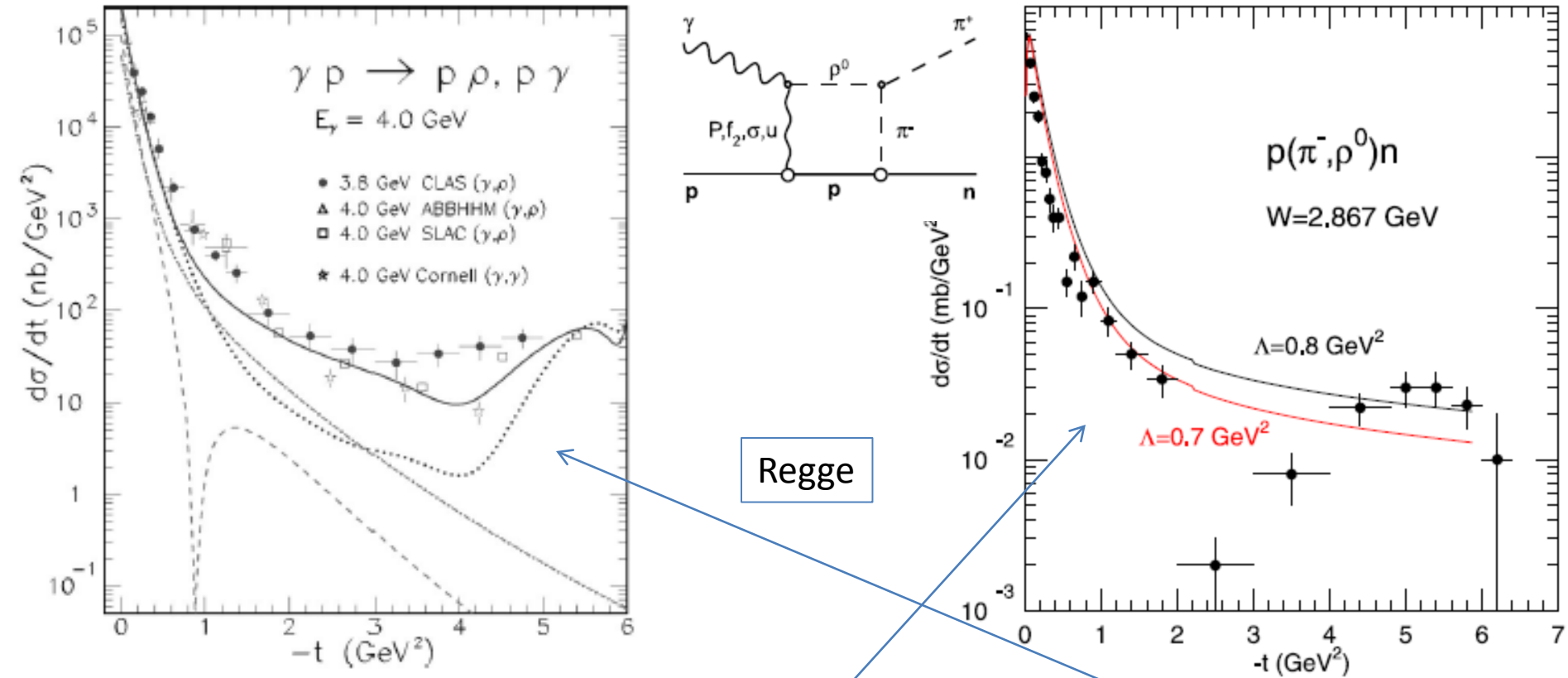


- Regge Pole Approach
  - t channel:  $\pi, \rho$
  - u channel:  $\rho, \Delta$
- 
- Linear trajectories:  
forward/backward
  - Saturating trajectories:  
intermediate angles
    - Poor man quark model!!
    - Consistent with scaling

# $\rho(\gamma, \pi^+)n$ : cuts



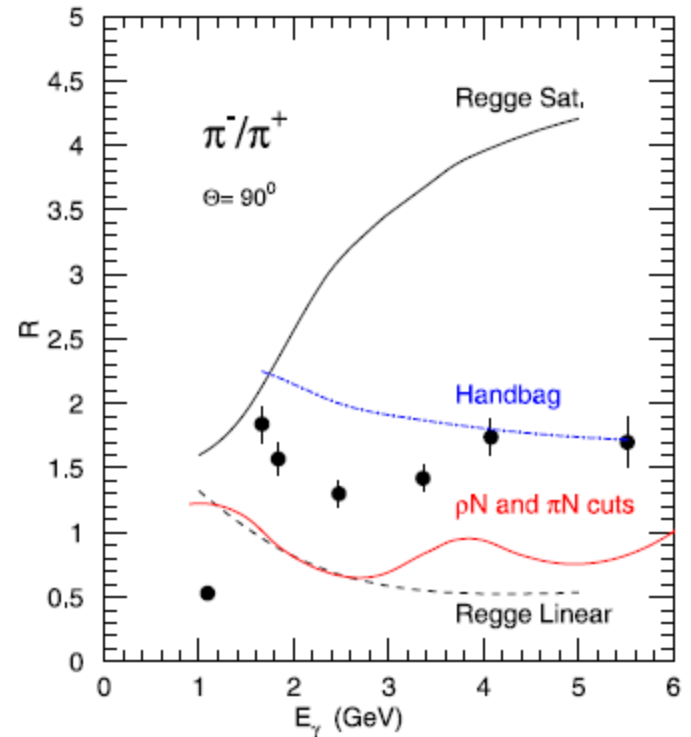
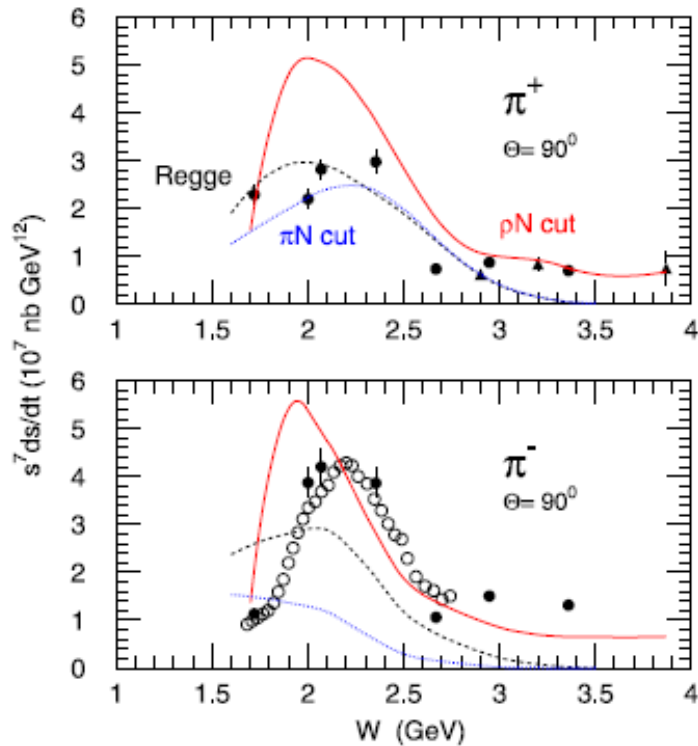
# $\rho(\gamma, \pi^+)n: \rho^0\rho$ cut



$$T_{loop} = -i \frac{m_{p.c.m.}}{16\pi^2 \sqrt{s}} \int d\Omega_p \sum_{m_p, m_\rho} (m_f | T_{\rho\pi}(t_\pi) | m_p, m_\rho) (m_p, m_\rho | T_{\gamma\rho}(t_\gamma) | m_i)$$

Parameter free!

# $\rho(\gamma, \pi^+)n$ : scaling



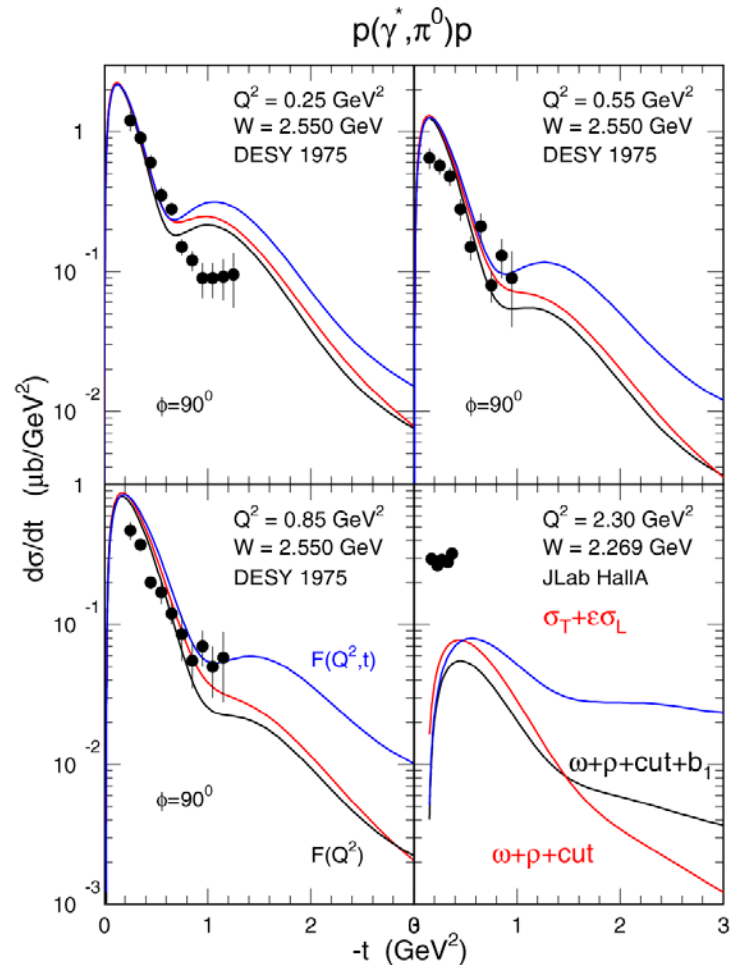
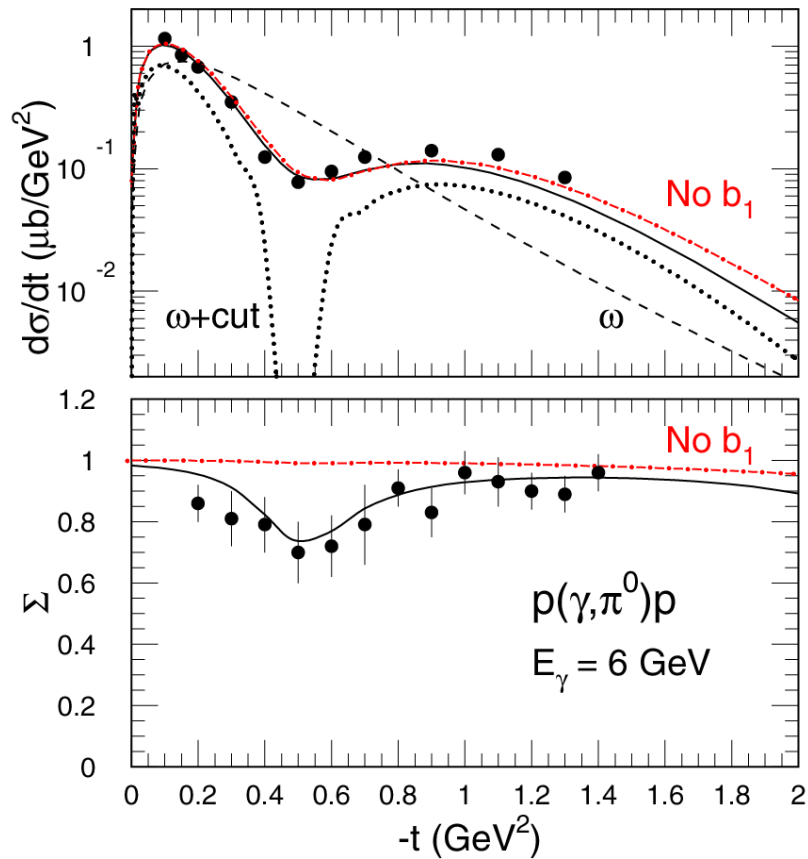
- **No** quarks explicitly needed!
- **Natural** explanation of **scaling** and deviations at low energies

# $\rho(e, e' \pi^0)\rho$ : issues

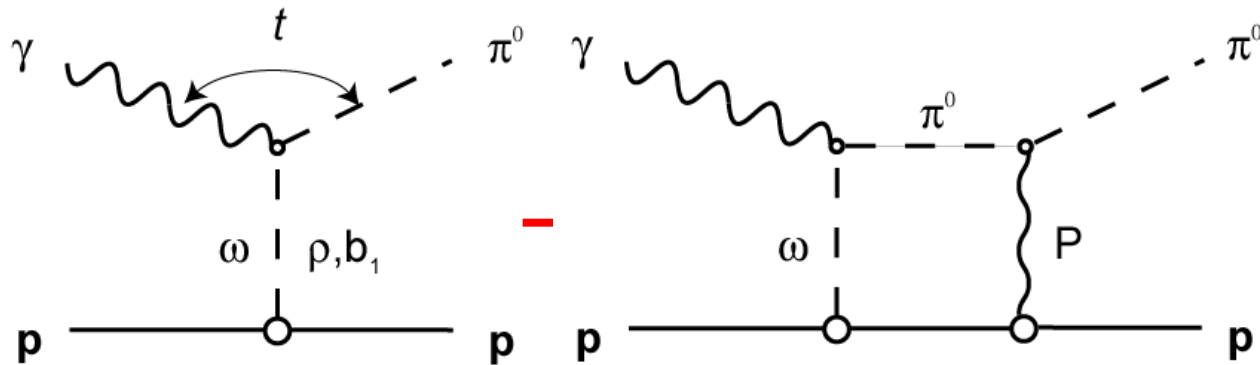
- **Node** around  $t=0.5 \text{ GeV}^2$  at  $Q^2=0$
- This node **disappears when  $Q^2 \neq 0$**
- Around  $Q^2= 2-3 \text{ GeV}^2$ , the measured cross section **exceeds by a factor 5** the Regge pole extrapolation
- Solution: coupling to the **charged  $\rho$**  production channels



# $p(e, e' \pi^0)p$



# $\rho(e, e' \pi^0) \rho$ : Regge cut



Degenerate Scheme + Cut

$$e^{-i\pi\alpha_\omega(t)} \left(\frac{s}{s_0}\right)^{\alpha_\omega(t)-1} F_{em}(Q^2)$$

$$\alpha_\omega(t) = \alpha_\omega(0) + \alpha'_\omega t$$

$$= 0.44 + 0.9t$$

$$e^{-i\pi\alpha_c(t)} \left(\frac{s}{s_0}\right)^{\alpha_c(t)-1} G(Q^2, t)$$

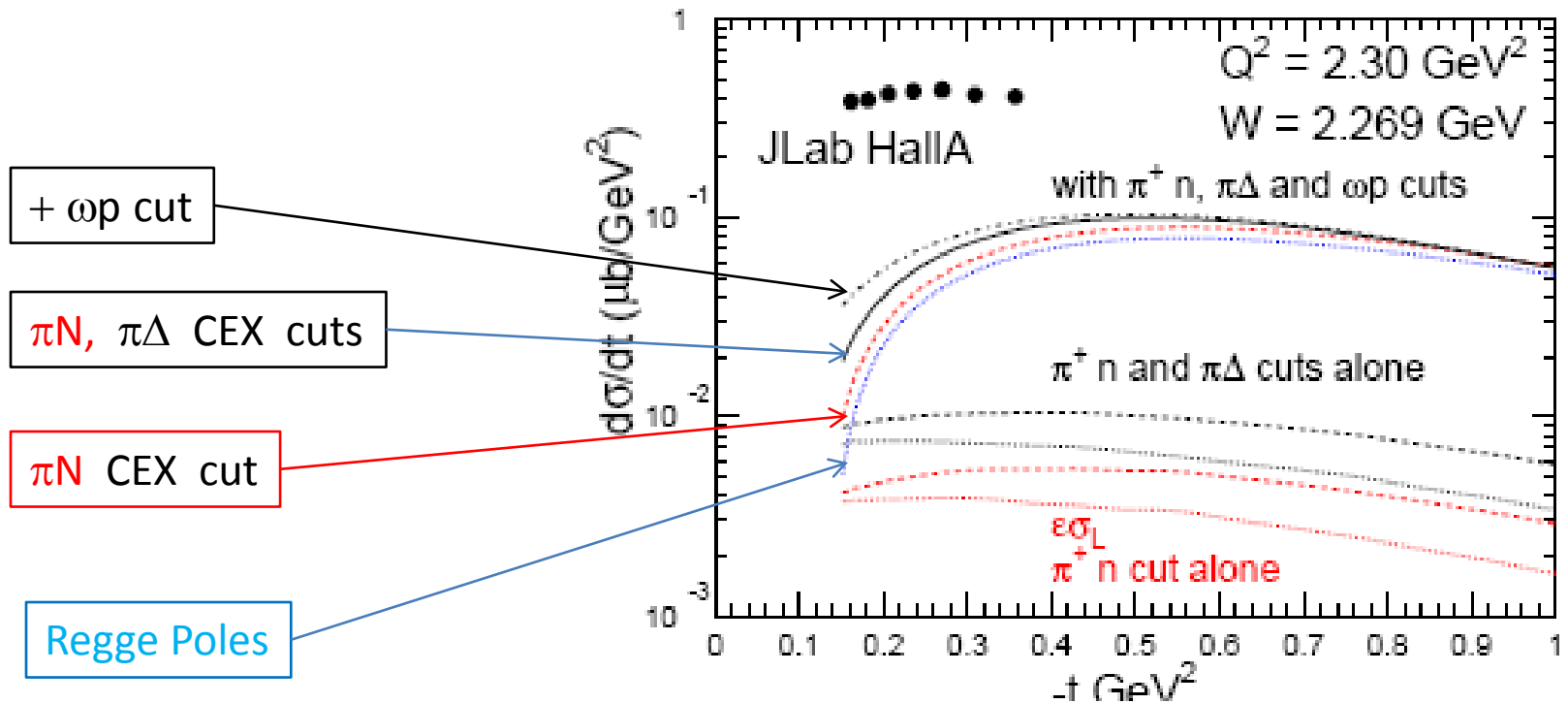
$$\alpha_c(0) = \alpha_\omega(0) + \alpha_P(0) - 1 = 0.44$$

$$\alpha'_c = (\alpha'_\omega \times \alpha'_P) / (\alpha'_\omega + \alpha'_P) = 0.2$$

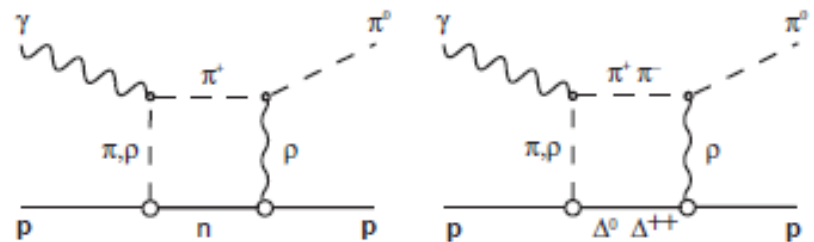
Non Degenerate  $\omega$  Trajectory (GLV scheme)

$$\frac{-1 + e^{-i\pi\alpha_\omega(t)}}{2} \left(\frac{s}{s_0}\right)^{\alpha_\omega(t)-1} F_{em}(Q^2)$$

# $p(e, e' \pi^0)p$ : CEX and $\omega p$ cuts

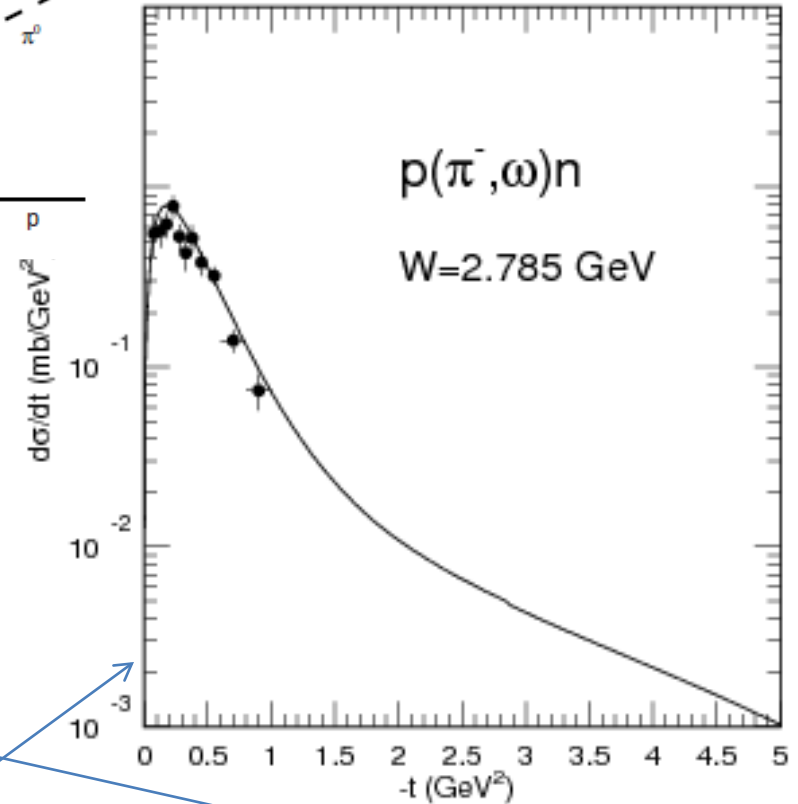
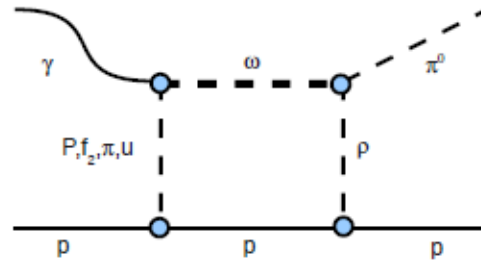
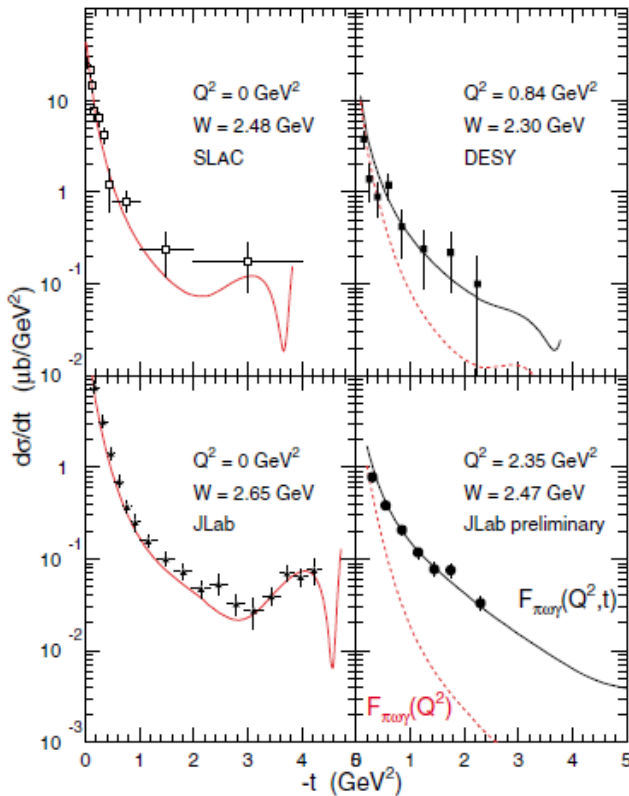


**Not enough!**



# $p(e, e' \pi^0)p$ : $\omega p$ cut

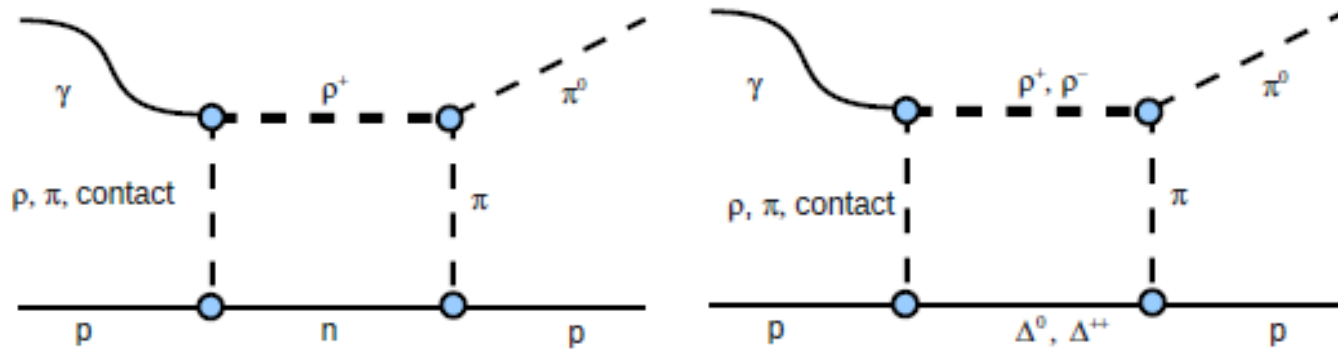
$p(\gamma, \omega)p$



$$T_{loop} = -i \frac{m p c.m.}{16\pi^2 \sqrt{s}} \int d\Omega_p \sum_{m_p, m_\omega} (m_f | T_{\omega\pi}(t_\rho) | m_p, m_\omega) (m_p, m_\omega | T_{\gamma\omega}(t_\gamma) | m_i)$$

No freedom as long as the elementary reactions are reproduced

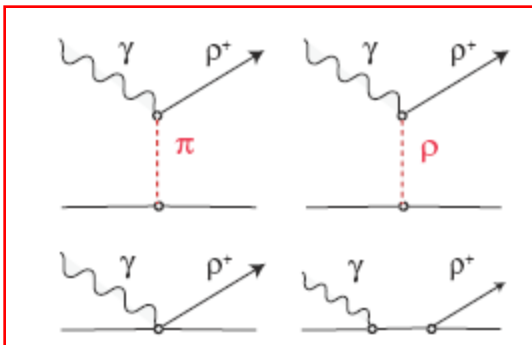
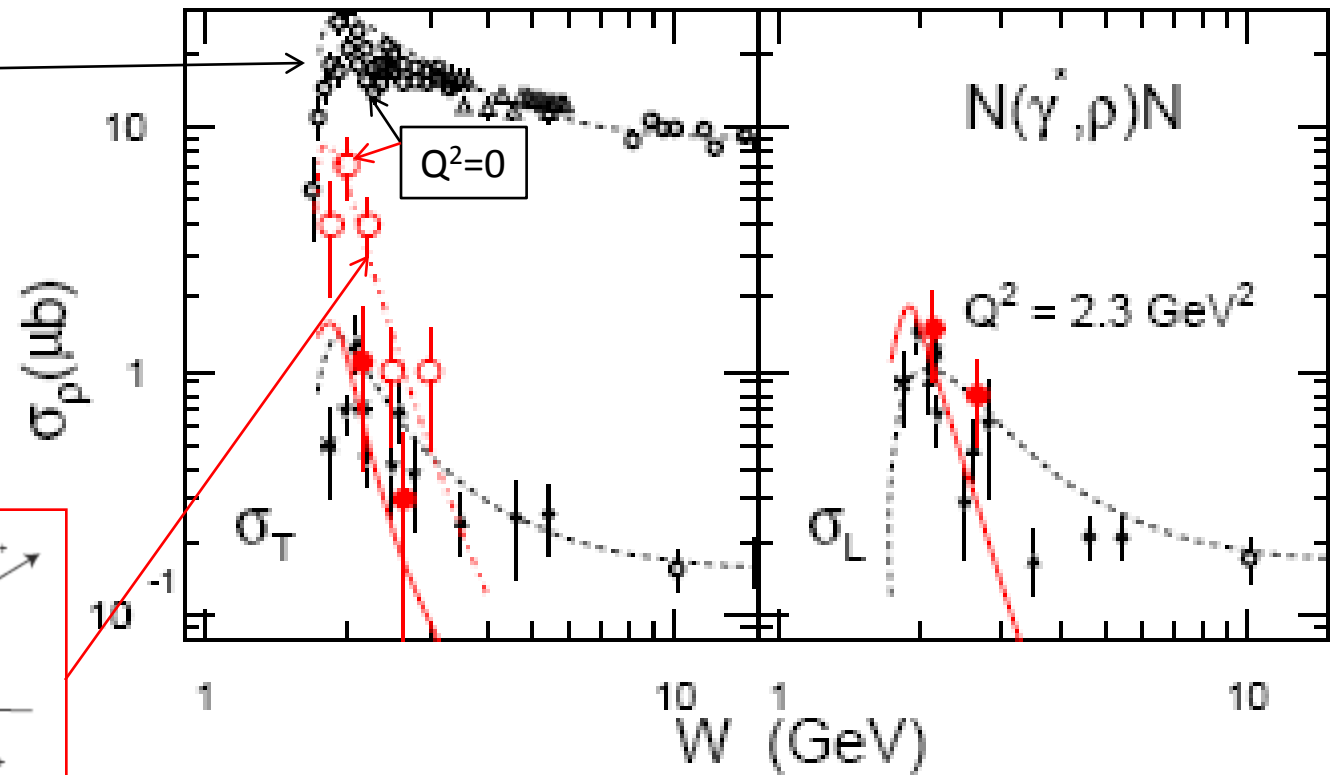
# $\rho(e, e' \pi^0)\rho$ : $\rho^+n$ and $\rho^+\Delta$ cuts



- $\rho^+$  cross section: **large at  $Q^2 \approx 3 \text{ GeV}^2$**  (CLAS)  
small at  $Q^2=0$
- $\rho \rightarrow \pi$  cross section **larger** than  $\omega \rightarrow \pi$  cross section
- $\Delta$  intermediate states as important as neutron one

# $P(e, e' \rho^+) N$

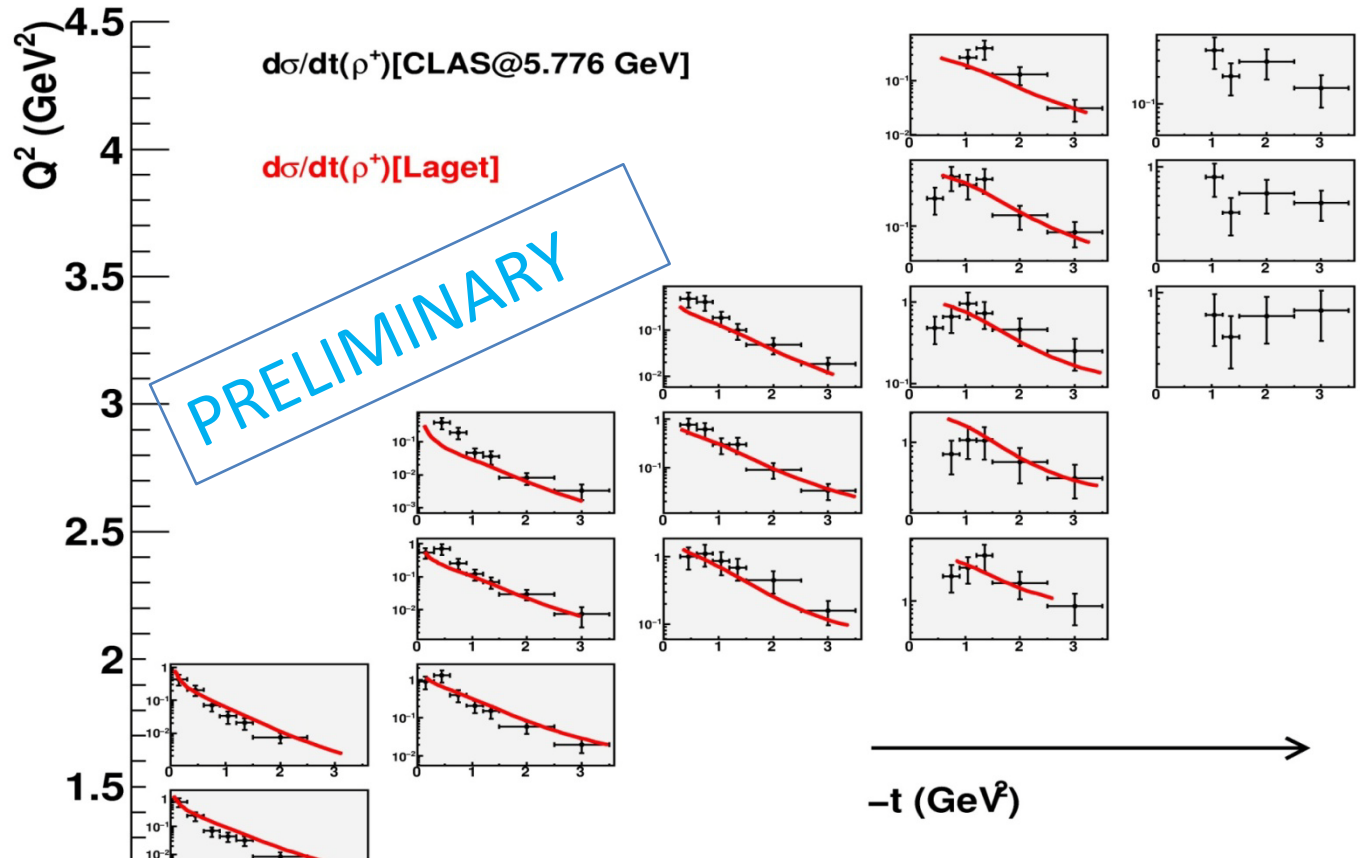
$\rho^0$ : diffractive



Gauge invariant

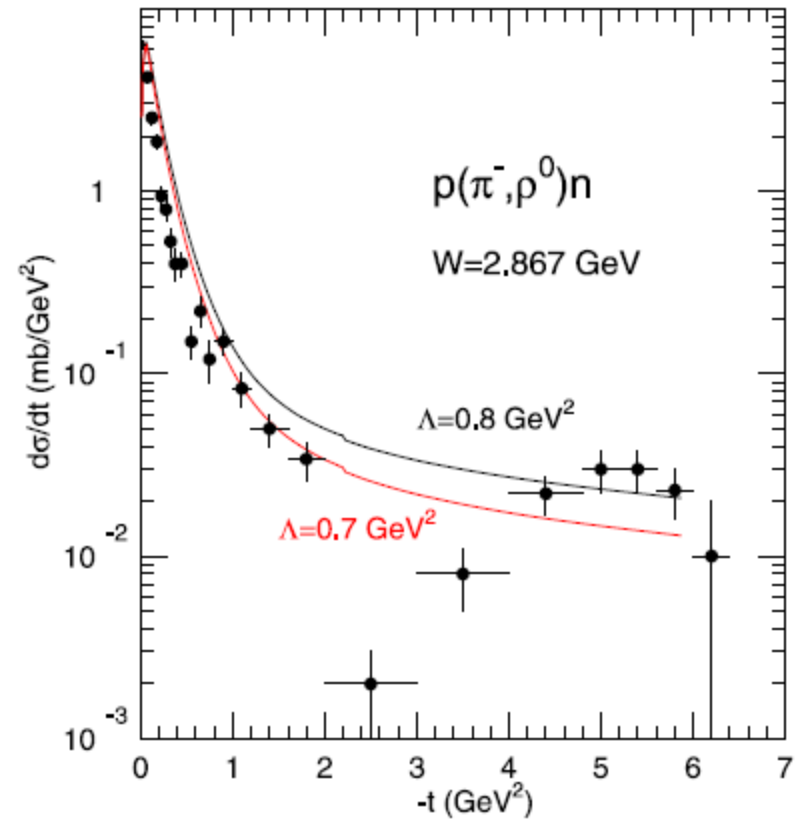
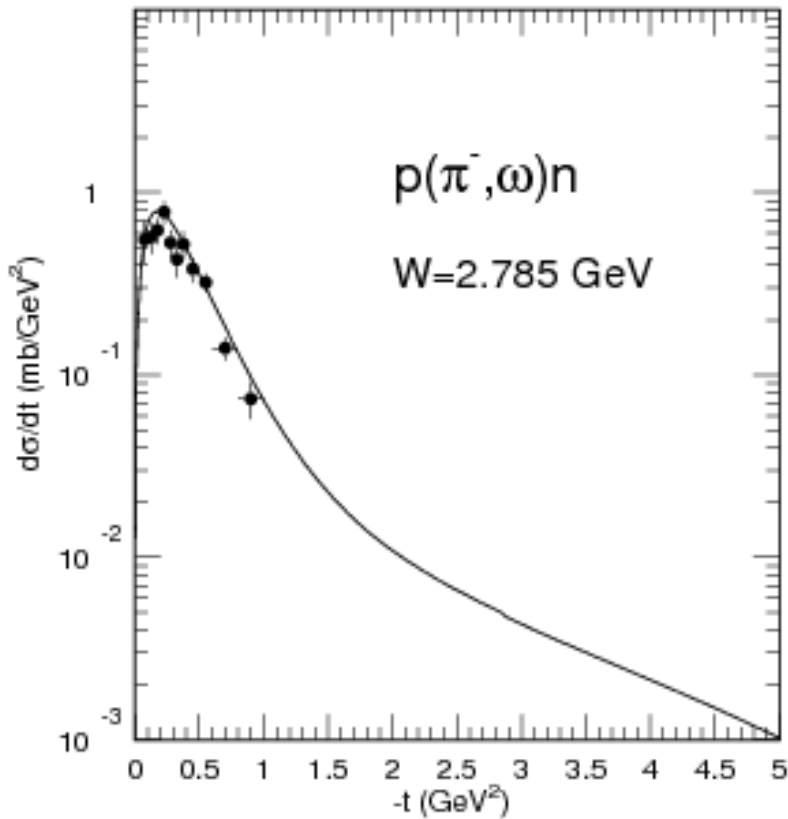
# $p(e, e' \rho^+)n$

- Regge
- t-channel  $\rho$  and  $\pi$
- Contact term
- s-channel nucleon
- Gauge invariant



A. Fradi (Milos2009)  
*See his talk this week*

# $\omega$ vs $\rho$ absorption cross sections



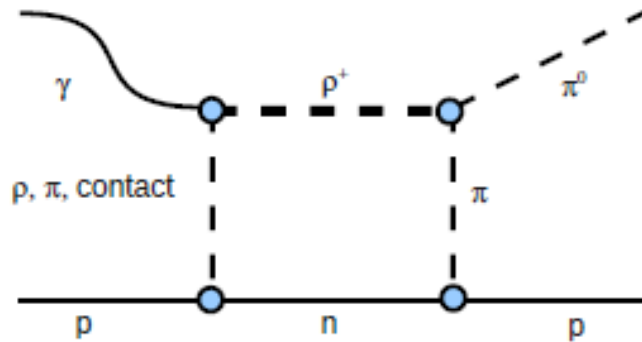
Regge  $\rho$  exchange

$$\sigma(\pi, \omega) < \sigma(\pi, \rho)$$

Regge  $\pi$  exchange

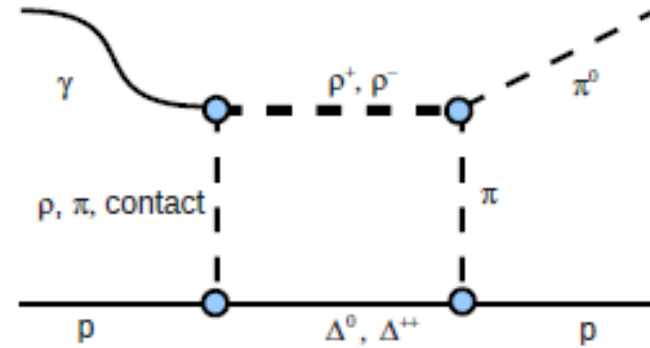


# $\rho(e, e' \pi^0)\rho$ : $\rho^+n$ and $\rho^+\Delta$ cuts



$$g_\rho g_\pi \vec{\sigma} \cdot \vec{k}_\rho \vec{\sigma} \cdot \vec{k}_\pi$$

$$\vec{k}_\rho \cdot \vec{k}_\pi + i \vec{\sigma} \cdot \vec{k}_\rho \times \vec{k}_\pi$$

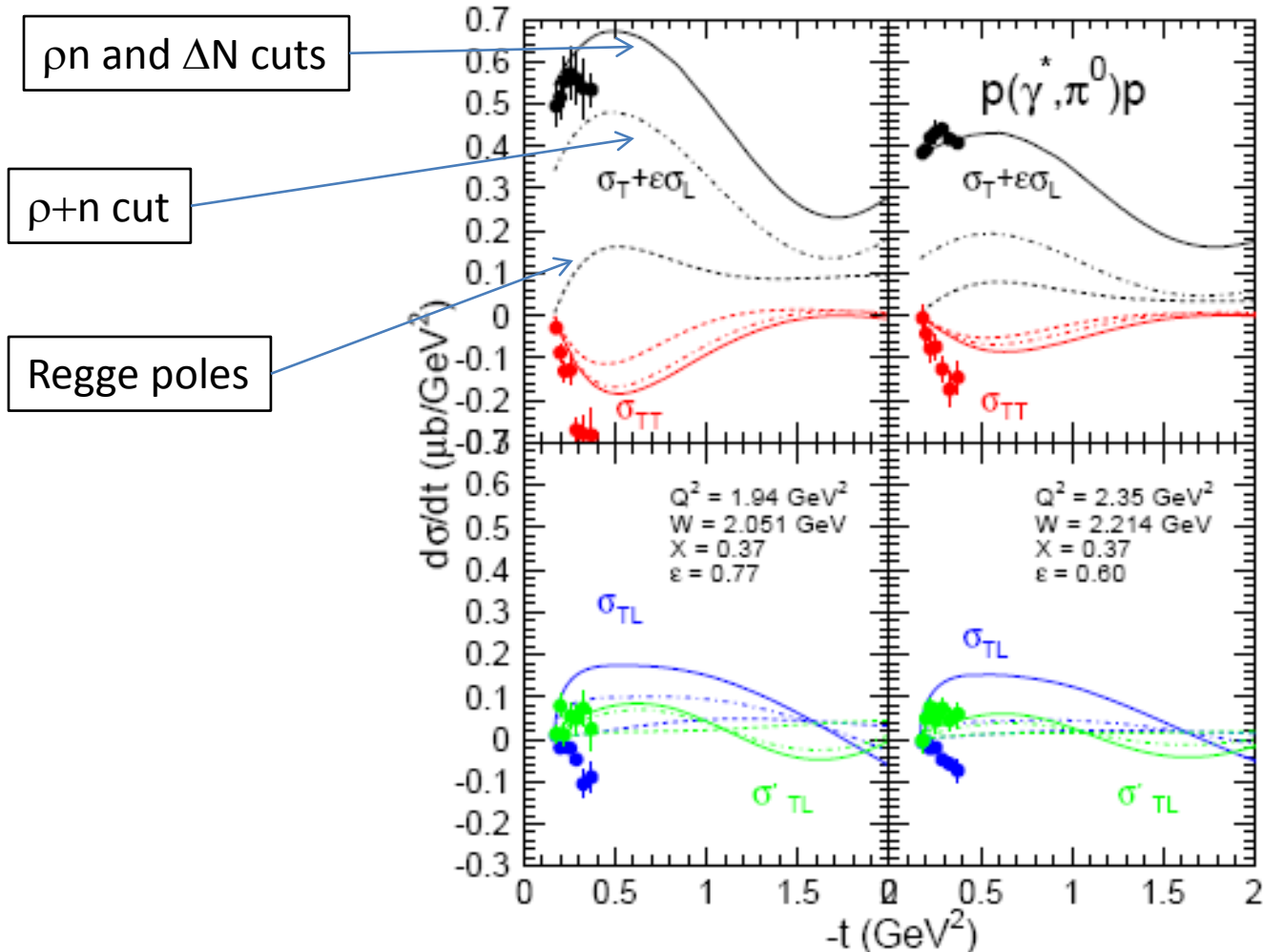


$$G_\rho G_\pi \vec{S} \cdot \vec{k}_\rho \vec{S} \cdot \vec{k}_\pi$$

$$\frac{2}{3} \vec{k}_\rho \cdot \vec{k}_\pi + i \frac{1}{3} \vec{\sigma} \cdot \vec{k}_\rho \times \vec{k}_\pi$$

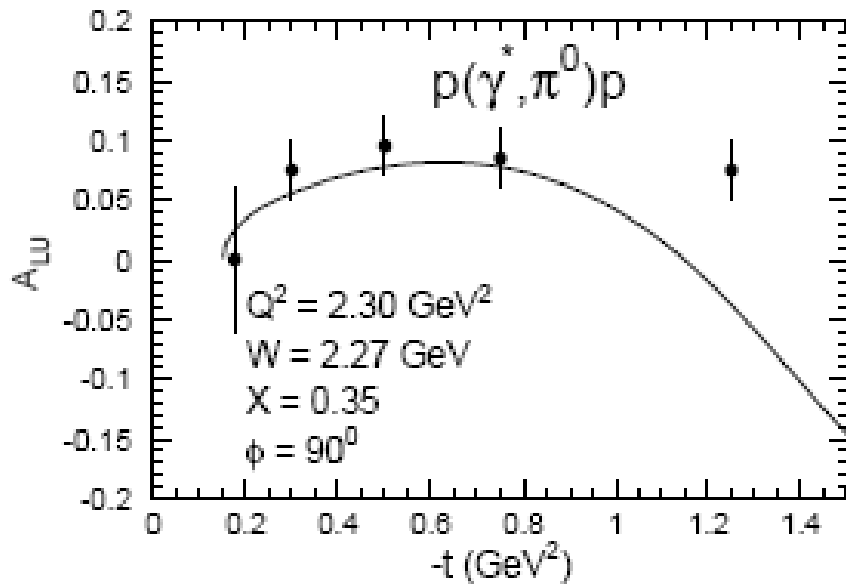
$$T_n + T_{\Delta^0} + T_{\Delta^{++}} \sim 1.75 \div 2.1 T_n$$

# JLab HallA kinematics

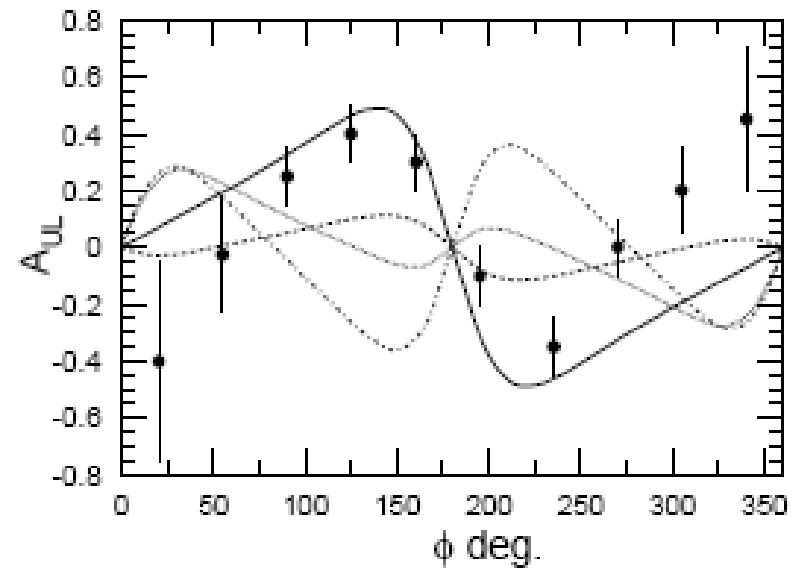


# JLab HallB

- Unpolarized Xsections: → Talk by V. Kubarovsky
- Single Spin Asymmetries (SSA)

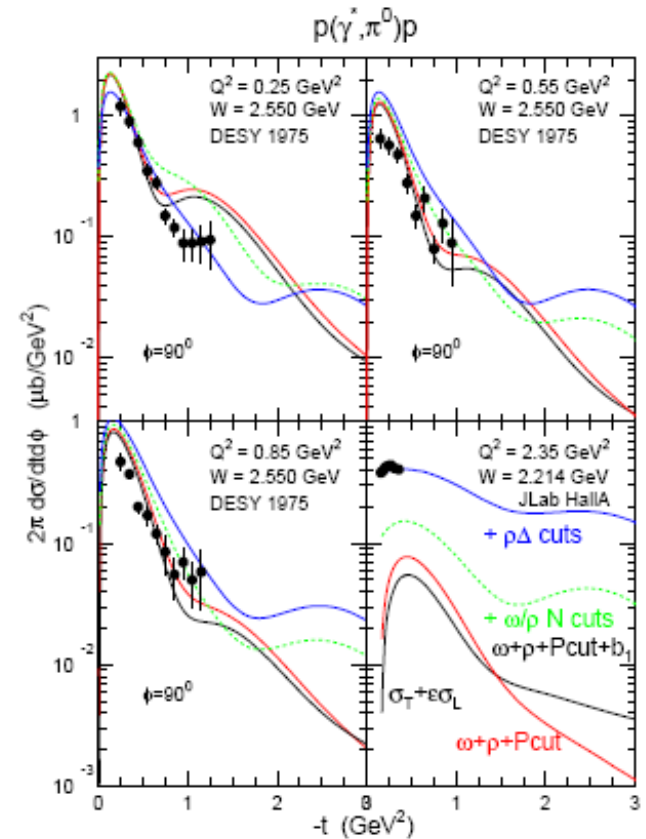
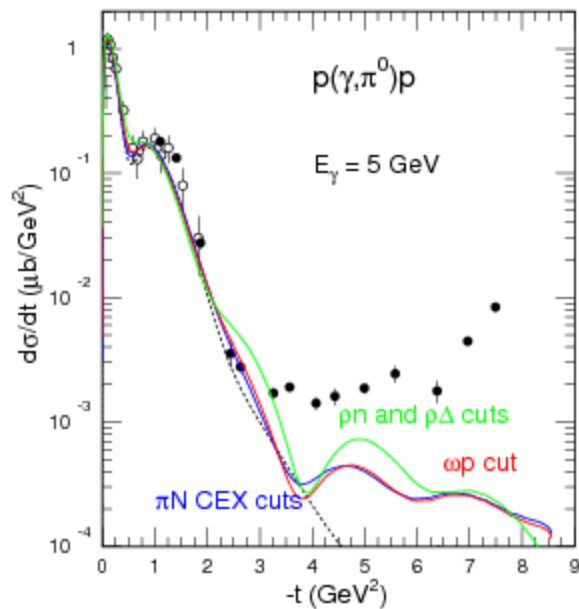


Beam



Target

# $\rho(e, e' \pi^0) p$ : low $Q^2$

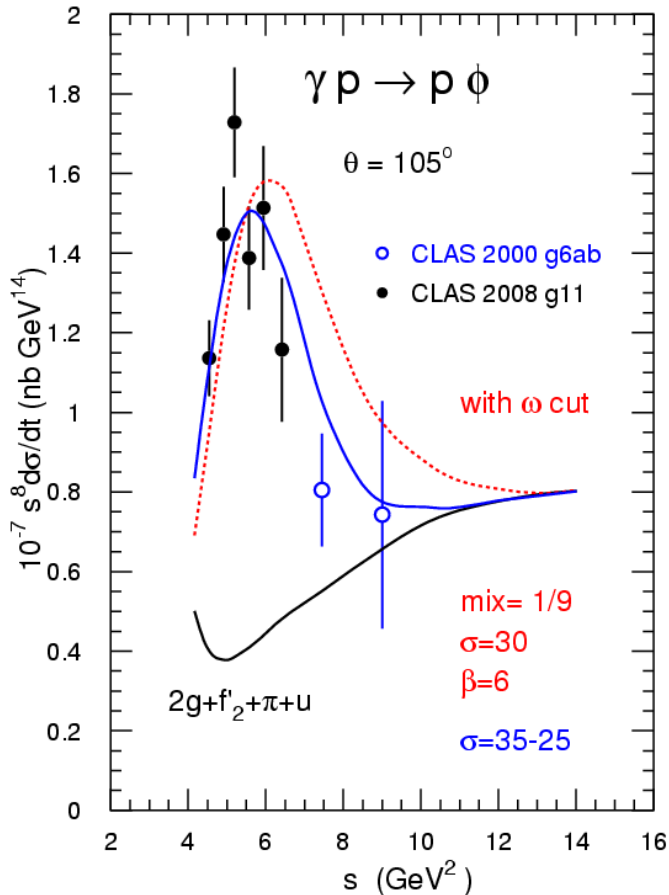


- Does not compromise the good agreement at  $Q^2=0$
- Helps to get rid of the node, for  $Q^2 < 1 \text{ GeV}^2$
- A fine tuning of the EM form factors may improve the picture

# Conclusion

- **Hadronic picture** of the light quark sector:
  - **large  $t$**  (scaling)
  - **large  $Q^2$**  (DVCS,  $\pi^0, \dots$ )
  - No quark explicitly needed
- Consistent **links between various channels**
- Comes from the **large** production and absorption cross sections of the  $\rho$
- Coupling to the  $\rho^0$  survives at high energy
- Coupling to the  $\omega$  and  $\rho^\pm$  suppressed at high energy
- $\rightarrow$  **Heavy quark sector at JLab12** ( $\phi, J/\psi, \dots$ )
  - **Weak** channel coupling ?
  - Quark/gluon picture makes more sense ?

# Approach to scaling



- 2 gluon exchange scales for  $s > 12 \text{ GeV}^2$
- The **oscillation** around scaling comes from **coupling to the  $\omega$  channel**
- No data above  $E_\gamma = 4.5 \text{ GeV}$
- Coupled channel effects suppressed at high energies
- $\rightarrow 12 \text{ GeV}^+ ? \rightarrow p(e, e' \phi)p$

# Channel coupling effects in exclusive meson photo and electroproduction at high momentum transfers

VCS and DVCS: Phys. Rev. C76, 052201(R) 2007

Charged pion: Phys. Lett. B685, 146 (2010)

Neutral pion: arXiv:1004.1949 [hep-ph]

$\phi$  meson: unpublished yet