

**Summary of EIC Electroweak  
Working Group Workshop  
Williamsburg, VA  
May 17-18, 2010**

**Kent Paschke**

**EIC Detector Workshop  
June 5, 2010**

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# Topics from EW Working Group Workshop

These are interesting topics, and potentially very interesting - but not yet any obvious high-priority bullet point.

## **Studies of the Electroweak Interaction**

- Charged Lepton Flavor Violation  $\tau \rightarrow e$
- Weak Neutral Current couplings

## **Studies *using* the Electroweak Interaction**

- high-x structure functions - higher twist, charge symmetry violation, d/u of the proton
- PV EMC effect in nuclei,  $F_3^{\nu Z}$
- novel structure functions

**Workshop featured reports of significant theoretical progress**

Detailed studies of experimental feasibility  
have yet to be done!

# Charged Lepton Flavor Violation

*Theoretical motivation w.r.t. EIC initiated by M. Ramsey-Musolf*

- The discovery of neutrino mass and mixing
  - lepton number violation theoretically favored
  - potentially enhanced charge lepton flavor violation within reach of proposed experiments
    - *help decipher the mechanism of neutrinoless double beta decay*
    - *R-parity violating Supersymmetry*
- Experimental LFV searches undergoing revival
  - Ongoing at existing facilities (PSI, B-Factories), and also being looked at seriously for the future (J-PARC, Fermilab)
  - The Mu2e project at Fermilab was given the highest near-term priority in the recent P5 report for US HEP
- Thus, it is interesting to see if EIC has a role to play in this subfield

# Identifying Tau Leptons



$$e^{-} + p \rightarrow \tau^{-} + X$$

*Topology: neutral current DIS event; except that the electron replaced by tau lepton*

- If mixed in with hadron remnants, the tau would be boosted
- If forward in the incident electron direction, the tau would be isolated
- Potential for clean identification with high efficiency:
  - look for single pion, three pions in a narrow cone, single muon: should be able to devise several good triggers
  - tau vertex displaced 200 to 3000 microns: would greatly help background rejection and maintain high efficiency if vertex detector is included in EIC detector design

Must also investigate the sensitivity and motivation for

**Lepton Number Violation**

$$e^{-} + p \rightarrow \mu^{+} + X \quad e^{-} + p \rightarrow \tau^{+} + X$$

- Monte Carlo study to design cuts, efficiency and background rejection
- vertex tracker may be required

- some interest in starting this study at Stony Brook (A. Deshpande)

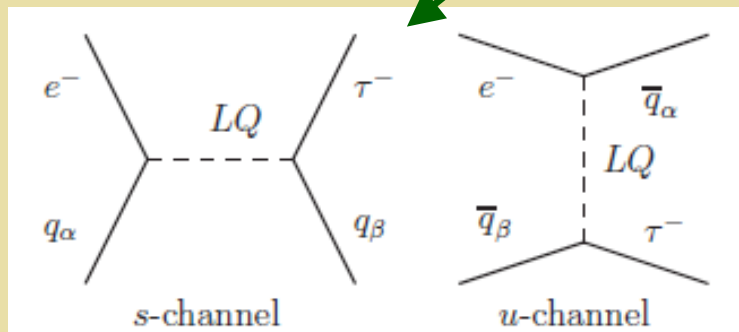
# BRW Leptoquark limits

**EIC @ 10 fb<sup>-1</sup> can decrease many existing limits by a factor of 2 to almost 2 orders of magnitude**

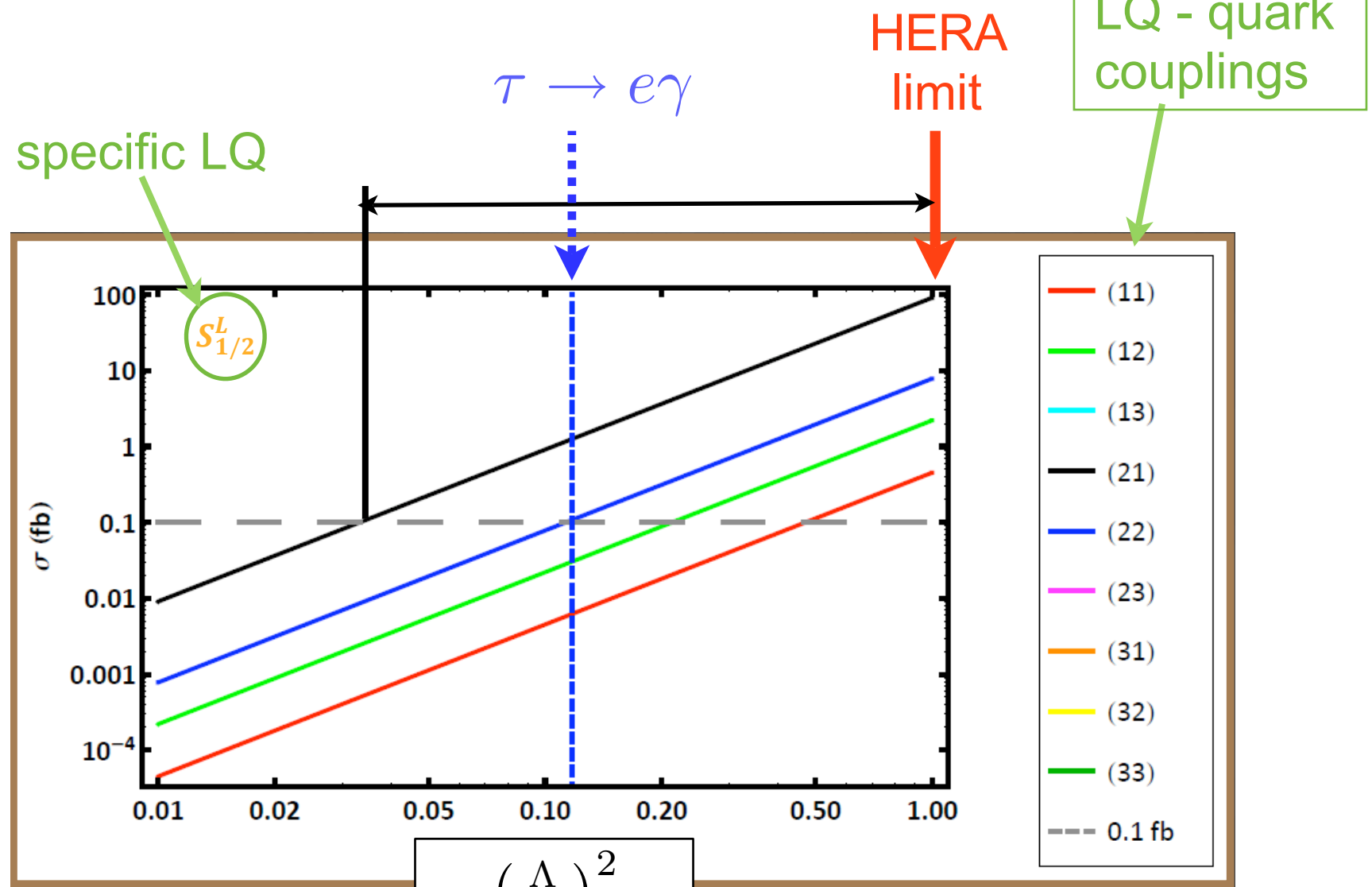
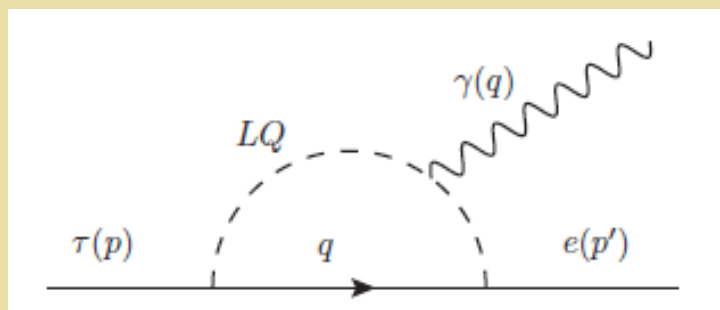
Matt Gonderinger,  
M Ramsey-Musolf

HERA & EIC

$\tau e q q$  eff op



Rare Decays



$$\frac{\left(\frac{\Lambda}{M}\right)^2}{\left(\frac{\Lambda}{M}\right)_{HERA}^2}$$

@ luminosity of 10 fb<sup>-1</sup> :

~30x improvement for (21)

# High x Structure Functions

**$A_{PV}$  in Electron-Nucleon DIS:**

*polarized electron, unpolarized hadron*

$$A_{PV} = \frac{G_F Q^2}{2\sqrt{2}\pi\alpha} \left[ g_A \frac{F_1^{\gamma Z}}{F_1^{\gamma}} + g_V \frac{f(y)}{2} \frac{F_3^{\gamma Z}}{F_1^{\gamma}} \right]$$

**For 2H, assuming charge symmetry,**  
structure functions largely cancel in the  
ratio at high x:

$$a(x) = \frac{3}{10} [(2C_{1u} - C_{1d})] + \dots$$

$$b(x) = \frac{3}{10} \left[ (2C_{2u} - C_{2d}) \frac{u_v(x) + d_v(x)}{u(x) + d(x)} \right] + \dots$$

## SOLID at JLab-12GeV

Program to map this out at high x  
( $x \sim 0.3-0.7$ ) with high precision

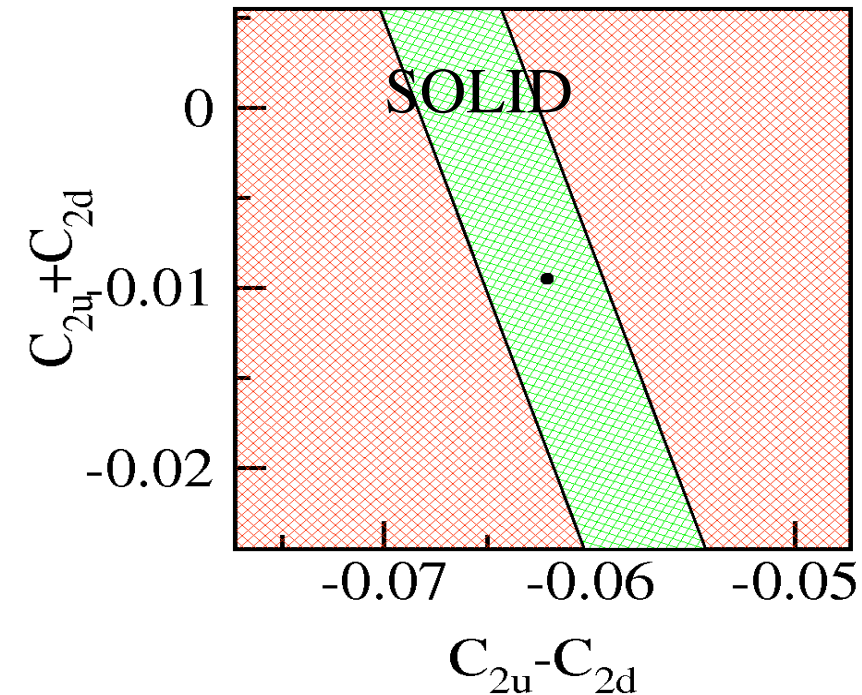
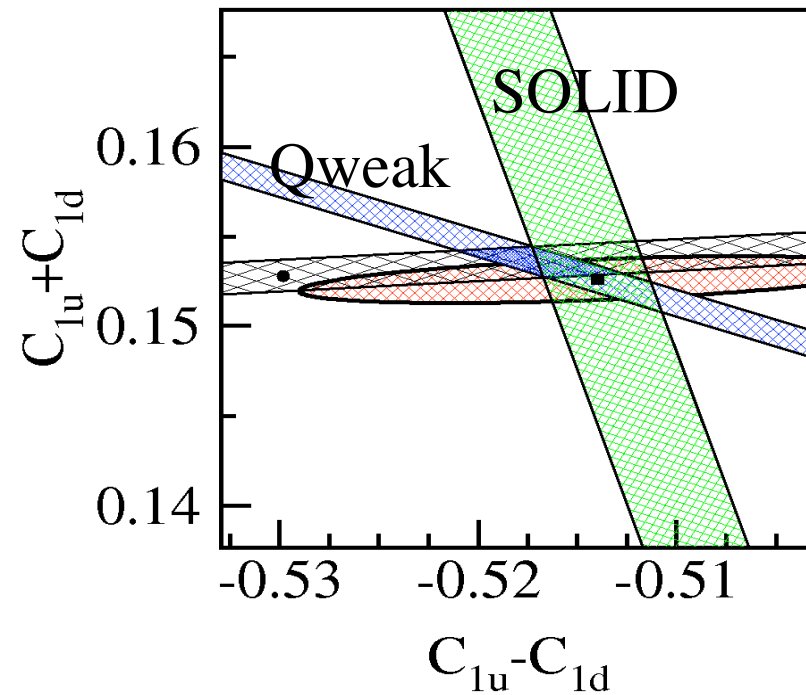
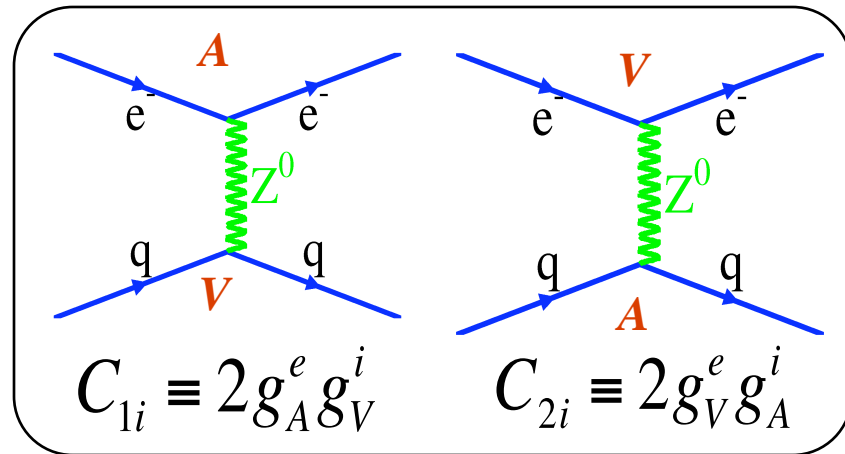
- $C_{2q}$ 's and  $\sin^2\theta_w$
- CSV
- higher twist

## Collider kinematics:

- At high  $Q^2$ :
  - "huge" asymmetries
  - large y range
- At low  $Q^2$ :
  - Very forward angle
  - small y; map out higher twist

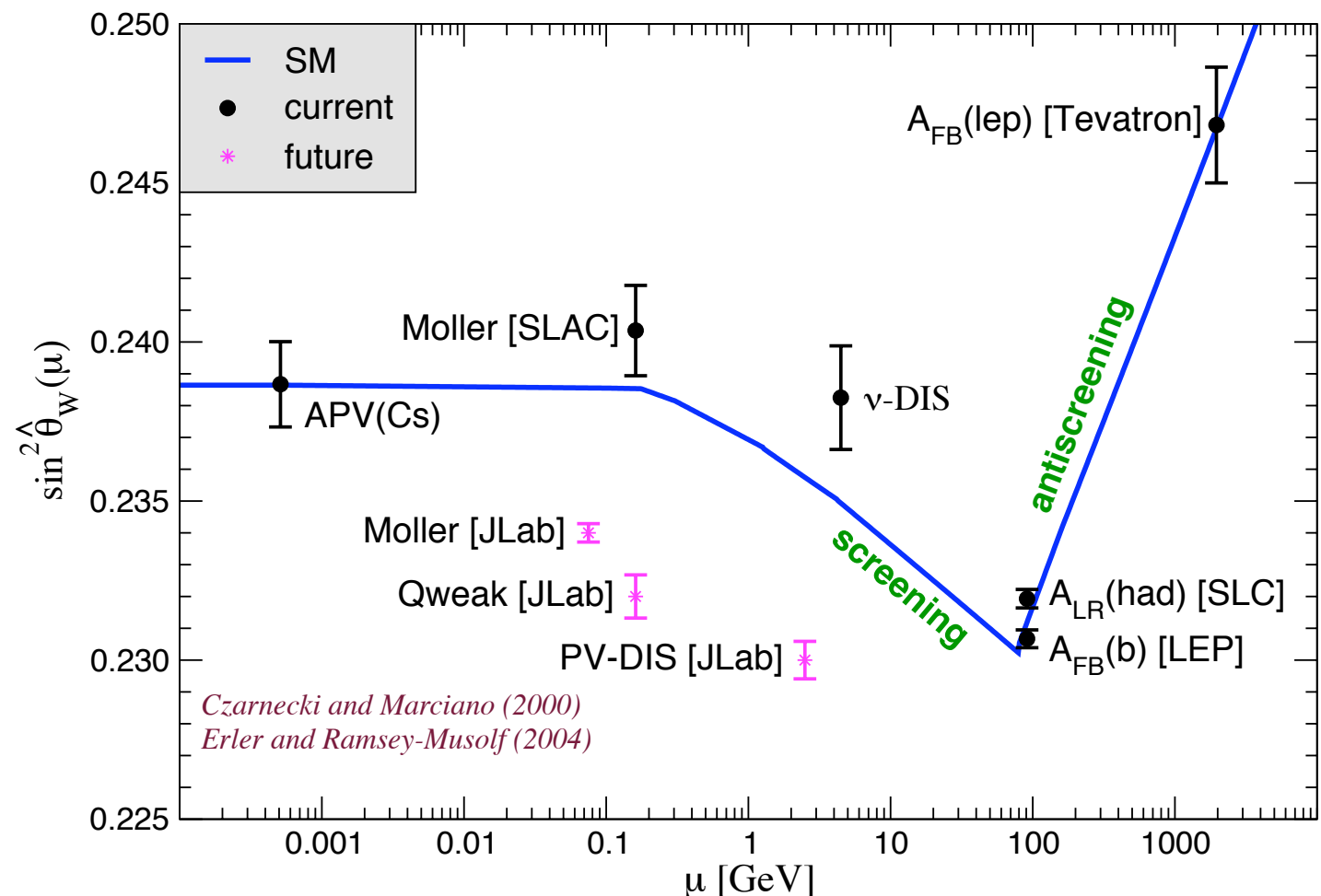


# Weak Neutral Current Couplings



$$\begin{aligned}
 C_{1u} &= -\frac{1}{2} + \frac{4}{3} \sin^2(\theta_W) + \delta C_{1u} \approx -0.19 \\
 C_{1d} &= \frac{1}{2} - \frac{2}{3} \sin^2(\theta_W) + \delta C_{1d} \approx 0.35 \\
 C_{2u} &= -\frac{1}{2} + 2 \sin^2(\theta_W) + \delta C_{2u} \approx -0.030 \\
 C_{2d} &= \frac{1}{2} - 2 \sin^2(\theta_W) + \delta C_{2d} \approx 0.025
 \end{aligned}$$

**At end of JLab program  
(Qweak, MOLLER, SOLID):  
Interest in couplings and in  
the weak mixing angle will  
depend on LHC results**



# Higher Twist Contributions to PV-DIS

Sonny Mantry, M.J. Ramsey-Musolf, G.F. Sacco arXiv:1004.3307

- **Twist-4 effects in vector WNC term come only from quark-quark correlations**
- A single 4-quark twist-4 matrix element contributes to the vector WNC term
- The relation  $R^{\gamma Z} = R^{\gamma}$  holds true at twist-4 up to perturbative corrections

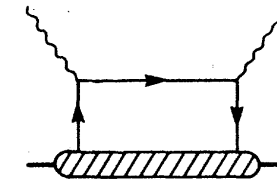
$$A_{PV} = \frac{G_F Q^2}{\sqrt{2}\pi\alpha} [a(x) + f(y)b(x)]$$

only quark-quark correlations given by a single matrix element

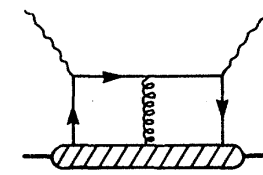
Collider kinematics:

- small  $y$ , good (low)  $Q^2$  range; search for higher twist

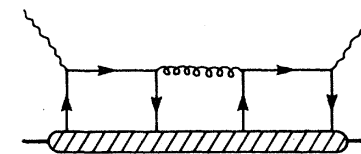
Operator Product Expansion



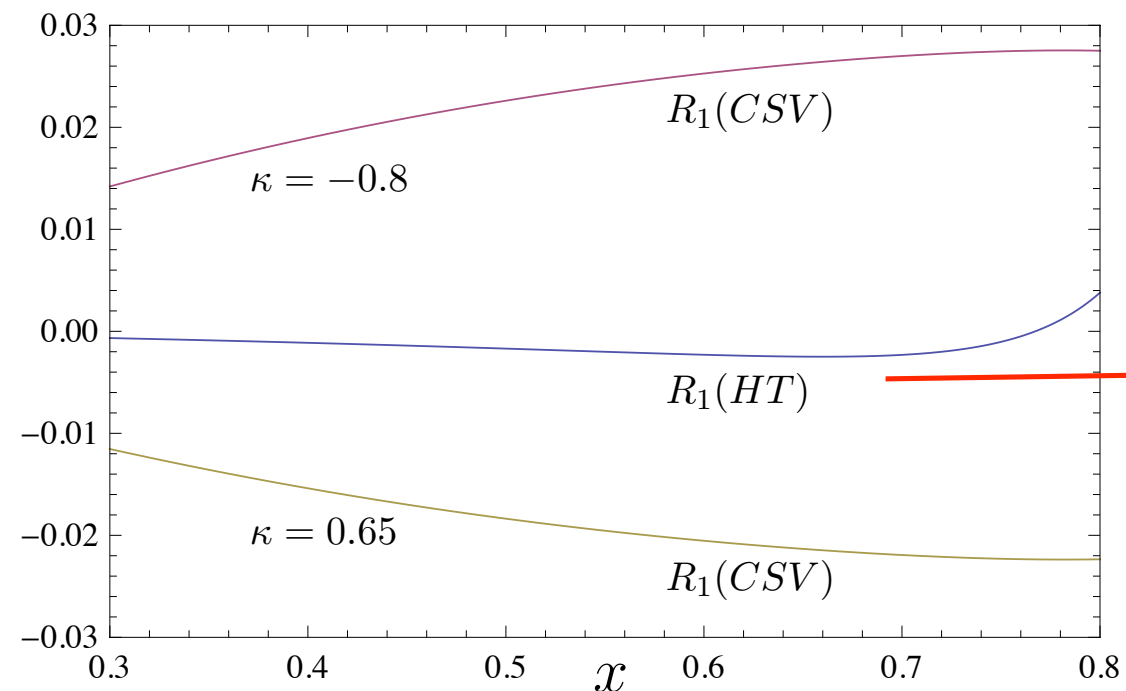
Twist-2



Quark-gluon correlation (Twist-2 + Twist-4)



Quark-quark correlation (Twist-4)



$$\delta u - \delta d = 2\kappa f(x), \quad f(x) = x^{-1/2}(1-x)^4(x-0.0909)$$



# Quark Kinematics

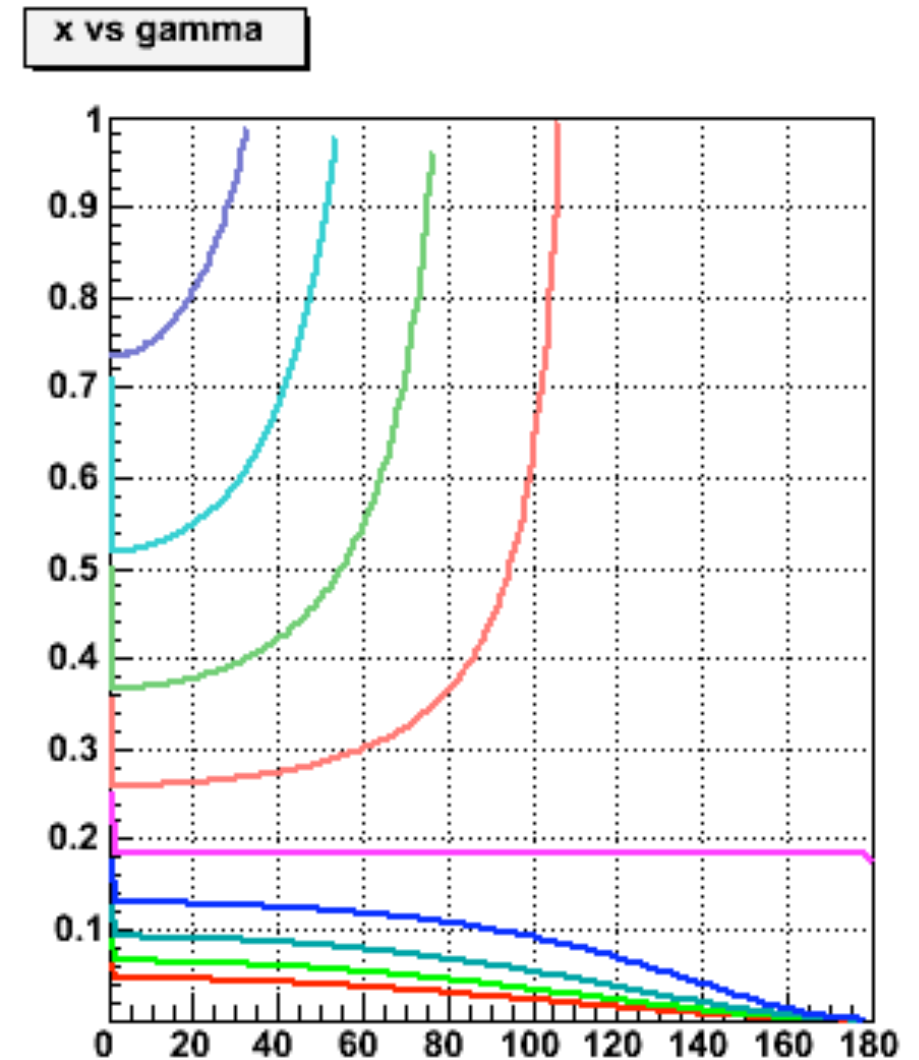
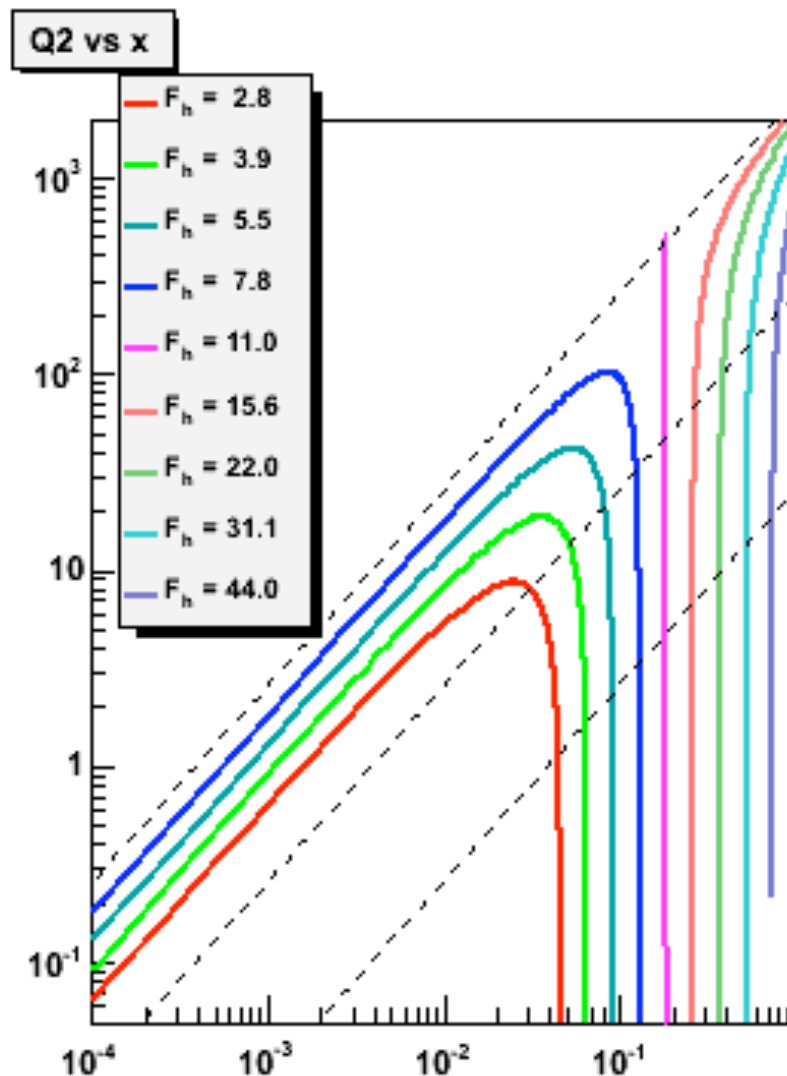
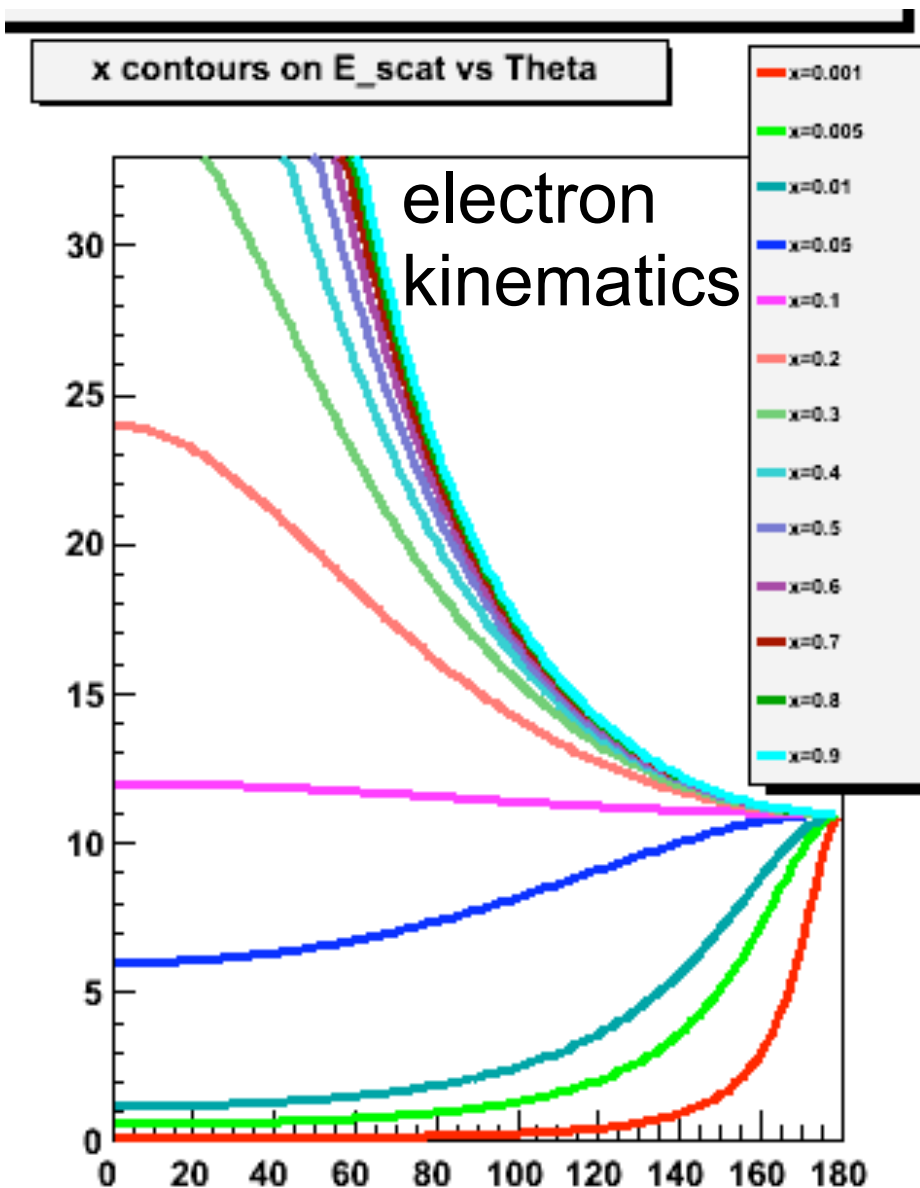
High-x resolution requires measurement of hadronic flow

Jacquet-Blondel  
reconstruction

$$\cos \gamma_h = \frac{P_{T,h}^2 - (E_h - P_{z,h})^2}{P_{T,h}^2 + (E_h - P_{z,h})^2}$$

$$F_h = \frac{P_{T,h}^2 + (E_h - P_{z,h})^2}{2(E_h - P_{z,h})}$$

Constant  $F_{JB}$  contours



# Plan for high x structure functions

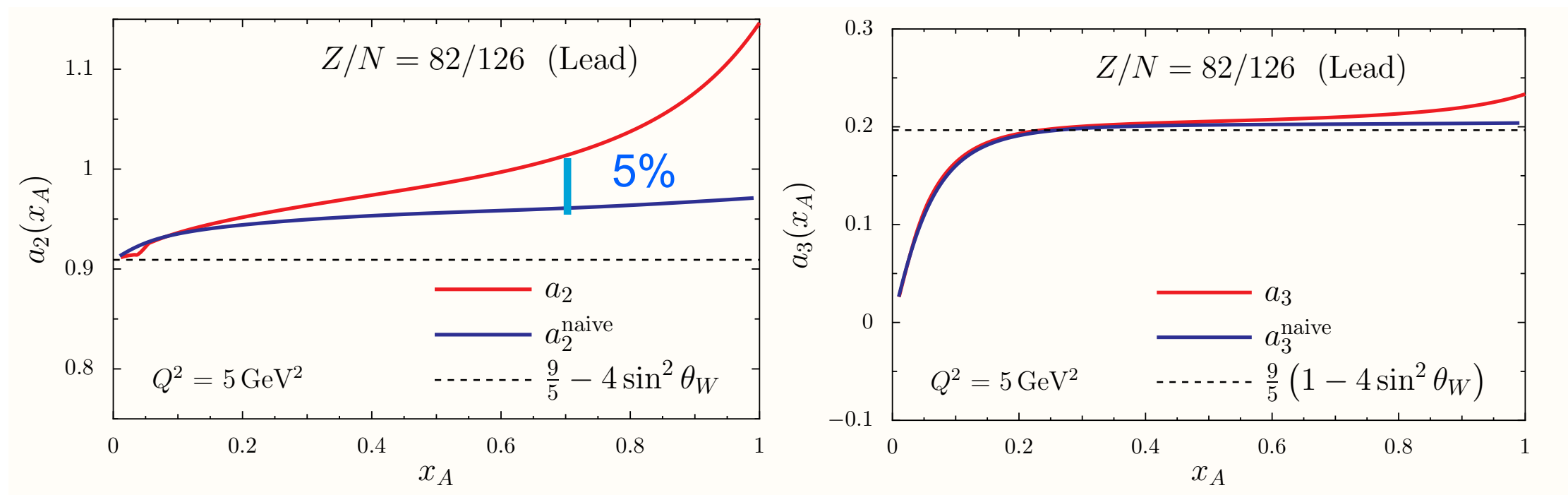
It is hard to beat fixed-target luminosity

- SOLID aims for many bins at measuring APV at 0.5%. At an EIC, this would seem to require  $10^{35} \text{ cm}^{-2}$  at very high s.
  - **Not yet carefully checked... requires study for conclusion**
  - Potentially may provide the best independent constraint on  $C_{2q}$ 's
- collider gives  $Q^2$  range with small y : measure 4-quark twist-4 operator
  - first-ever empirical bound on single HT quark-quark operator?
- additional topics in high-x p.d.f.'s: CSV (eD), d/u (ep), and sea quarks

# Nuclear Structure Functions

*Cloet, Bentz, Thomas, arXiv 0901.3559*

- proposes that a neutron or proton excess in nuclei leads to an isovector–vector mean field dominated by  $\rho$  exchange
- shifts quark distributions: “apparent” CSV violation
- Isovector EMC effect: explain 1/2 of NuTeV anomaly
- Would be a smoking gun demonstration of medium modification



**More generally,  $F_2^{(\nu Z)}$  and  $F_3^{(\nu Z)}$  for nuclear DIS interesting and new**

- requires polarized e- with A
- inclusive rates for eA at low x, with y separation
- theoretical comment in nuclear  $F_3^{\nu Z}$

# Low-x Spin Structure Functions

*unpolarized electron, polarized hadron*

$$A_{TPV} = \frac{G_F Q^2}{2\sqrt{2}\pi\alpha} \left[ g_V \frac{g_5^{\gamma Z}}{F_1^{\gamma}} + g_A f(y) \frac{g_1^{\gamma Z}}{F_1^{\gamma}} \right]$$

- ★ *Enough y range to separate vector and axial-vector pieces*
- ★  *$^1\text{H}$ ,  $^2\text{H}$  and  $^3\text{He}$  measurements*
- ★ *Precise measurements to  $x \sim 0.01$  at low s and  $x \sim 0.001$  at high s*

y-independent

$^1\text{H}$

$$\frac{2\Delta u^- + \Delta d^- + \Delta s^-}{4u^+ + d^+ + s^+}$$

$^2\text{H}$

$$\frac{3\Delta u^- + 3\Delta d^- + 2\Delta s^-}{u^+ + d^+ + s^+}$$

y-dependent

$$\frac{\Delta u^+ + \Delta d^+ + \Delta s^+}{4u^+ + d^+ + s^+}$$

$$\frac{\Delta u^+ + \Delta d^+ + \Delta s^+}{u^+ + d^+ + s^+}$$

- EW amplitudes measure a different linear combination of quark polarizations, allowing a determination of  $\Delta s$  without  $\text{SU}(3)_f$
- initial indications: very competitive with semi-inclusive, phase 1 designs can make impact

# Low-x Spin Structure Functions

*New frontier in precision QCD tests in inclusive DIS:*

- In the long term, there are 15 different combinations that can be measured (EM,  $\gamma Z$ , W)
- W production needs to be fully explored:
  - two structure functions  $g_1$  and  $g_5$
  - $^1\text{H} + ^2\text{H}$  with  $e^-$  equivalent to  $^1\text{H}$  with  $e^-$  &  $e^+$  ?
- New sum rules, new dynamics in  $Q^2$  evolution, other implications?

**Start with focus on spin-dependent PDFs,  $\Delta s$  extraction**

$$F_1^{\gamma Z} = \sum_q e_q (g_V)_q (q + \bar{q}) \quad F_2^{\gamma Z} = 2x F_1^{\gamma Z}$$

$$F_3^{\gamma Z} = 2 \sum_q e_q (g_A)_q (q - \bar{q})$$

$$g_1^{\gamma Z} = \sum_q e_q (g_V)_q (\Delta q + \Delta \bar{q})$$

$$g_2^{\gamma Z} = g_4^{\gamma Z} = 0$$

$$g_3^{\gamma Z} = 2x \sum_q e_q (g_A)_q (\Delta q - \Delta \bar{q}) \quad 2x g_5^{\gamma Z} = g_3^{\gamma Z}$$

# Topics from EW Working Group Workshop

**Most promising topics use the electroweak interaction to study QCD**

- high- $x$  structure functions - higher twist, charge symmetry violation,  $d/u$  of the proton
- PV EMC effect in nuclei,  $F_3^{\nu Z}$
- $\Delta s$ , other novel structure functions *prospect for a phase 1 machine*

## **Electroweak studies**

- WNC couplings *hard to beat fixed target*
- Charged Lepton Flavor Violation  $\tau \rightarrow e$  *extensive MC study required*

Sufficient theoretical guidance to launch these topics - present bottleneck is getting the experimentalist time for rate studies and other calculations





# Electroweak Structure Functions

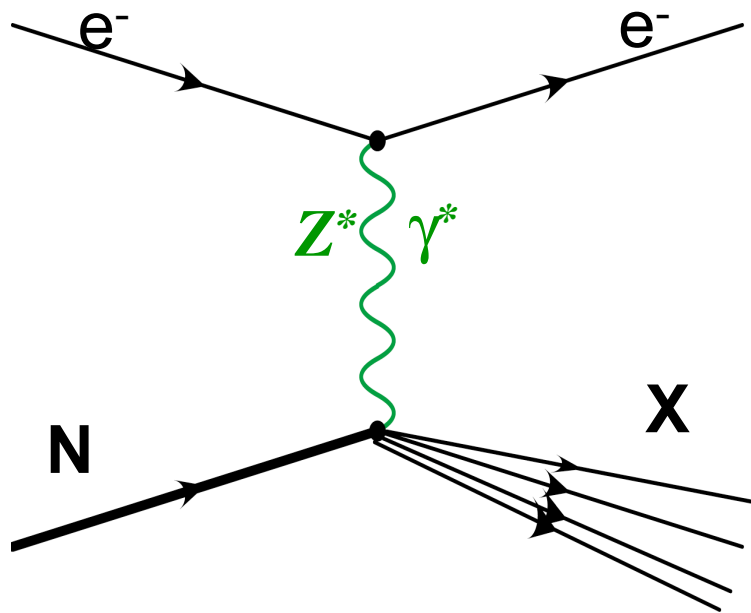
$$\frac{1}{2m_N} W_{\mu\nu}^i = -\frac{g_{\mu\nu}}{m_N} F_1^i + \frac{p_\mu p_\nu}{m_N(p \cdot q)} F_2^i \quad i \equiv \gamma, \gamma Z, Z$$

$$+ i \frac{\epsilon_{\mu\nu\alpha\beta}}{2(p \cdot q)} \left[ \frac{p^\alpha q^\beta}{m_N} F_3^i + 2q^\alpha S^\beta g_1^i - 4xp^\alpha S^\beta g_2^i \right]$$

$$- \frac{p_\mu S_\nu + S_\mu p_\nu}{2(p \cdot q)} g_3^i + \frac{S \cdot q}{(p \cdot q)^2} p_\mu p_\nu g_4^i + \frac{S \cdot q}{p \cdot q} g_{\mu\nu} g_5^i$$

- Ji, Nucl. Phys. B 402 (1993)
- Anselmino, Gambino and Kalinoski, hep-ph/9401264v2
- Anselmino, Efremov & Leader, Phys. Rep. **261** (1995)

## QPM Interpretation



$$F_1^{\gamma Z} = \sum_q e_q (g_V)_q (q + \bar{q}) \quad F_2^{\gamma Z} = 2x F_1^{\gamma Z}$$

$$F_3^{\gamma Z} = 2 \sum_q e_q (g_A)_q (q - \bar{q})$$

$$g_1^{\gamma Z} = \sum_q e_q (g_V)_q (\Delta q + \Delta \bar{q})$$

$$g_2^{\gamma Z} = g_4^{\gamma Z} = 0$$

$$g_3^{\gamma Z} = 2x \sum_q e_q (g_A)_q (\Delta q - \Delta \bar{q}) \quad 2x g_5^{\gamma Z} = g_3^{\gamma Z}$$