

ChPT studies at NA62

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on behalf of the NA62 collaboration

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Kaon physics – the landscape

Kaon is the lightest strange particle, studied since 60's to test fundamental properties of nature

SM @ $E \sim M_K$ appears remarkably simple:

$$L_{SM} = L_{QCD}(m_u=m_d, m_s) + L_{QED} + L_{IB}(m_u-m_d) + L_{ew}$$

only 2 parameters in L_{QCD} : m_s and $m_d \sim m_u \sim (m_d+m_u)/2$

L_{QED} and L_{IB} isospin-breaking: often neglected, but add 3rd parameter

L_{ew} is the link to physics at electroweak scale

breaks many symmetries: P, CP, flavor

Kaons reach the highest sensitivity to CPT violation, QM tests

Competitive with B decays to test NP in LFV or CPV transitions

K physics – past, present, future: study L_{QCD}

Precise study of low-energy realization of L_{QCD} , including L_{QED} , L_{IB}

Benefit of soft momenta wrt scale of chiral symmetry breaking

Only involve pseudoscalar mesons, photons, and leptons

Non-leptonic decays, comparison of strong $\pi\pi$ phase shifts from K decays with data from $\pi\pi$ scattering at few percent

$K \rightarrow \pi\pi(\gamma)$ ($\Delta I=1/2$ rule), K14 decays, $K \rightarrow \pi\pi\pi$ cusp

Radiative decays, non-trivial contribution from NLO ChPT, e.g.:

$K \rightarrow \pi\pi\gamma/\pi\pi e e, \pi\pi\mu\mu$, SD $O(p^4)$: Strong and Weak, WZW

$K \rightarrow e\nu\gamma$ (SD), NA62 \rightarrow this talk

$K^+ \rightarrow \pi^+ \gamma\gamma$, NA48/2 and NA62 \rightarrow this talk

$K_S \rightarrow \gamma\gamma$, starting from $O(p^6)$, long-standing KLOE vs NA48 discrepancy

K physics – past and present: deep study of L_{ew}

K^0 - \bar{K}^0 system, 2nd order weak transitions allowing CPV, CPTV tests

30 years of high intensity/precision expts: NA3 I/48, E73 I/KTeV, KLOE, CPLEAR

$|\varepsilon_K| = (2.221 \pm 0.006) 10^{-3}$, significant CKM constraint (w progress on B_K)

$R(\varepsilon'/\varepsilon) = (16.8 \pm 1.4) 10^{-4}$, reaching status of NP test, w lattice progress to beat uncertainty from cancellations btw e.m. and strong penguins

Flavor physics (CKM unitarity) @ $< 10^{-3}$ level from main K decays

$V_{ud}^2 + V_{us}^2 - 1 @ 6 \times 10^{-4}$, model independent exclusion $\Lambda_{NP} > 11 \text{ TeV}$, 90% CL

Synergy with lattice QCD, complemented with ChPT: $f^+(0)$, f_K/f_π

LFV search (test H^+ exchange), $Ke2/K\mu2$ at NA62, this talk

K physics – future directions: deep study of L_{ew}

Future dominated by the high-intensity approach

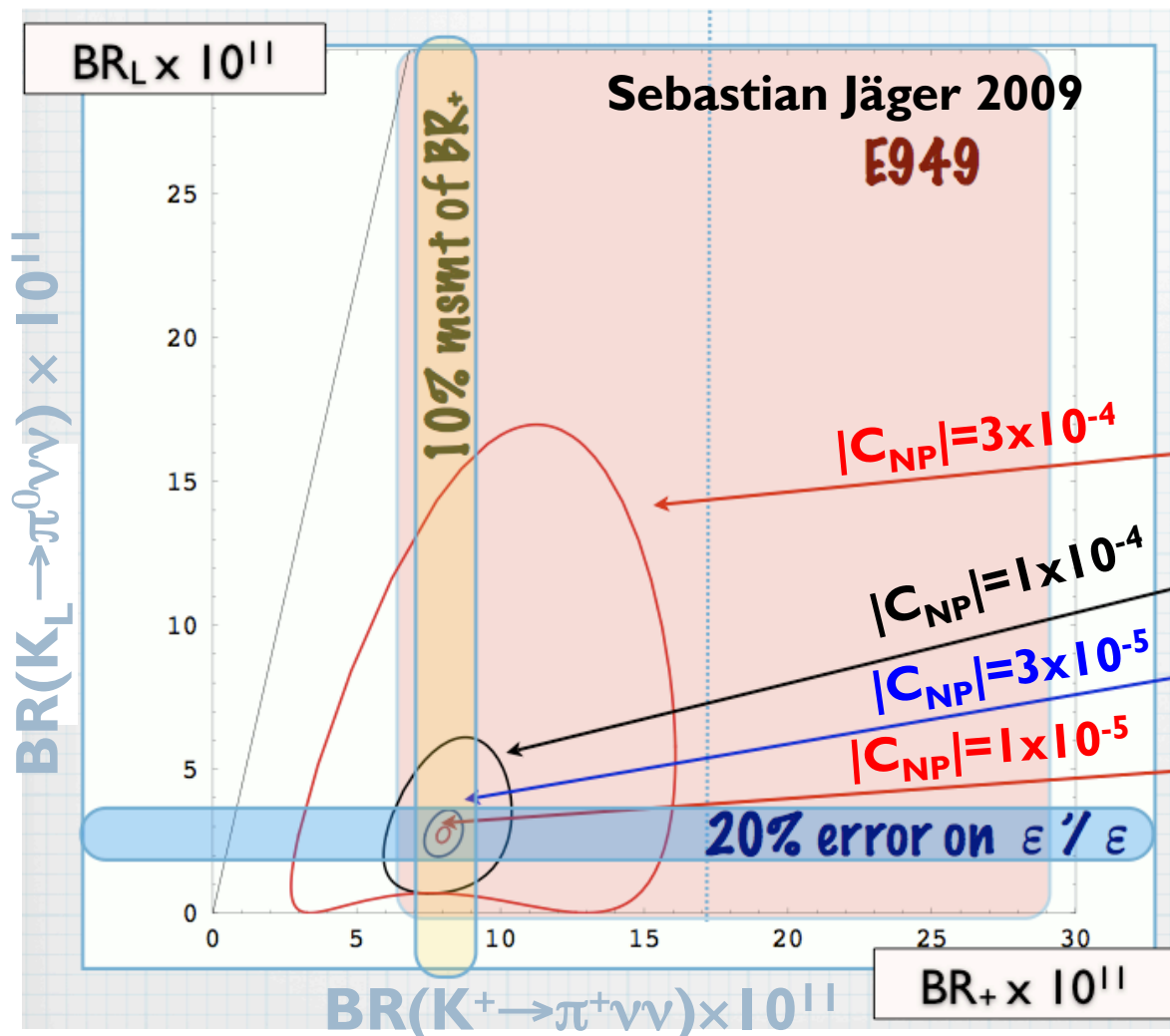
Ultra-rare K decays due to FCNC, precisely predicted in the SM, sensitive to NP contributions

$K^+ \rightarrow \pi^0 \nu \nu$: NA62 experiment, this talk

$K^0 \rightarrow \pi^0 \nu \nu$, KoTo experiment at J-Parc

More players to come: Project X, Orka

Combine above mmts to perform a SM test from kaon inputs only



K physics – future directions: deep study of L_{ew}

The future is dominated by the high-intensity approach:

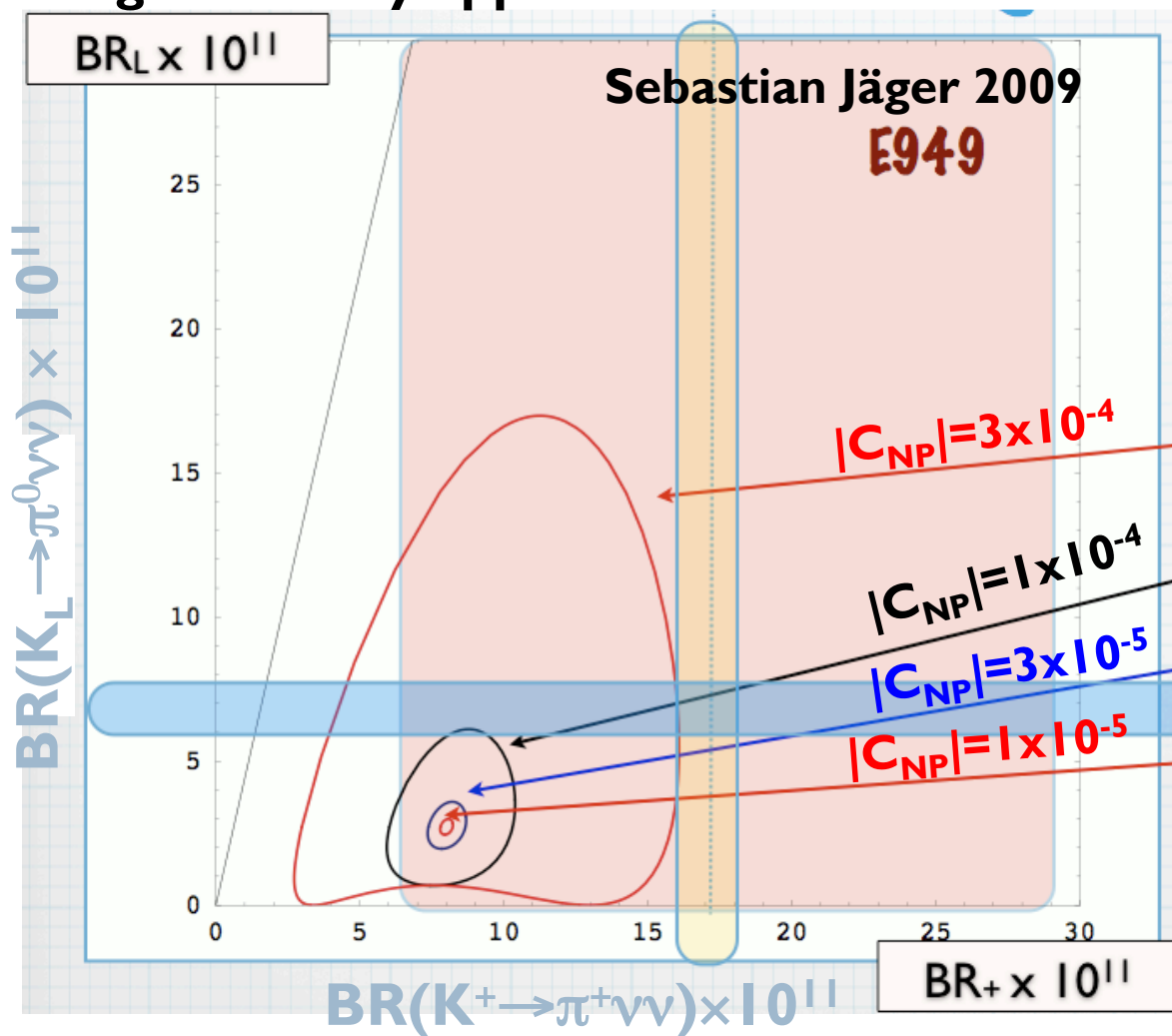
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Motivations for a precise measurement of R_K

SM prediction w 0.04% precision, benefits of cancellation of hadronic uncertainties (no f_K): $R_K = 2.477(1) \times 10^{-5}$ [Cirigliano Rosell arXiv:0707:4464]

Helicity suppression can boost NP [Masiero-Paradisi-Petronzio PRD74 (2006) 011701, JHEP 0811 (2008) 042]

In R-parity MSSM, LFV can give 1% deviations from SM [Girrbach, Nierste, arXiv:1202.4906]:

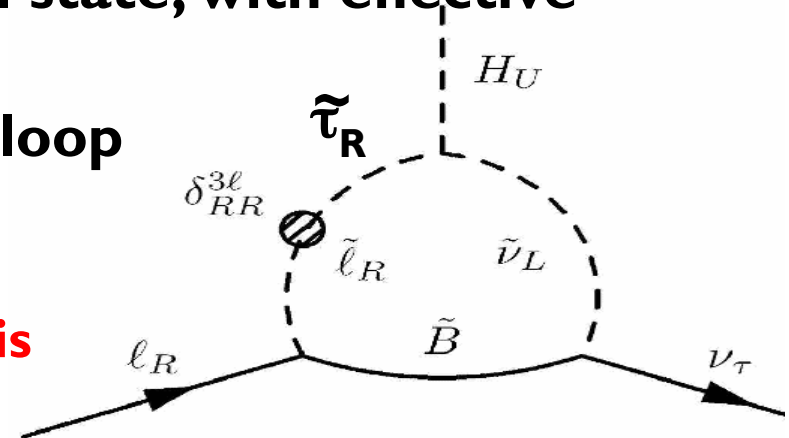
$$R_K^{LFV} \simeq R_K^{SM} \left[1 + \left(\frac{m_K^4}{M_H^4} \right) \left(\frac{m_\tau^2}{m_e^2} \right) |\Delta_R^{31}|^2 \tan^6 \beta \right]$$

NP dominated by contribution of $e\nu_\tau$ final state, with effective

coupling $lH^\pm \nu_\tau \rightarrow \frac{g_2}{\sqrt{2}} \frac{m_\tau}{M_W} \Delta_{13}$, from loop

Exp. accuracy was $\delta R_K \sim 1.3\%$ (KLOE)

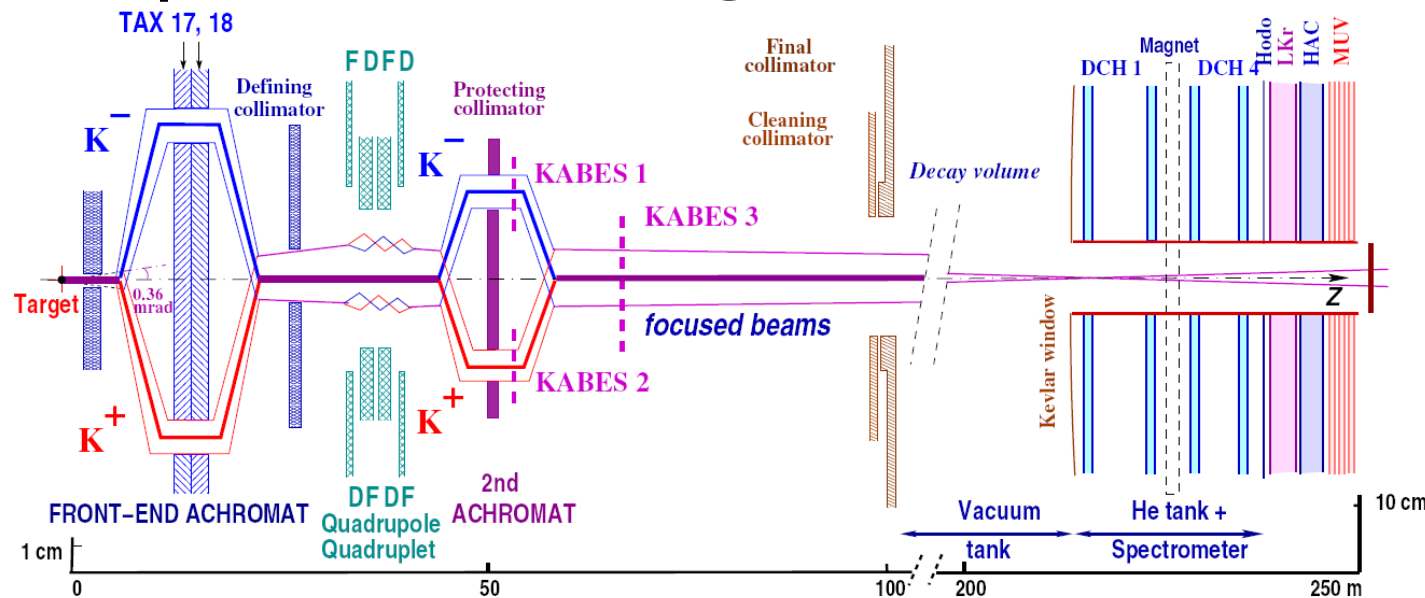
New measurement of R_K interesting, if error is pushed @ few per mil



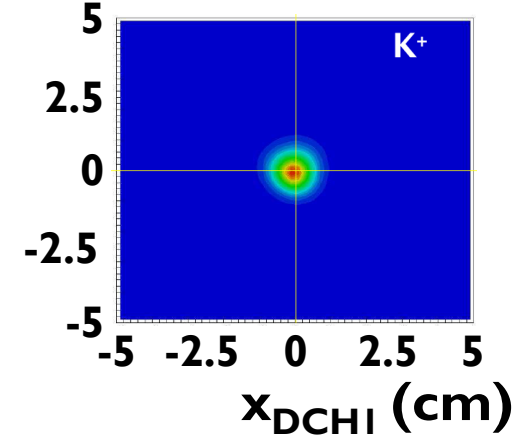
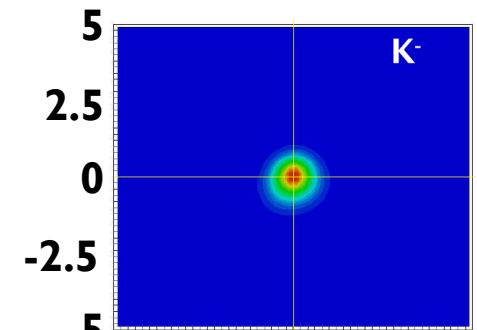
RK in the NA48/2 experiment

NA48/2: unseparated, simultaneous K^\pm highly collimated beams, designed to precisely measure $K^\pm \rightarrow \pi^{+,0}\pi^{-,0}\pi^\pm$ dalitz-plot density

- $p_K \sim 60 \text{ GeV}$, $\sigma_p \sim 3 \text{ GeV}$ (3.8% p-bite)
- spot of $\sim 5 \text{ mm}$ width @ DCHI entrance



$Y_{DCHI} \text{ (cm)}$



Track decay products with 4 DCH's:

- P_\perp kick of 121 MeV after DCH2
- $\sigma_p/p \sim 1.02\% \oplus 0.044\% p \text{ [GeV]}$

Analysis of $K_{e2}/K_{\mu2}$ at NAxx

Scintillator hodoscope:

- establish event time ($\sigma \sim 150$ ps), initiate trigger

LKr calorimeter: efficient vetoing, e.m. energy resolution

- $\sigma_E/E = 3.2\%/ \sqrt{E[\text{GeV}]} \oplus 9\%/E[\text{GeV}] \oplus 0.42\%$
- $\sigma_{x,y} = 4.2\text{mm}/\sqrt{E[\text{GeV}]} \oplus 0.6$ mm, granularity of $\sim 13,000$ 2×2 cm² cells

Hadron calorimeter, Muon veto system

Analysis starting samples:

K_{e2} trigger: 1 trk (hodoscope) & 1-trk activity in DCH's & $E_{\text{LKr}} > 10$ GeV

$K_{\mu2}$ trigger: 1 trk (hodoscope), downscaled

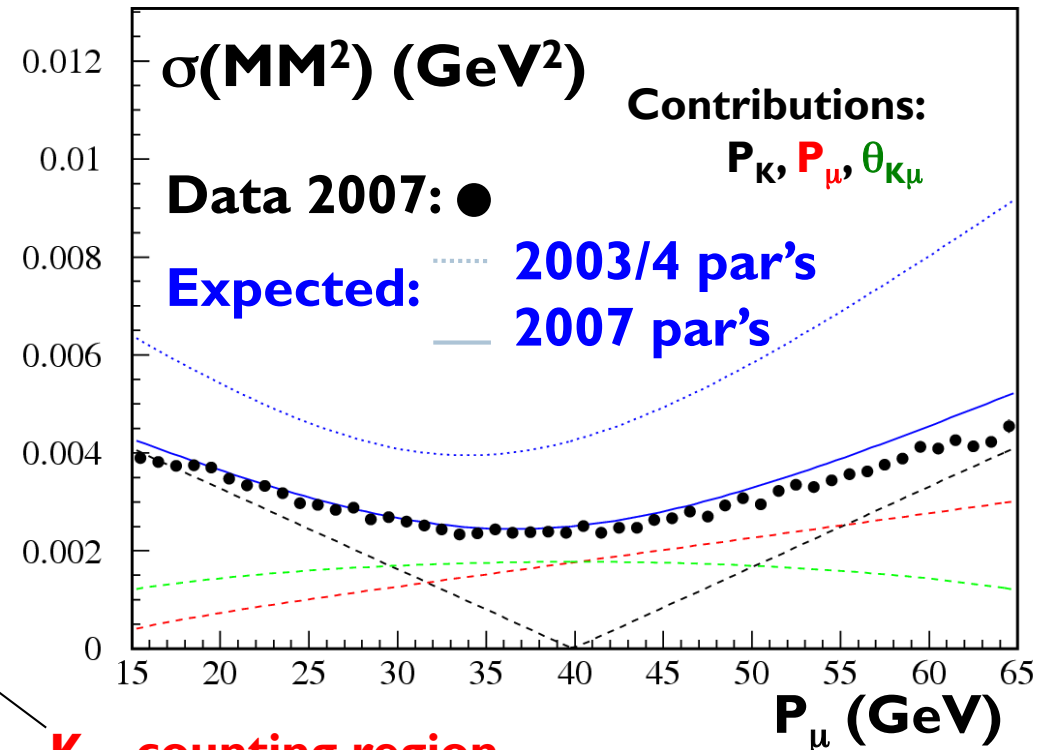
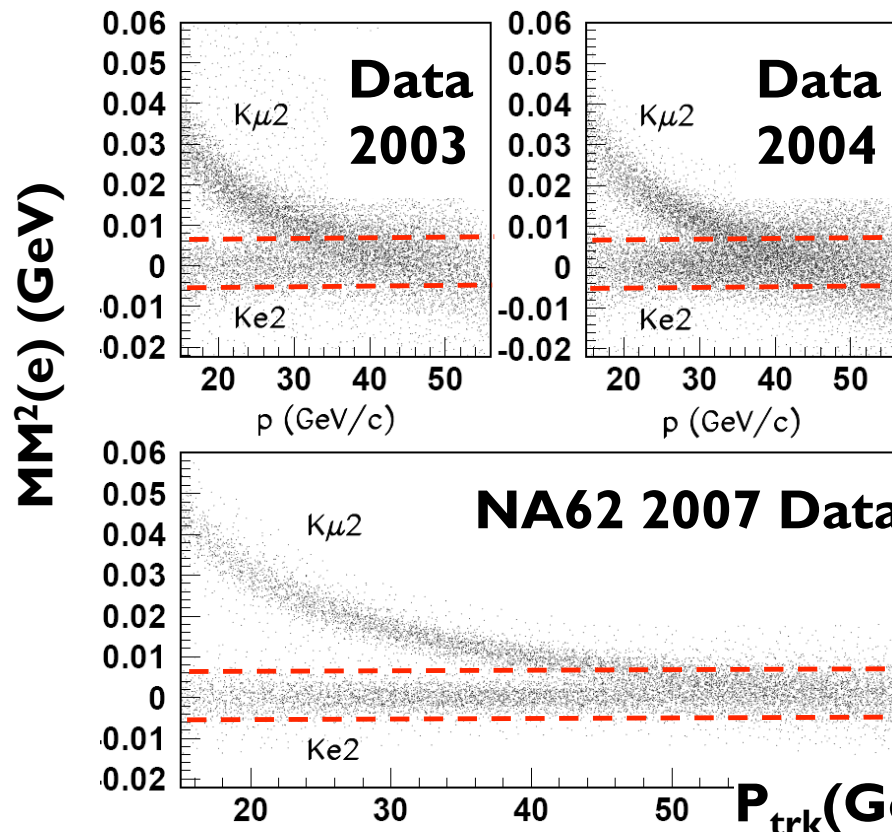
First useful data in 2003-4 NA48/2 runs, two preliminary results ...

Analysis of Ke2/K μ 2 at NA62 – 2007 data

...then design of NA62 run optimized for R_K, main parameters tuned:

P_K: ~60 GeV → ~75 GeV
Momentum bite: 3.8% → 2.5%
P_⊥ kick: 121 MeV → 263 MeV

$\sigma_p/p = 0.48\% + 0.009\% p(\text{GeV})$
MM² resolution improved
Better separation for Ke2 and K μ 2



Analysis of $Ke2/K\mu2$ at NA62: μ background

e PID by LKr: $(0.90 \text{ to } 0.95) < E_{cl}/P_{trk} < 1.10$ gives μ rejection by $\sim 10^6!$

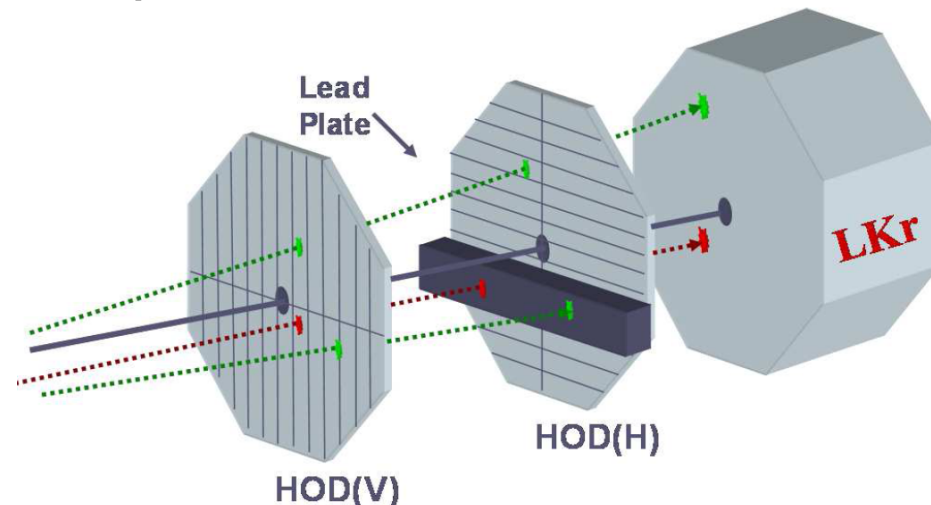
electron ID efficiency: 99.28(5)%

But check probability for μ 's to fake e's [$\sim 3 \times 10^{-6}$, due to the so-called muon “catastrophic” energy loss] by direct mmt:

Subsample of data taken with a $9.2\text{-}X_0$ Pb bar between HOD's

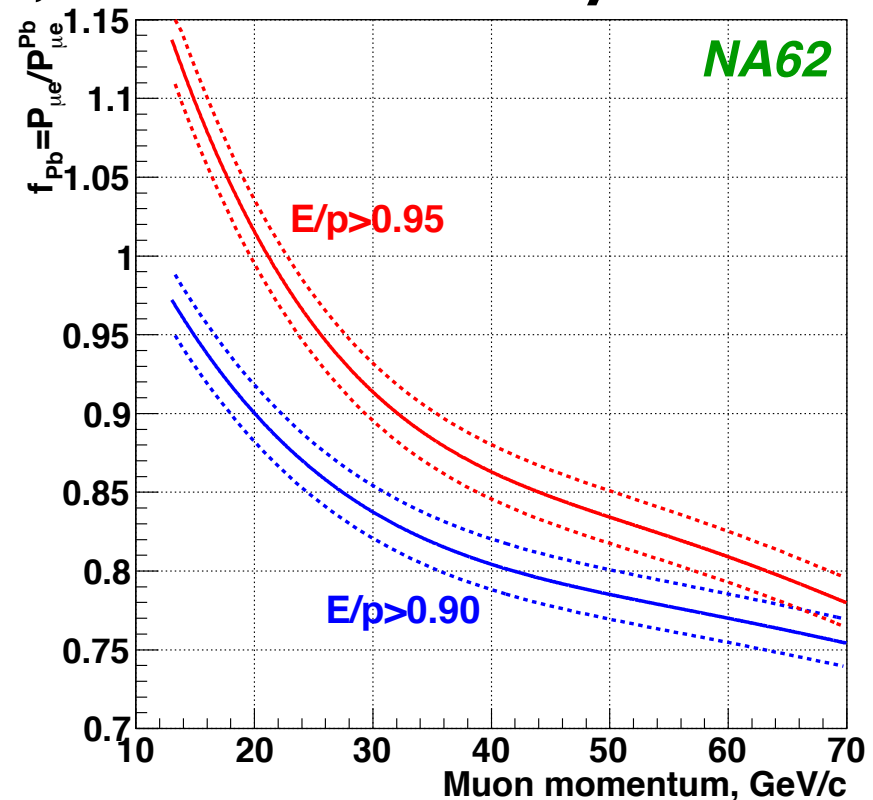
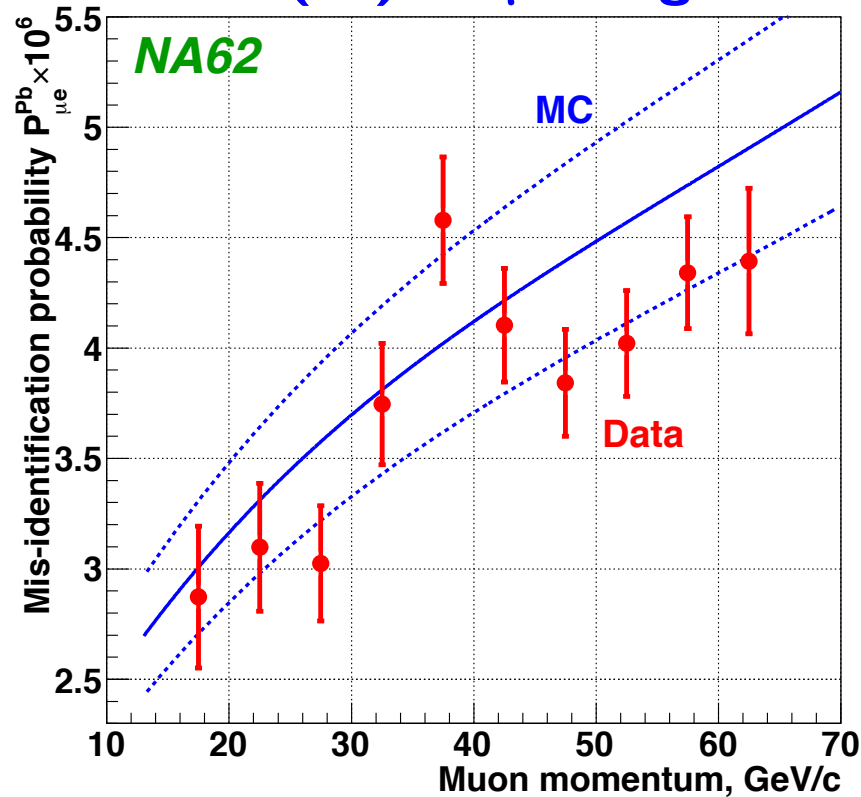
Select μ 's (pure @ $< 10^{-8}$) with MIP energy loss in Pb

Correct method bias (ionization loss @ low P, brems. @ high P) w
GEANT4



Analysis of $Ke2/K\mu2$ at NA62: μ background

Evaluate **5.64(20)% $K\mu2$ bkg to $Ke2$** , error dominated by statistics

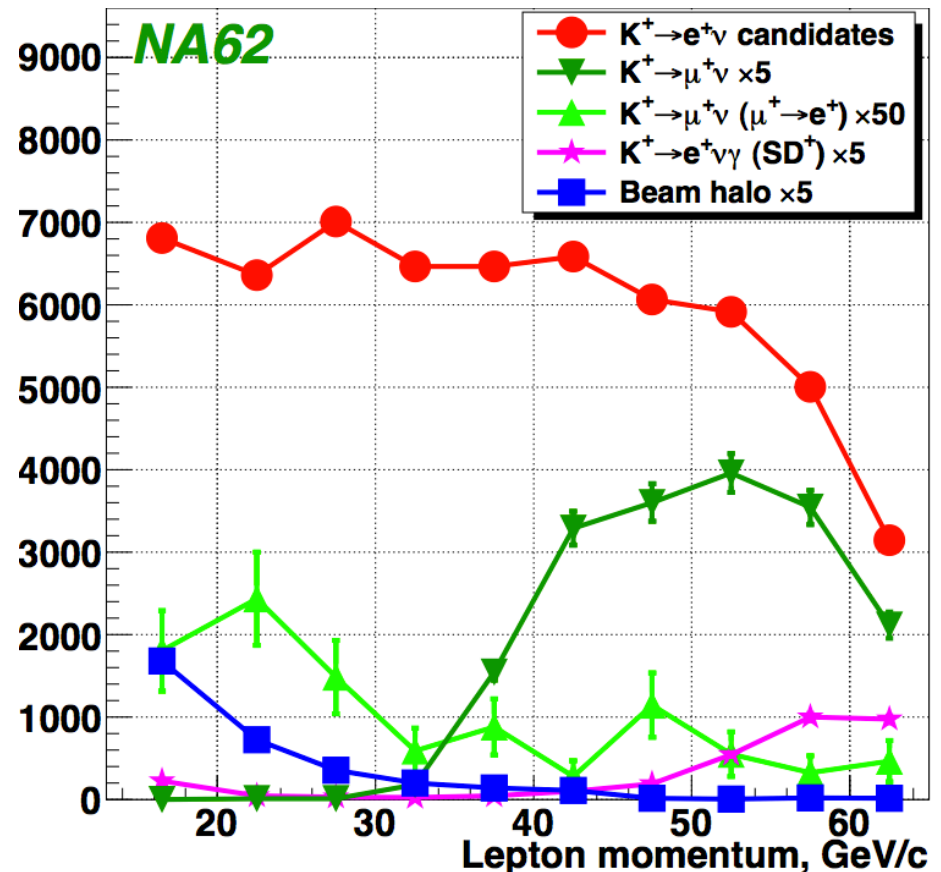
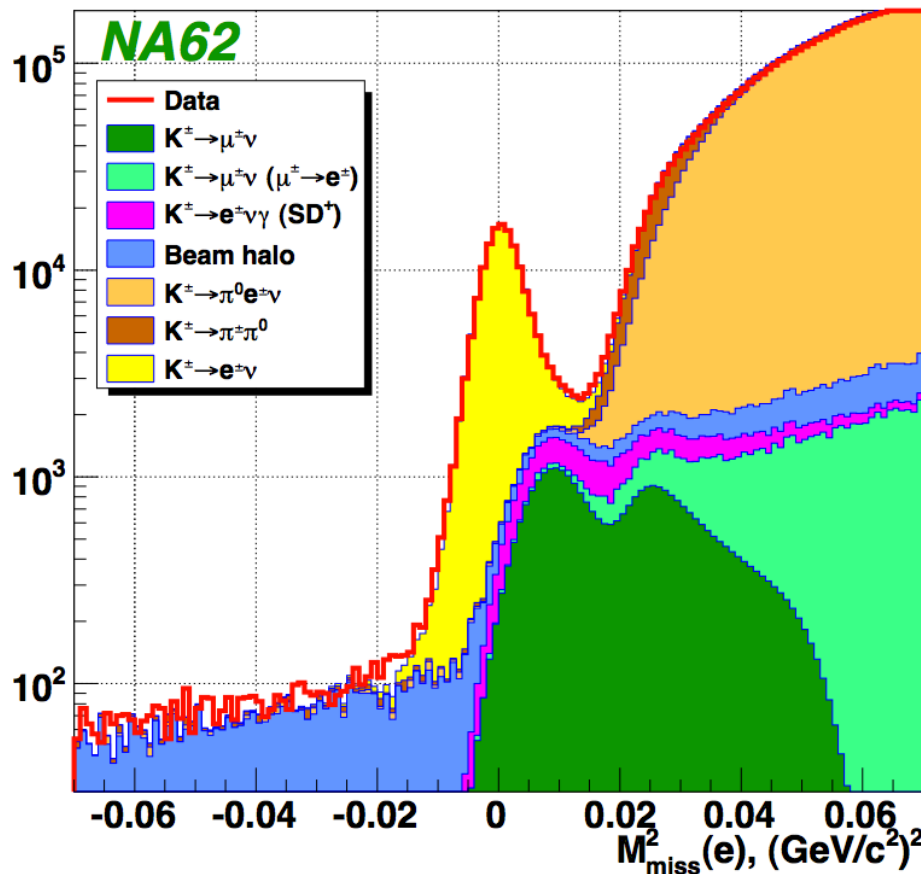


Analysis of R_K for the 4 configurations: K^+/K^- Lead bar/No lead bar
Analysis performed in lepton momentum bins, to check reliability of μ mis-ID evaluation and of bkg subtraction, acceptance correction

Analysis of Ke2/Kμ2 at NA62: other backgrounds

World largest Ke2 data set, 145958 K⁺e2 candidates, 10.95(27)% bkg

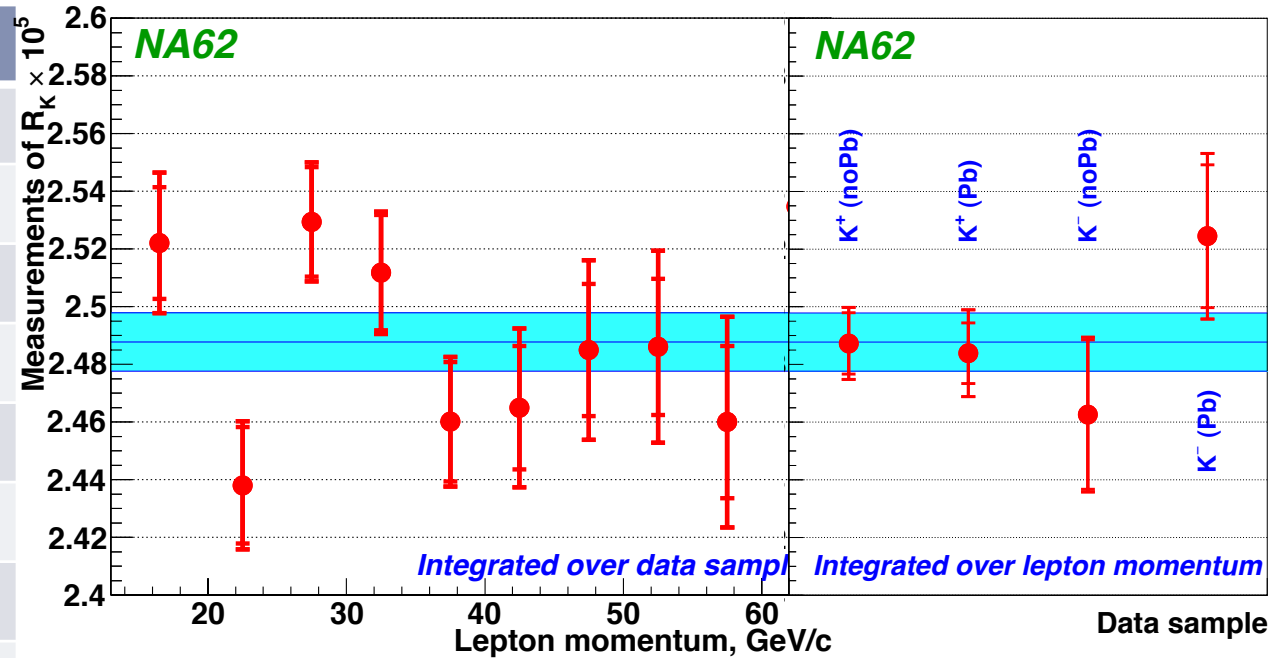
Source	Kμ2	Kμ2(μ→e)	Ke2γ(SD ⁺)	Ke3	K2π	K $\bar{\nu}$	μ halo
Fraction, %	5.64(20)	0.26(3)	2.60(11)	0.18(9)	0.12(6)	0.04(2)	2.11(9)



2012 RK preliminary result, impact for NP search

Entire data set: $R_K = 2.488(7)_{\text{stat}}(7)_{\text{syst}} 10^{-5}$, close to submission

Source	$\delta R_K (10^{-5})$
Statistics	0.007
$K\mu 2$ bkg	0.004
$Ke 2\gamma$ SD+ bkg	0.002
$Ke 3$, pp0 bkg	0.003
Beam halo bkg	0.002
Material budget	0.003
Acceptance corr	0.002
DCH alignment	0.001
Electron ID	0.001
I TRK trigger eff	0.001
LKr readout eff	0.001
Total	0.010



Fit over 40 independent mmts, 10 lepton momentum bin \times 4 configurations:

$$\chi^2 / \text{Nd.o.f.} = 47/39$$

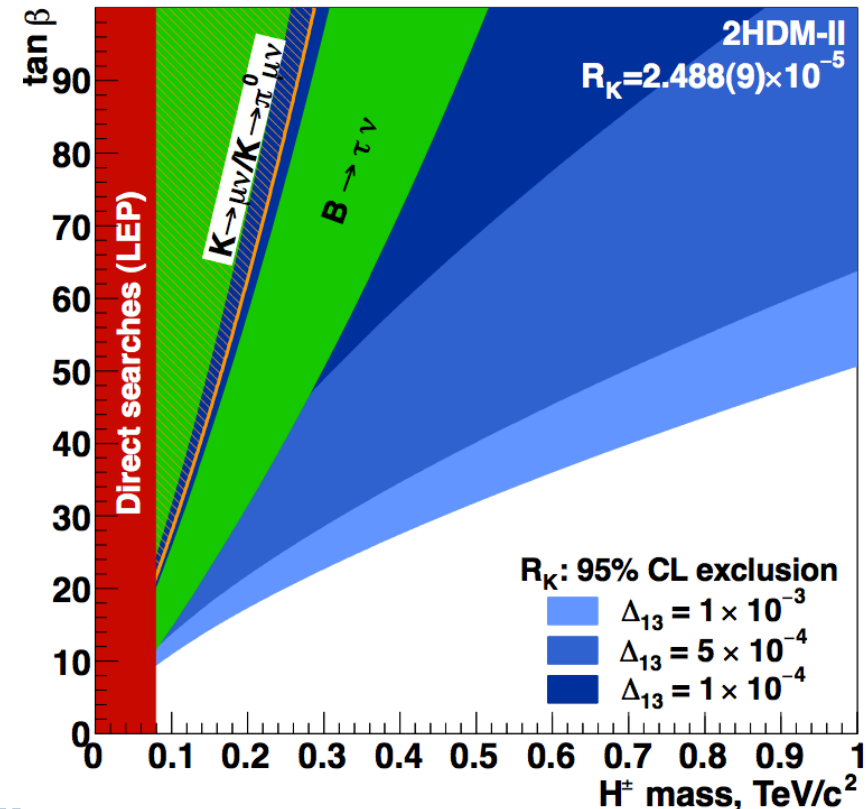
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Total	0.010

Compare with $R_K(\text{SM}) = 2.477(1) 10^{-5}$:

$$R_K^{LFV} \simeq R_K^{SM} \left[1 + \left(\frac{m_K^4}{M_H^4} \right) \left(\frac{m_\tau^2}{m_e^2} \right) |\Delta_R^{31}|^2 \tan^6 \beta \right]$$



$K^+ \rightarrow e^+ \nu \gamma$ SD contribution

To match theory for R_K have to count **IB** only, but **SD** \sim **IB**:

$$\frac{d^2\Gamma}{dx dy}(SD) = \frac{m_K^5 \alpha G_F^2 |V_{us}|^2}{64\pi^2} \times [(F_V + F_A)^2 f_{SD+}(x, y) + (F_V - F_A)^2 f_{SD-}(x, y)]$$

$$x = 2E^*(\gamma)/M_K, y = 2E^*(e)/M_K$$

f_{SD+}, f_{SD-} known functions of kinematics

Vector FF due to axial anomaly

Axial FF due to L_{strong} @ $O(p^4)$

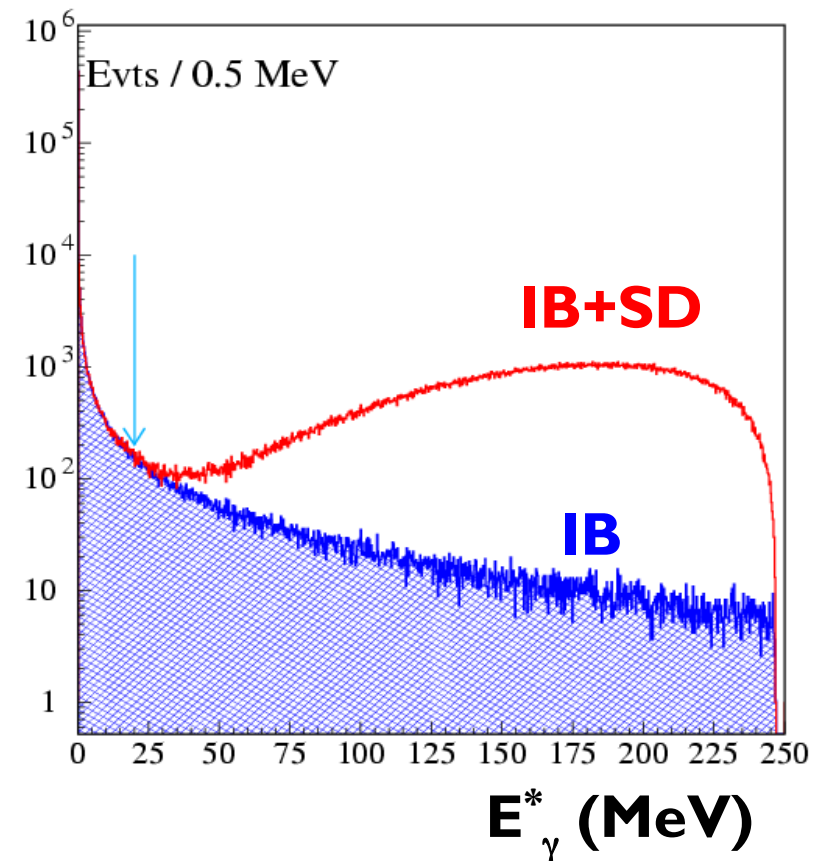
At $O(e^2 p^4)$, FF's F_V and F_A are constant:

$$F_V(p^2) = \frac{m_K}{4\sqrt{2}\pi^2 F_K} + O(p^6),$$

$$F_A(p^2) = \frac{4\sqrt{2}m_K}{F_K} (l_9^r + l_1^r) + O(p^6),$$

At $O(e^2 p^6)$, slope in the vector FF:

$$F_V(p^2) = F_V(0) (1 + \lambda p^2/M_K^2), \lambda \sim 0.4$$



$K^+ \rightarrow e^+ \nu \gamma$ SD contribution: present status

$$\frac{d^2\Gamma}{dx dy}(SD) = \frac{m_K^5 \alpha G_F^2 |V_{us}|^2}{64\pi^2} \times [(F_V + F_A)^2 f_{SD^+}(x, y) + (F_V - F_A)^2 f_{SD^-}(x, y)]$$

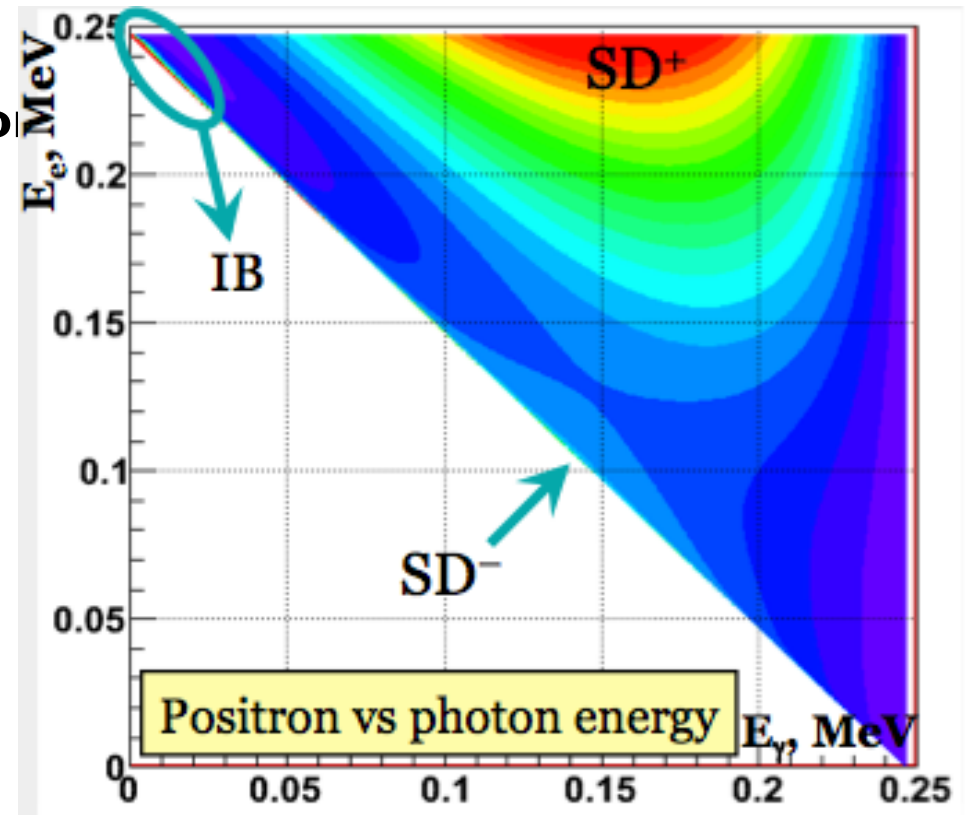
KLOE 2009 measurement for $E^*\gamma > 10$ MeV and $p^*e > 200$ MeV:

- $\delta\Gamma(\text{SD}^+)/\Gamma(\text{SD}^+) \sim 4\%$
- ~ 1500 cts, bkg contributes to error
- **No sensitivity to SD^-**
- Fair agreement with $\chi\text{Pt O}(p^4)$
- Data tends to favour slope for F_V ,

$$\lambda = 0.38 (20)_{\text{stat}} (2)_{\text{syst}}$$

but can't state $\lambda \neq 0 @ >2\sigma$

Imply 0.15% error for $R_K(\text{NA62})$



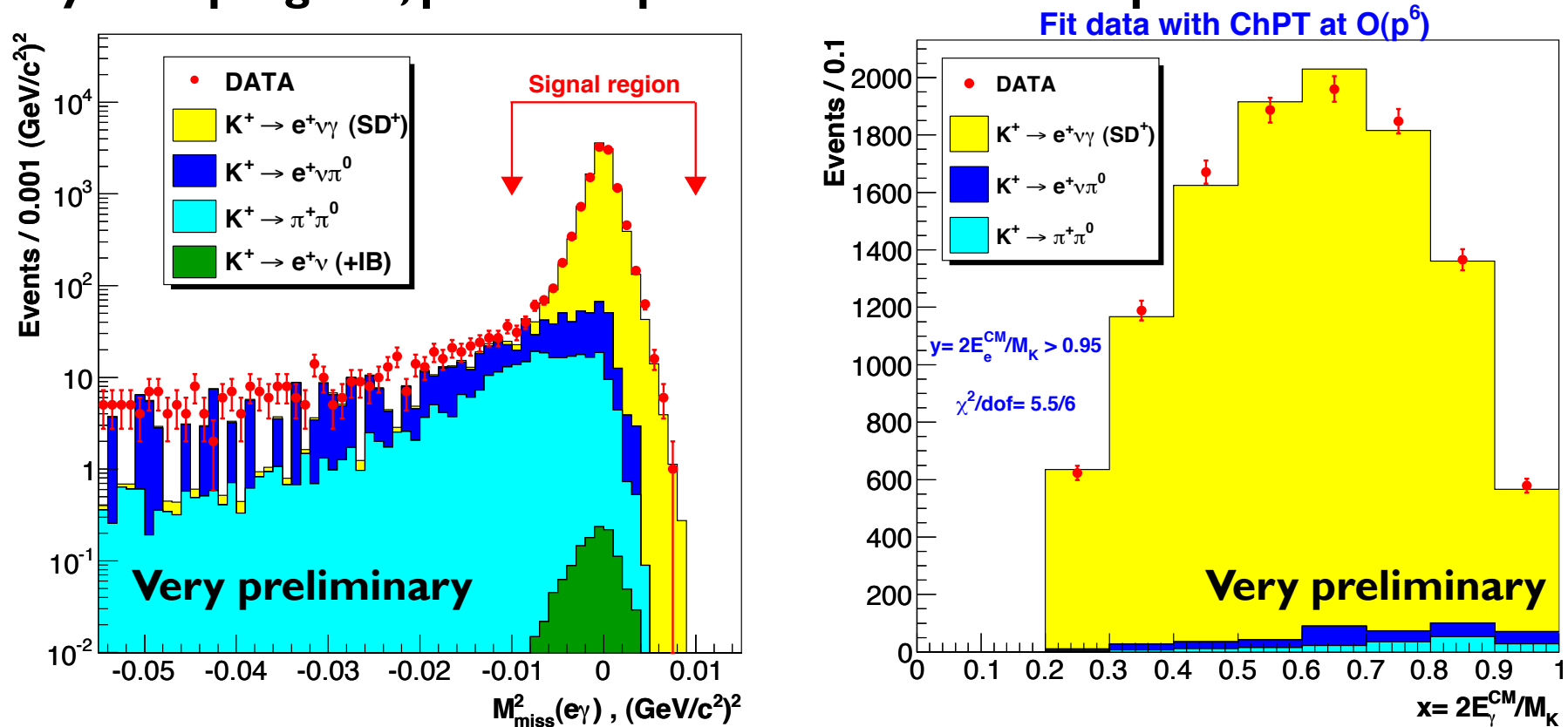
$K^+ \rightarrow e^+ \nu \gamma$ SD analysis at NA62

Selection of SD component, many steps common to the R_K analysis

$\pi\pi^0$, $Ke3$ backgrounds \rightarrow photon explicitly detected + tighter e PID

Will count ~ 10 k events w $P_e^* > 234$ MeV, 10% acceptance, few % bkg

Analysis in progress, plan is to perform a model-independent FF mmt



$K^+ \rightarrow \pi^+ \gamma \gamma$ decay at ChPT $\mathcal{O}(p^4)$

Contributions to amplitude $M(K^+(p) \rightarrow \pi^+(p')\gamma(q_1, \epsilon_1)\gamma(q_2, \epsilon_2))$ **from $\mathcal{O}(p^4)$**

$$\epsilon_\mu(q_1)\epsilon_\nu(q_2) \left[A(y, z) \frac{(q_2^\mu q_1^\nu - q_1 \cdot q_2 g^{\mu\nu})}{M_K^2} + C(y, z) \epsilon^{\mu\nu\alpha\beta} \frac{q_{1\alpha} q_{2\beta}}{M_K^2} \right]$$

where $y = p \cdot (q_1 - q_2)/M_K^2$ and $z = (q_1 + q_2)^2/M_K^2$

A from $L_{ew}L_{QDC}$ loops + L_{QDC} $\mathcal{O}(p^4)$ counter terms + L_{weak} $\mathcal{O}(p^4)$:

$$A(z) = \frac{G_8 M_K^2 \alpha}{2\pi z} \left[(r_\pi^2 - 1 - z) F\left(\frac{z}{r_\pi^2}\right) + (1 - r_\pi^2 - z) F(z) + \hat{c}z \right]$$

$$\hat{c} = \frac{128\pi^2}{3} [3(L_9 + L_{10}) + N_{14} - N_{15} - 2N_{18}]$$

C from anomaly (WZW), accounts for ~10% of width

Both A and C independent of y @ $\mathcal{O}(p^4)$

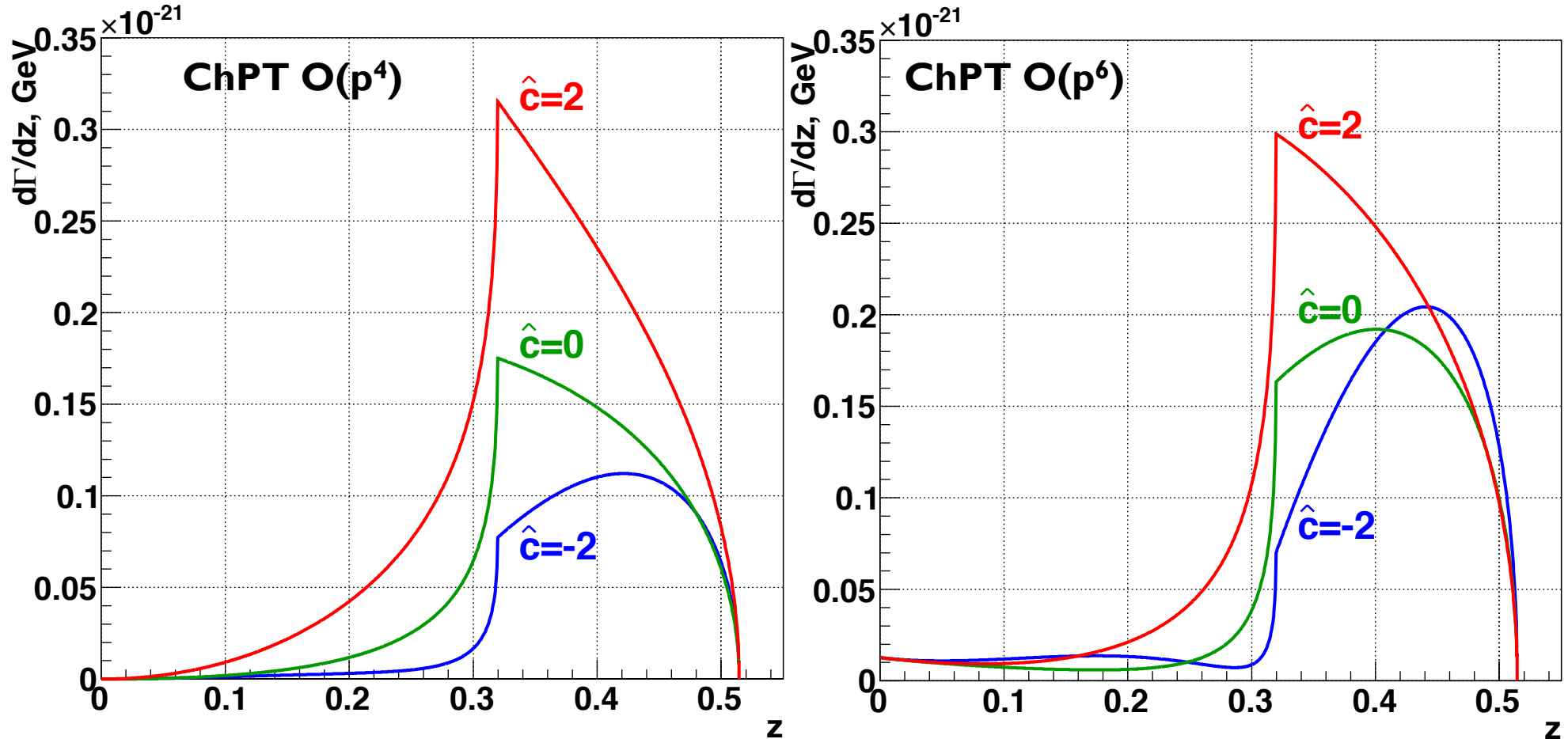
$$\Gamma = \Gamma_{loops} + \Gamma_{WZW} = (2.80 + 0.87 \hat{c} + 0.17 \hat{c}^2 + 0.26) 10^{-23} \text{ GeV}$$

Expect $\hat{c} \sim 1$, rate dominated by π loop with cusp @ $z = z_+ = (2M_{\pi^+}/M_K)^2$

$K^+ \rightarrow \pi^+ \gamma \gamma$ decay, ChPT $O(p^4)$ vs $O(p^6)$

@ $O(p^6)$ loop amplitude correction, evaluated from $K \rightarrow 3\pi$ @ $O(p^4)$

@ $O(p^6)$ A gets a y dependence, sizable correction to $d\Gamma/dz$ for $z < z_+$



$K^+ \rightarrow \pi^+ \gamma \gamma$ decay at ChPt $O(p^4)$ vs $O(p^6)$

$O(p^6)$ correction might increase rate by 30-40%

Additional unknown parameters:

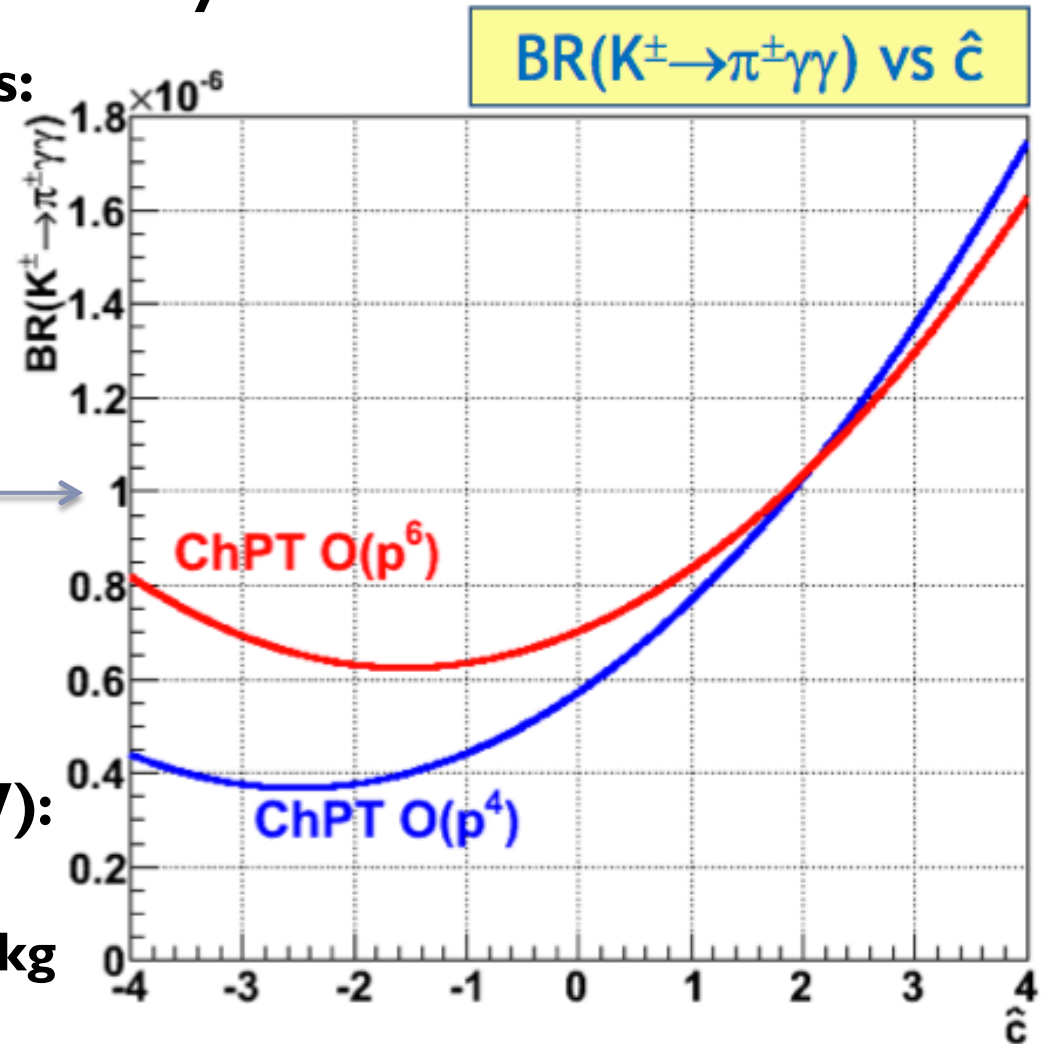
finite part of counterterms
(polynomial contribution)

Example for polynomial contributions $\eta_i = 0$ and $K_{3\pi}$ amplitude parameters from Bijens, Dhonte, Borg [NPB 648 (2003) 317]

Experimental status, E787 (1987):

$$BR = (1.10 \pm 0.32) \times 10^{-6}$$

31 candidates counted, 5 exp. bkg

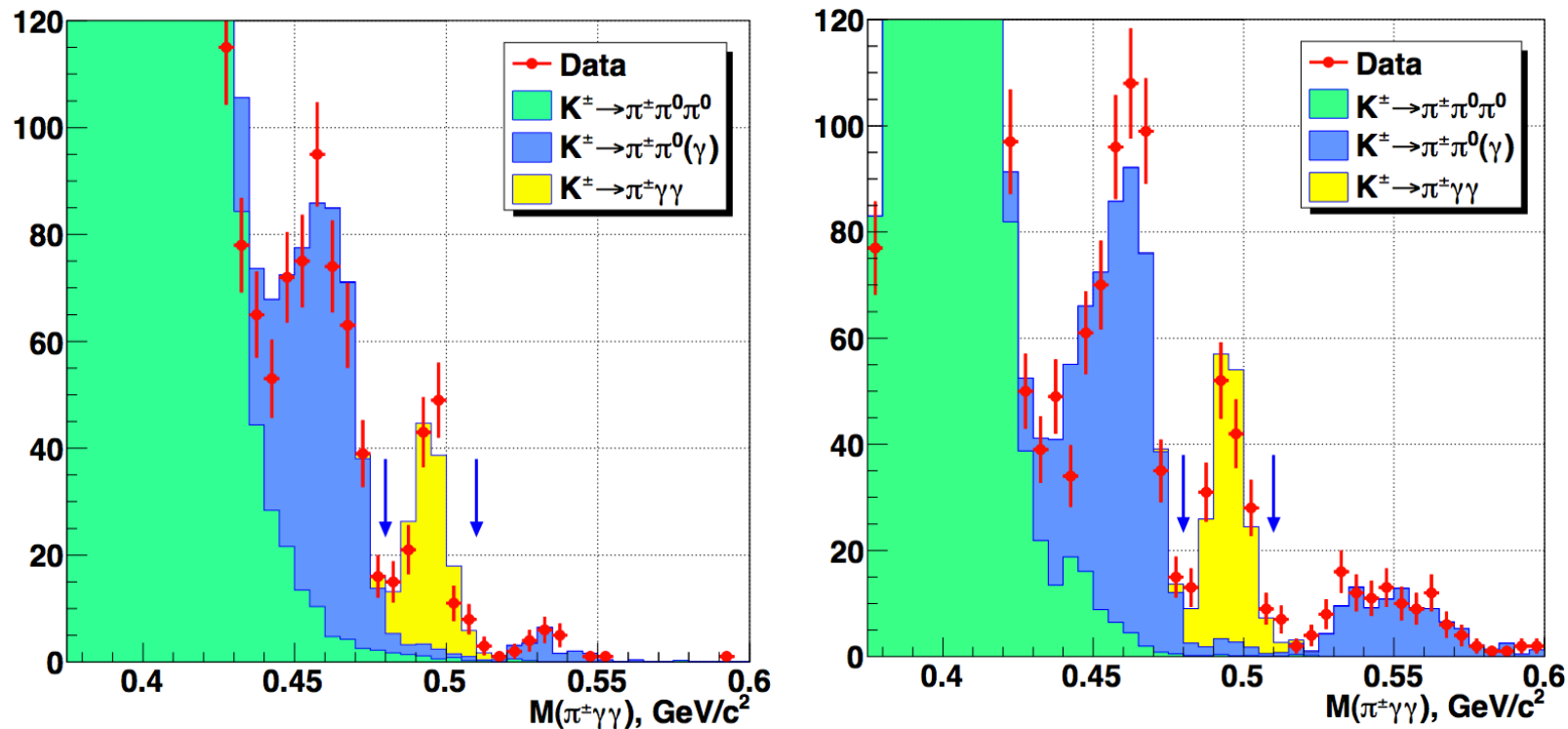


$K^+ \rightarrow \pi^+ \gamma \gamma$ analysis at NA62

Mmt starts from data acquired w no $K \rightarrow \pi \gamma$ -specific trigger

For NA48/2 (NA62) data dominated by $K \rightarrow 3\pi$ ($K \rightarrow e\nu$) trigger data set

From minimum-bias samples, ~ 300 candidates with $O(10\%)$ bkg

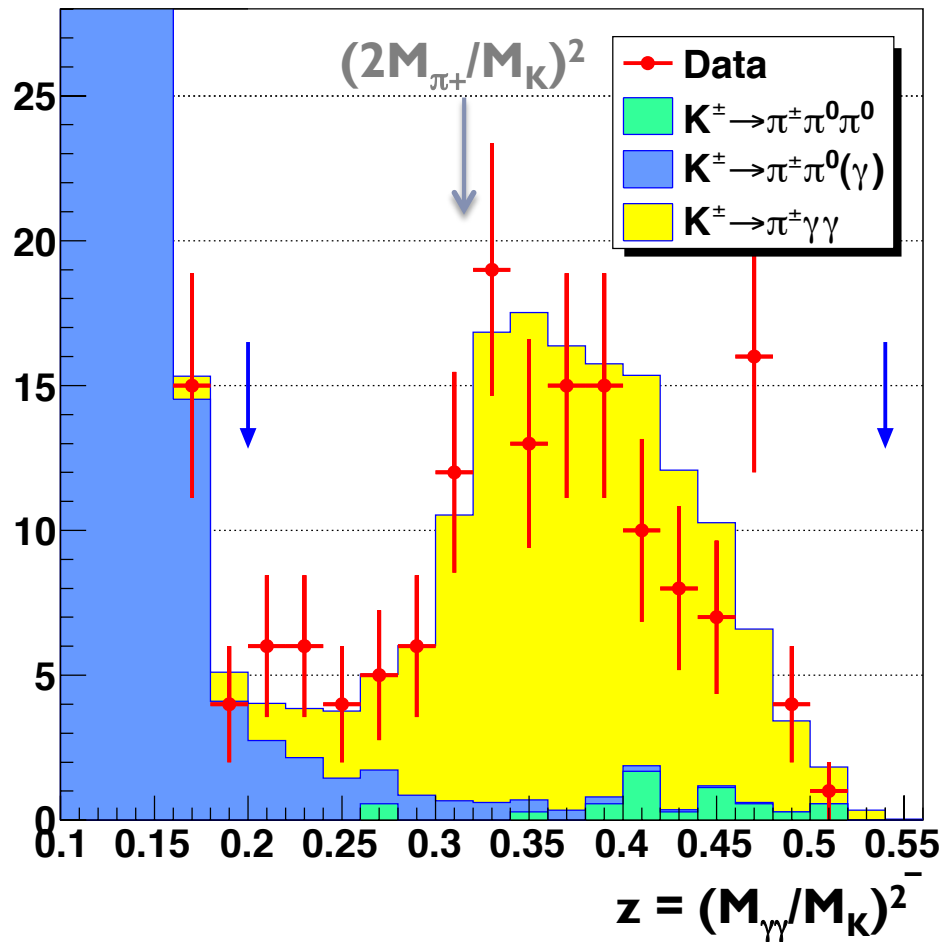


Background dominated by $K^+ \rightarrow \pi^+ \pi^0(\pi^0)(\gamma)$ with γ -- γ cluster merging

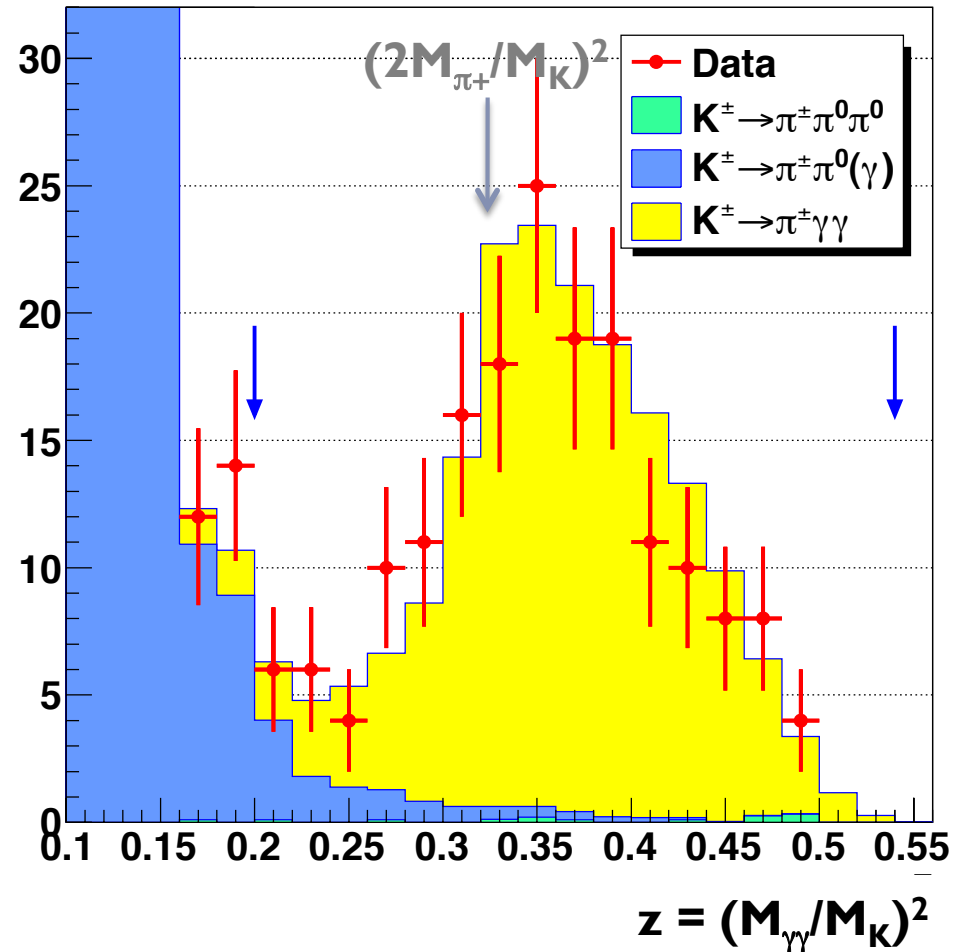
$K^+ \rightarrow \pi^+ \gamma \gamma$ analysis at NA62: ChPT fits

Background limits sensitivity to $z > \sim 0.2$

2004 data from NA48/2



2007 data from NA62

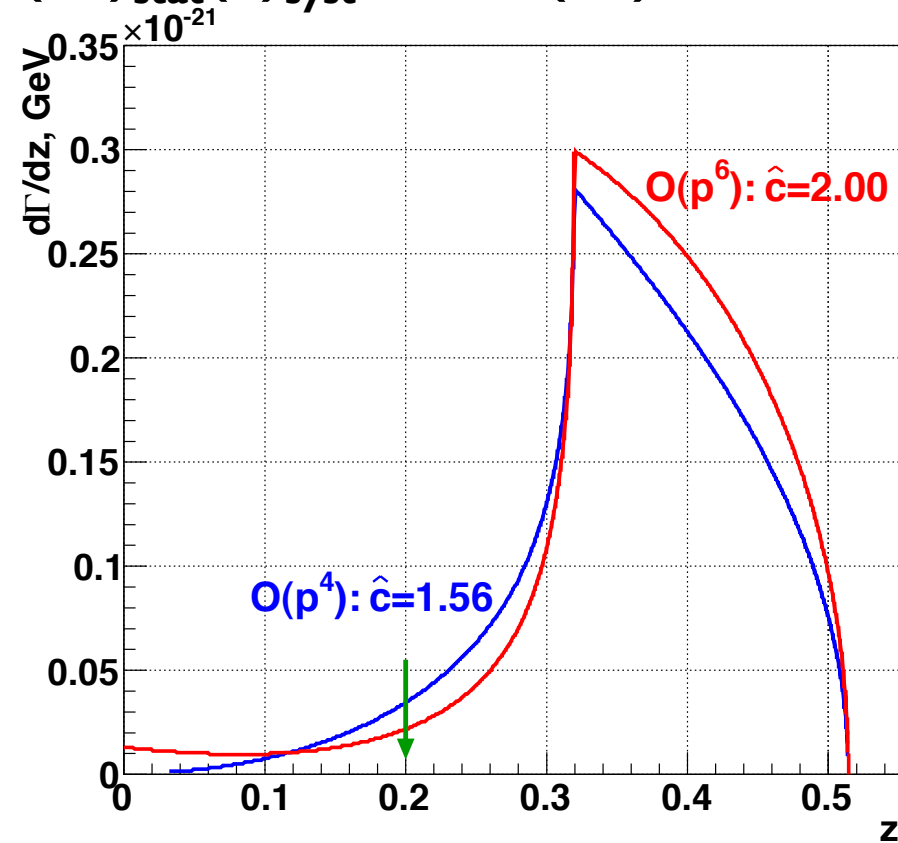
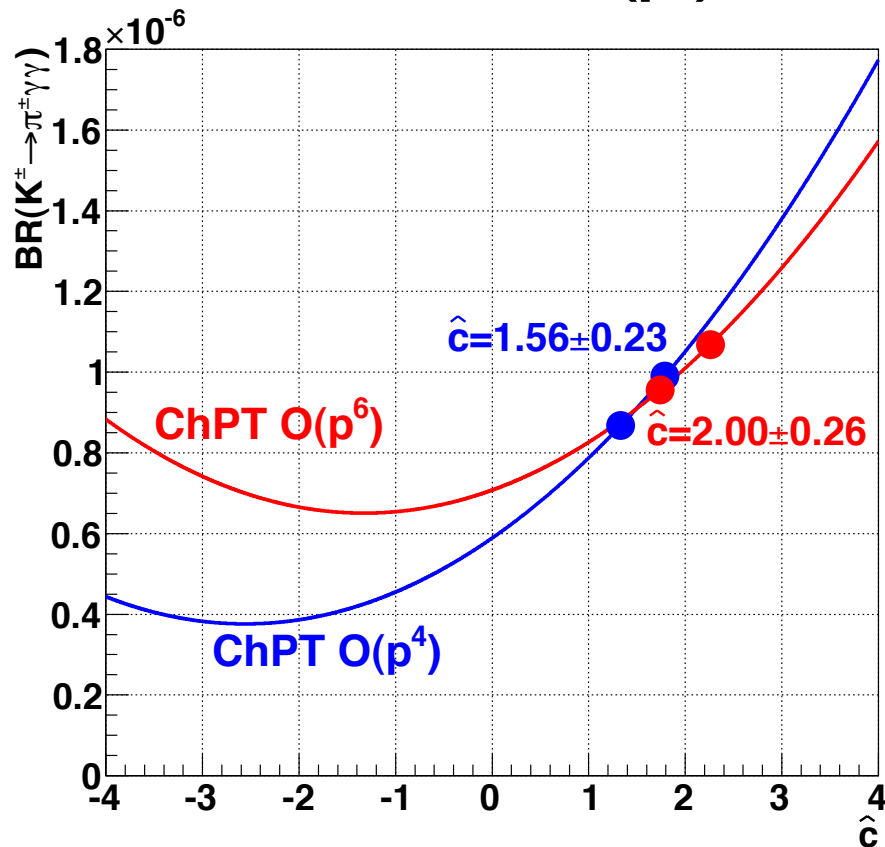


$K^+ \rightarrow \pi^+ \gamma \gamma$ analysis @NA62: preliminary results

Preliminary results for combined samples (NA48/2 and NA62):

Fit to ChPT $O(p^4)$: $\hat{c} = 1.56(22)_{\text{stat}}(7)_{\text{syst}} = 1.56(23)$

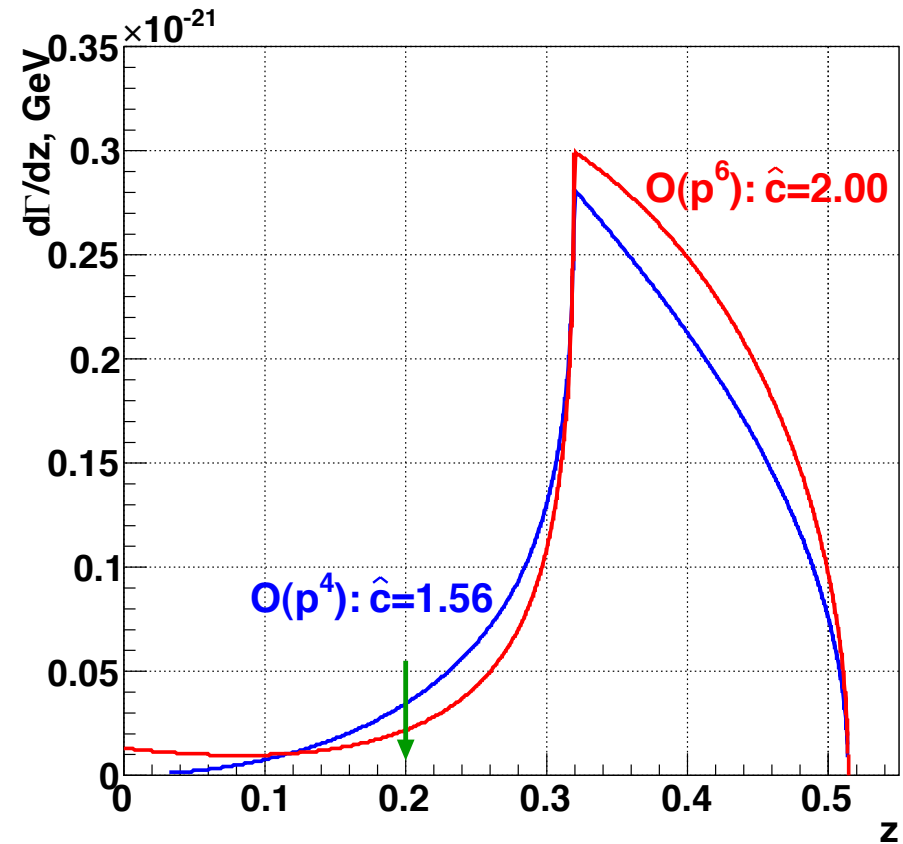
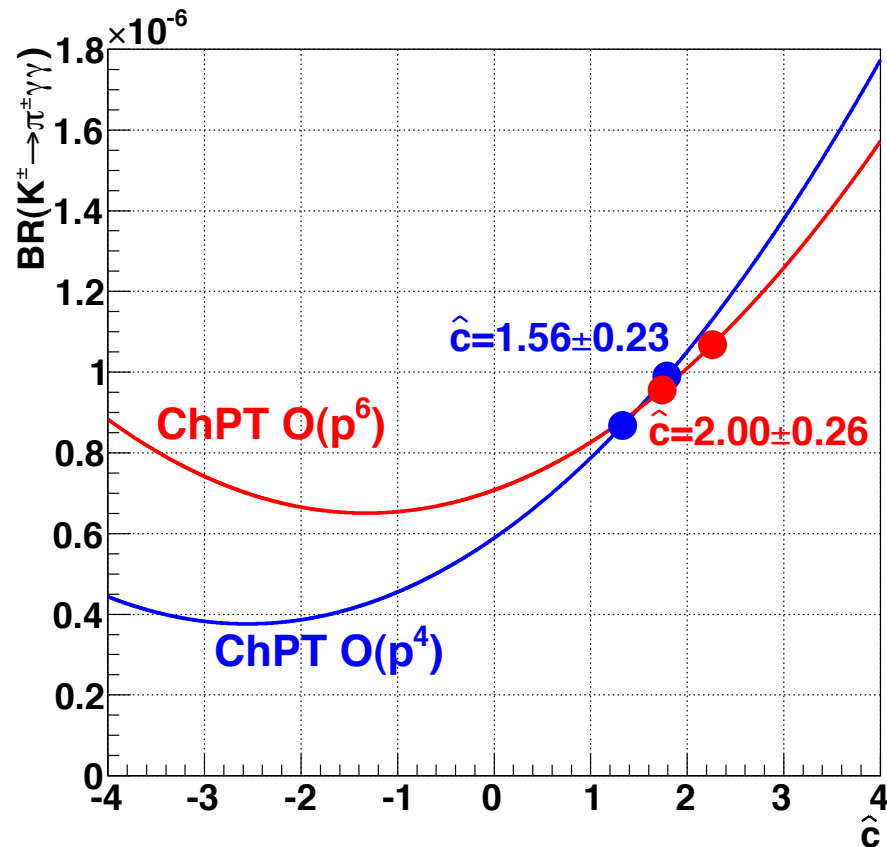
Fit to ChPT $O(p^6)$: $\hat{c} = 2.00(24)_{\text{stat}}(9)_{\text{syst}} = 2.00(26)$



$K^+ \rightarrow \pi^+ \gamma \gamma$ analysis @NA62: preliminary results

Fits yield $\hat{c} \sim 2$, can't distinguish btw $O(p^4)$ and $O(p^6)$

BR = $1.01(6) \times 10^{-6}$, improves by $\sim \times 5$ on present knowledge



Golden K modes for new-physics search

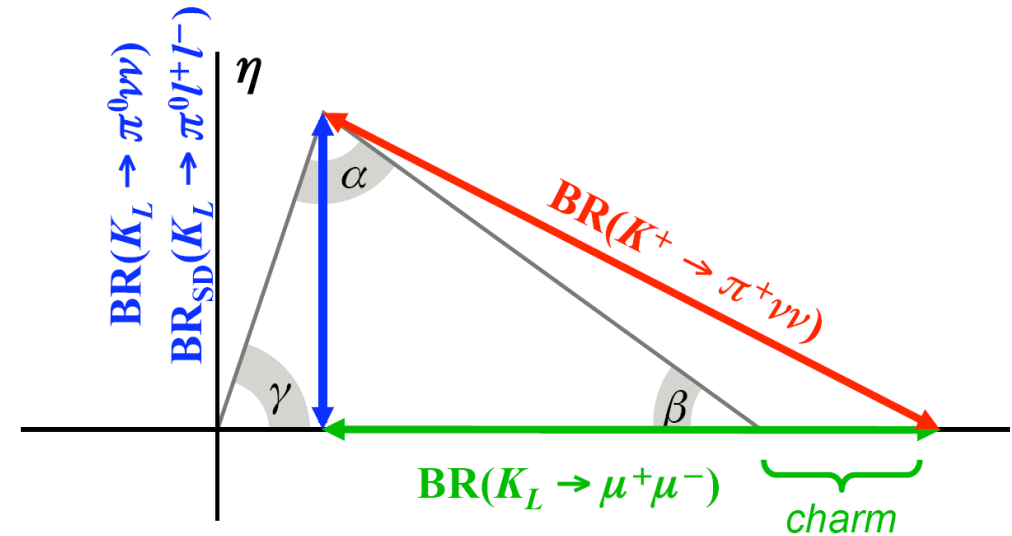
FCNC processes dominated by Z-penguin and box diagrams

Can give direct information on CKM matrix elements:

No long distance contributions from processes with intermediate γ 's

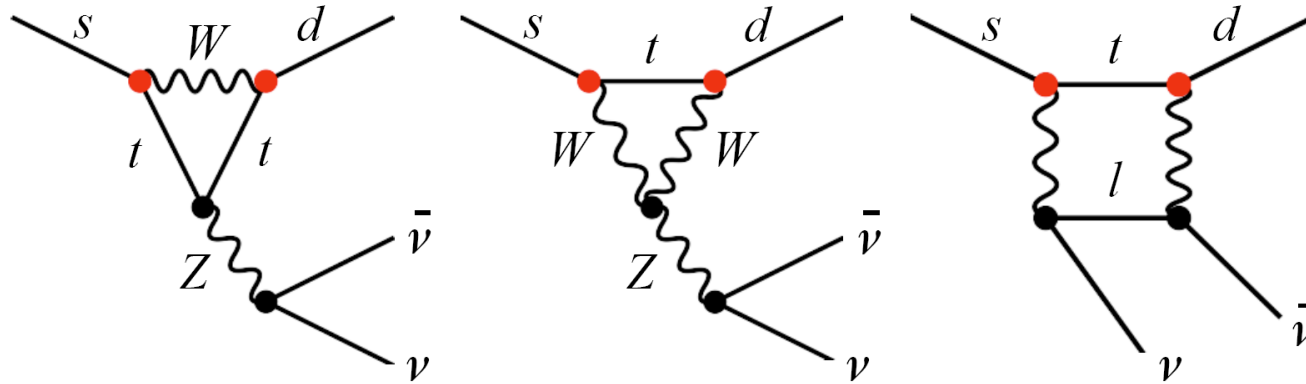
Hadronic matrix elements can be obtained from BR's of leading K decays

$K_L \rightarrow \pi^0 \nu \nu$ is nearly pure due to direct CPV (1% contribution from mixing CPV)



	Γ_{SD}/Γ	Irreducible theory err. (amp)	SM BR
$K_L \rightarrow \pi^0 \nu \nu$	>99%	2%	3×10^{-11}
$K^+ \rightarrow \pi^+ \nu \nu$	88%	4%	8×10^{-11}
$K_L \rightarrow \pi^0 e^+ e^-$	38%	15%	3.5×10^{-11}
$K_L \rightarrow \pi^0 \mu^+ \mu^-$	28%	30%	1.5×10^{-11}

Standard model prediction for $K \rightarrow \pi \nu \bar{\nu}$



SM prediction (10^{-11} units) [Brod, Gorbahn and Stamou 2011 and refs therein]

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) = \kappa_+ (1 + \Delta_{\text{EM}}) \left[\left(\frac{\text{Im} \lambda_t}{\lambda^5} X_t \right)^2 + \left(\frac{\text{Re} \lambda_c}{\lambda} (P_c + \delta P_{c,u}) + \frac{\text{Re} \lambda_t}{\lambda^5} X_t \right)^2 \right] = (7.81_{-0.71}^{+0.80} \pm 0.29)$$

$$\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) = \kappa_L \left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 = (2.43_{-0.37}^{+0.40} \pm 0.06) \text{ where } x_q \equiv m_q^2/m_W^2,$$

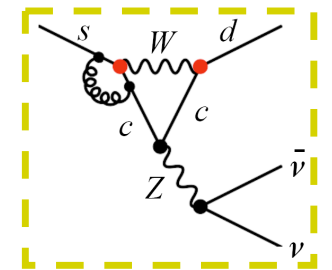
$$\begin{aligned} \lambda &= V_{us} \\ \lambda_c &= V_{cs}^* V_{cd} \\ \lambda_t &= V_{ts}^* V_{td} \end{aligned}$$

Loops favor top contribution

Hadronic matrix elements from BR(Ke3) via isospin rotation

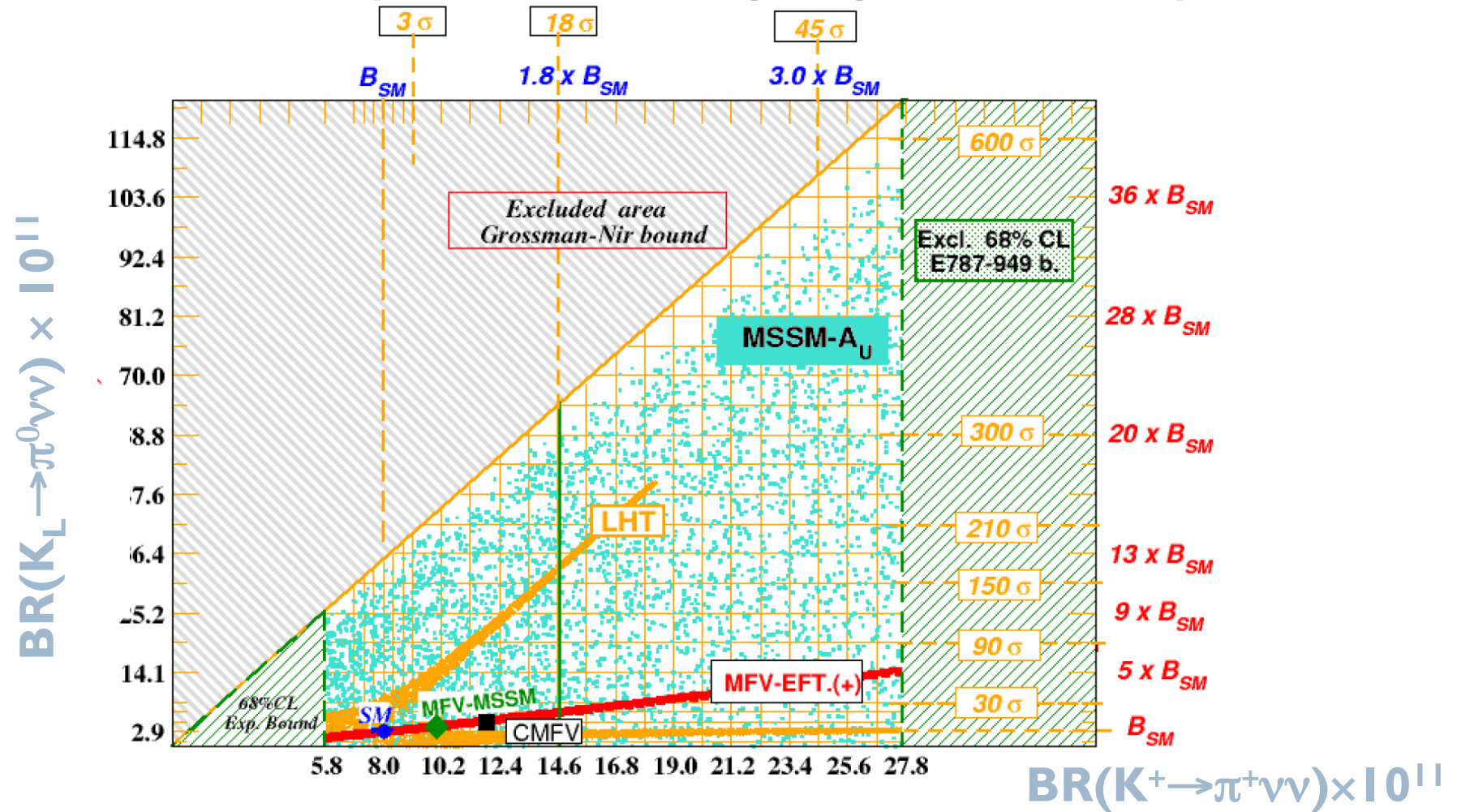
Charm contributes to theory error: 4% (2%) for K^+ (K_L)

Error on input parameters ($V_{cb}, \rho, \eta, \dots$) dominant wrt other theory errors



Beyond standard model prediction for $K \rightarrow \pi \nu \nu$

Deviations from SM by more than 10% quite possible in many NP models



Experimental methods for $K^+ \rightarrow \pi^+ \nu \nu$

Main backgrounds to $K^+ \rightarrow \pi^+ \nu \nu$:

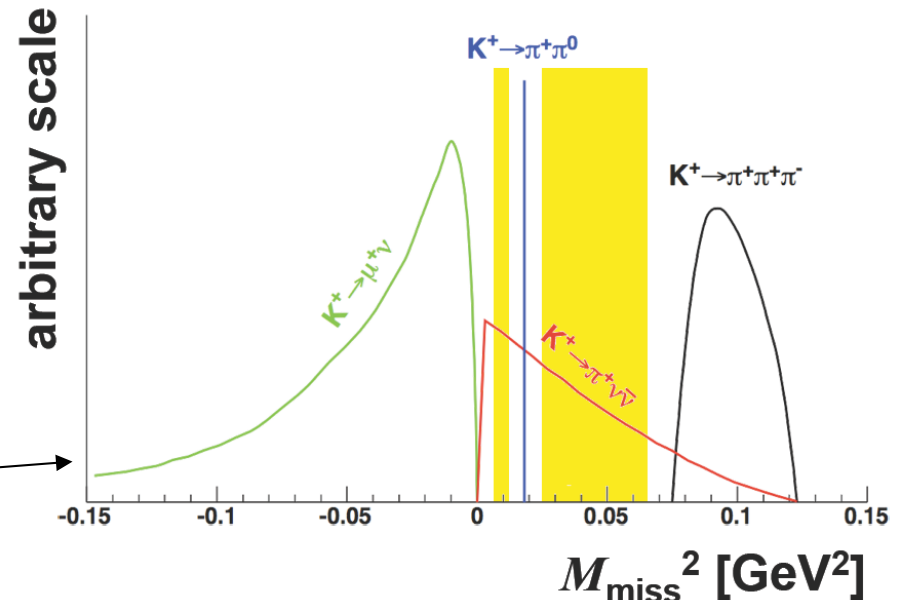
$K^+ \rightarrow \mu \nu$ with π ID for μ

need excellent PID, especially μ/π

$K^+ \rightarrow \pi \pi^0(\gamma)$ with γ 's lost

need excellent γ vetoes

Kinematic rejection for 2 body



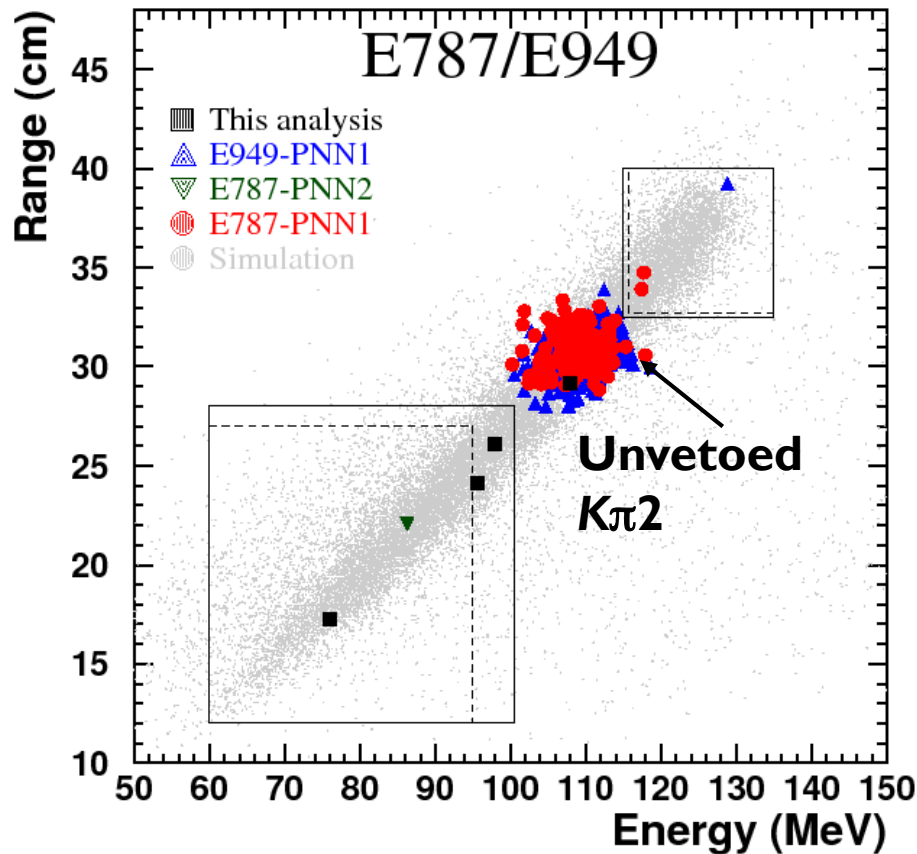
To reach 10^{-12} , PID & vetoes also reject unclosed bkg (K_{13} , K_{14} , ...)

	Stopped K^+	Decay in flight
Kinematics	K^+ at rest	Must track K^+
Photon vetoes	Low-energy photons	High-energy photons
PID	Range π - μ - e decay chain	Advanced Cerenkov counters Muon detectors

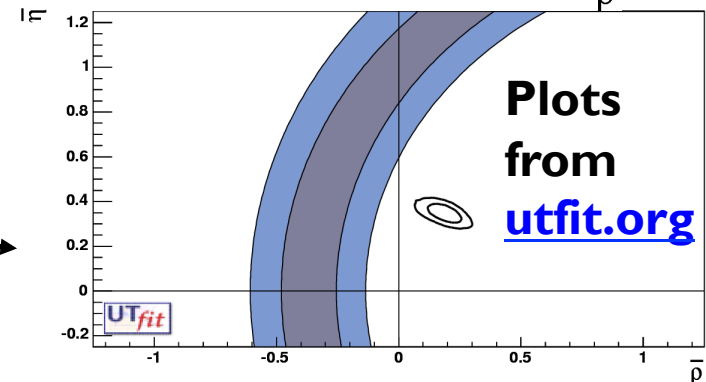
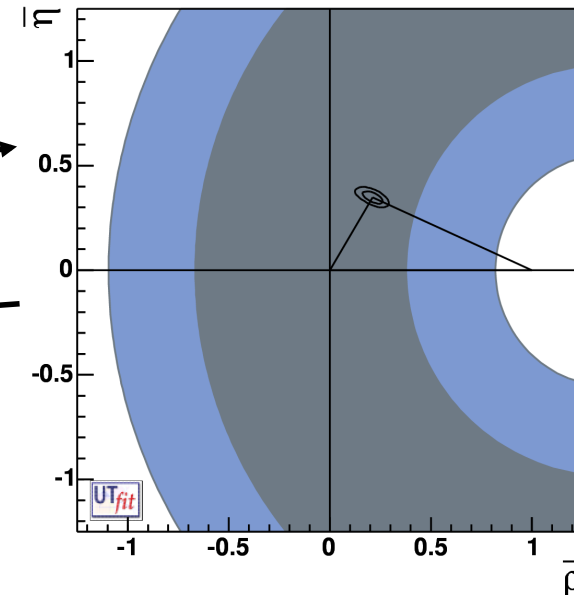
Experimental status for $K^+ \rightarrow \pi^+ \nu \bar{\nu}$

In 2008, combine E787 (1995-8 runs) & E949 (12-weeks run in 2001) results

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) = (1.73^{+1.15}_{-1.05}) \times 10^{-10}$$



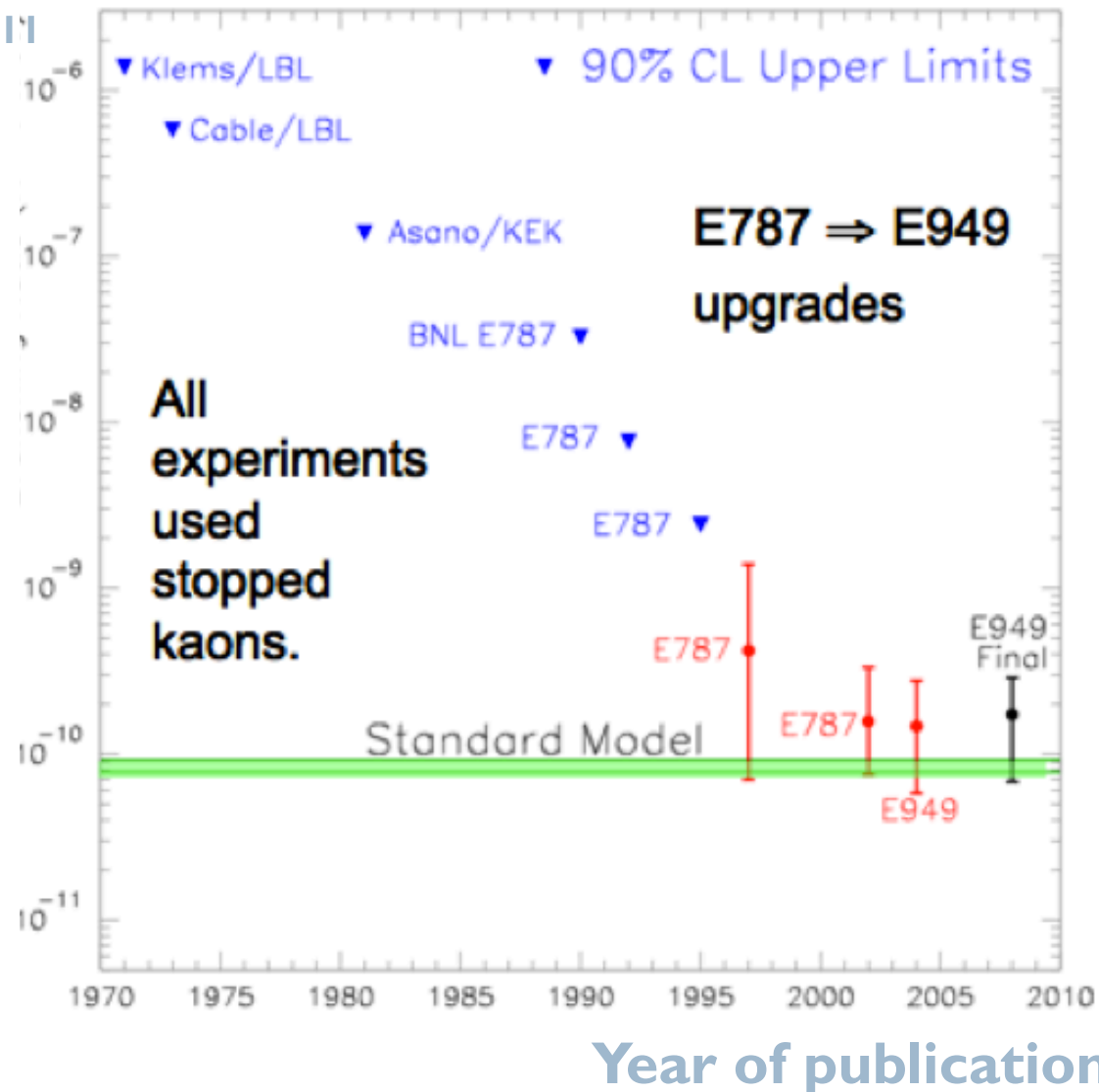
Same central value, 100 evts



Expected bkg 2.6 events, prob. all 7 obs. evts are bkg is $\sim 10^{-3}$

Hopefully not the end of a long story...

$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu}) \times 10^{11}$



NA62 guiding principles

Support a high-rate environment

high-resolution timing, charged hodoscope (scintillator), $\sigma_t < 200$ ps

Kinematic rejection of $\sim 10^4$ by cutting on missing mass at decay

- fast tracking of incoming particles: 3 Si-pixel stations, $\delta x \sim 200$ μ , hit $\varepsilon > 99\%$, provide $\delta P/P \sim 0.2\%$, sustain 800 MHz beam flux, $\sigma_t < 200$ ps/station
- tracking of daughter particles: 4 stations of straw tubes in vacuum, hit $\varepsilon > 99\%$, provide $\delta P/P < 1\%$, sustain 500 kHz in hottest area

Rejection of $\sim 10^3$ for $K_{\mu 2,3,4}, e_{2,3,4}, \dots$ bkg, PID for all charged particles

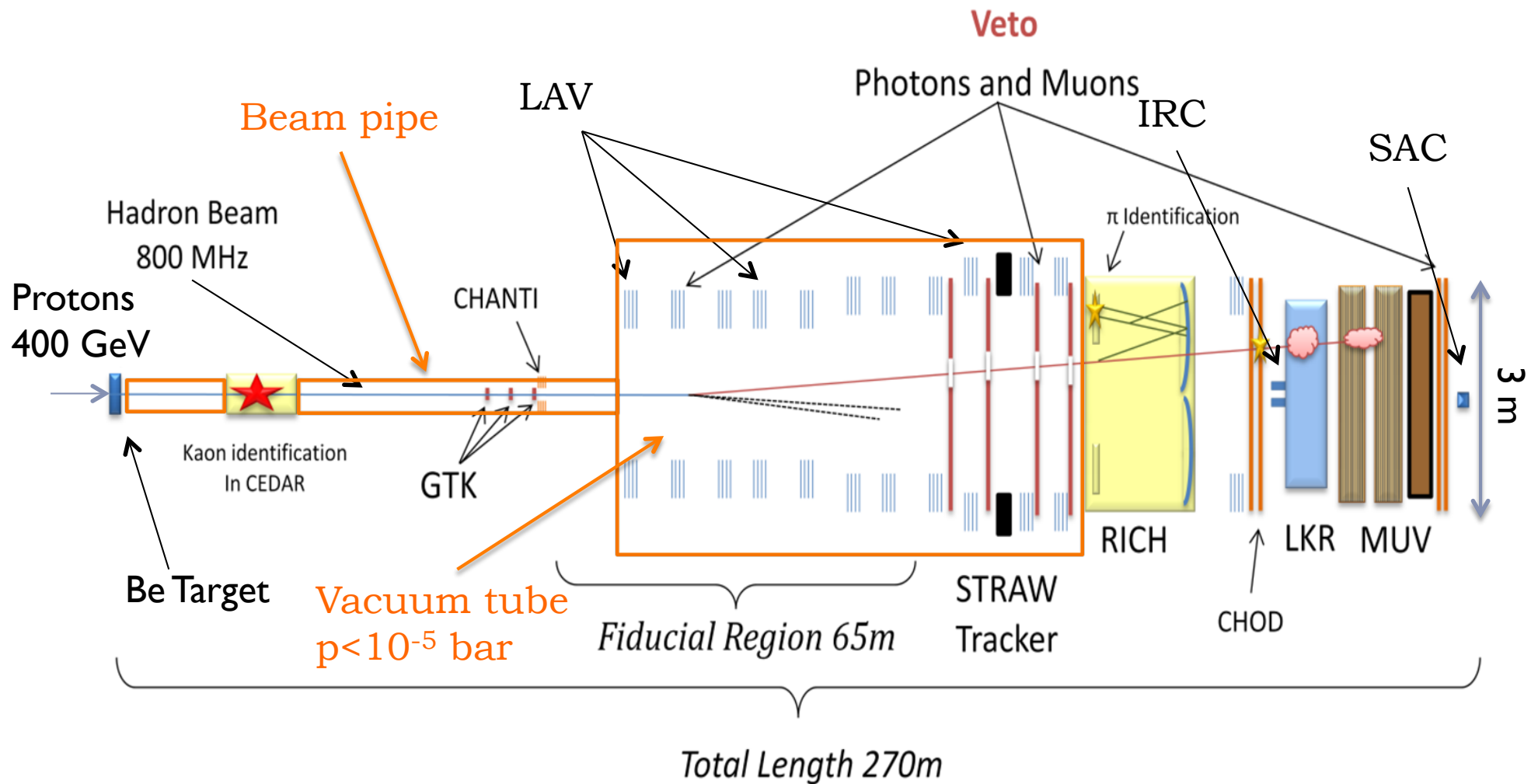
- positive, non-destructive ID for incoming K: Thr. Č, $\sigma_t \sim 100$ ps, $>99\%$ K purity, 50 MHz operation
- ID for daughter pions, muons, electrons: RICH, reduces μ bkg $< 1\%$ up to 35 GeV, $\sigma_t < 100$ ps
- ID for outgoing μ 's: iron/scintillator calorimeters, $1-\varepsilon < 10^{-5}$ for μ 's

Rejection of $\sim 10^8$ for modes with π^0 's and $\sim 10^4$ for single photon

- Hermetic, high-efficiency γ veto, 0--50 mrad: 5×10^{-8} rejection for $K \rightarrow \pi\pi^0$

Redundancy of information

The in-flight approach, NA62 @ CERN



NA62 expected sensitivity

Decay Mode	Events
Signal: $K^+ \rightarrow \pi^+\nu\nu$ [flux = 4.8×10^{12} decay/year]	55 evt/year
$K^+ \rightarrow \pi^+\pi^0$ [$\eta_{\pi^0} = 2 \times 10^{-8}$ (3.5×10^{-8})]	4.3%
$K^+ \rightarrow \mu^+\nu$	2.2%
$K^+ \rightarrow e^+\pi^+\pi^-\nu$	$\leq 3\%$
Other 3 – track decays	$\leq 1.5\%$
$K^+ \rightarrow \pi^+\pi^0\gamma$	$\sim 2\%$
$K^+ \rightarrow \mu^+\nu\gamma$	$\sim 0.7\%$
$K^+ \rightarrow e^+(\mu^+)\pi^0\nu$, others	negligible
Expected background	$\leq 13.5\%$

Aim to obtain $O(\sim 10\%)$ signal acceptance with $< 10\%$ background

year & running efficiency from NA48 story: ~ 100 days/year, 60% data taking eff.

Conclusions: NA62 past, present, and future

In 2007-2008, NA62 “RK phase”:

- **Runs with original NA48/2 detector, beam carefully tuned for the measurement of $R_K = \Gamma(K_{e2})/\Gamma(K_{\mu2})$, now (2012) at few per mil**
- **Data acquired useful for ChPt studies here presented: $K_{e2}\gamma$, $K^+ \rightarrow \pi^+\gamma\gamma$**
- **In parallel, R&D studies for new sub-detectors**
- **December 2008, approval by CERN research board**

In 2009-2010, the new NA62 experiment:

- **Collaboration consolidated, presently ~250 participants from 26 institutes**
- **Main beam tests for advanced prototypes (RICH, GTK) or parts of single sub-detectors (LAV)**

In 2011-2013, construction & commissioning: dry & technical runs

In 2014, first physics run after long shutdown

K \rightarrow $\pi\nu\nu$ sensitivity summary

Expt	Primary beam	Intensity (ppp)	SM evts/yr	Start date + run yrs	Total SM evts
NA62	SPS 450 GeV	3×10^{12}	55	2014+2	110
FNAL K^\pm	Project X 8 GeV	2×10^{14}	250	2018+5	1250
ORKA	Tevatron up <150 GeV	5×10^{13}	120	2018+5	600
E14	JPARC-I 30 GeV	2×10^{14}	1-2	2013+3?	3-7
E14	JPARC-II 30 GeV	3×10^{14}	30	2020+3?	100
FNAL K_L	Booster 8 GeV	2×10^{13}	30	2016+2	60
FNAL K_L	Project X 8 GeV	2×10^{14}	300	2018+5	1500

All dates/estimates are speculative, some are more speculative than others

Spare slides

Fast tracking before decay volume – GTK

Aim to measure time, coordinates, and momentum of individual particles in a 800 MHz beam

3 silicon μ -pixel stations, $<0.5\% X_0$ each

Other demanding constraints:

100 μm space resolution

$\delta p/p \sim 0.2\%$, i.e., $\delta p \sim 150 \text{ MeV}$

$\delta\alpha/\alpha \sim 12 \mu\text{rad}$

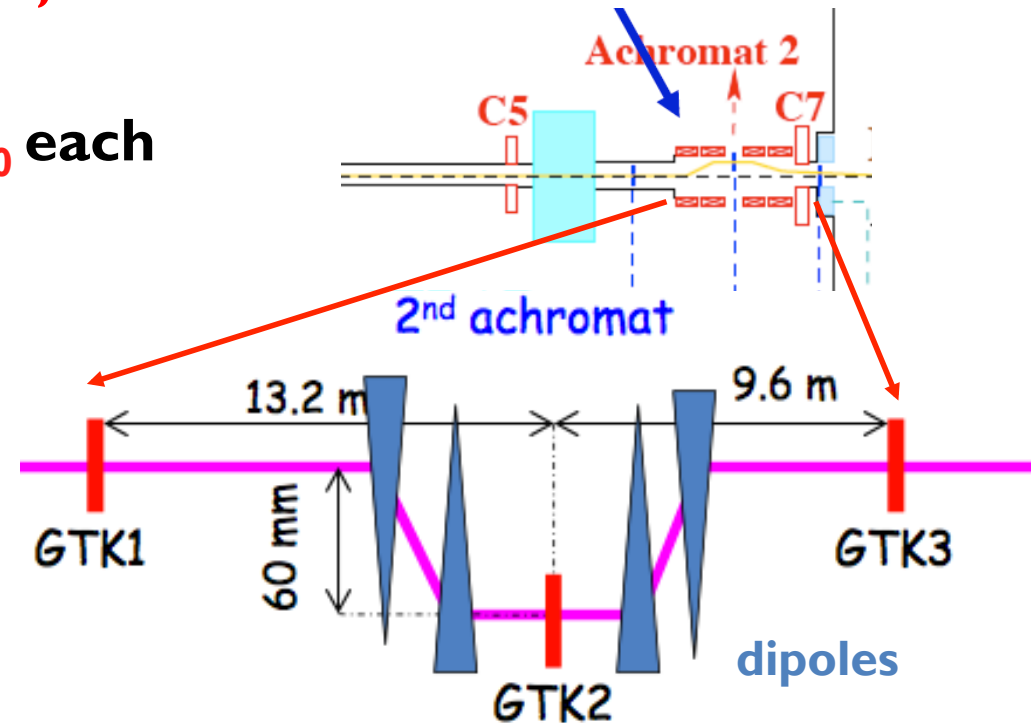
Structure:

18000 $300 \times 300 \mu\text{m}^2$ pixels, sensitive area of $60 \times 27 \text{ mm}^2$

Technological challenge:

$<1\%$ hit mismatch @ 800 MHz \rightarrow 200 ps time resolution

read out able to sustain rates up to 150 KHz/pixel



GTK technology and read out

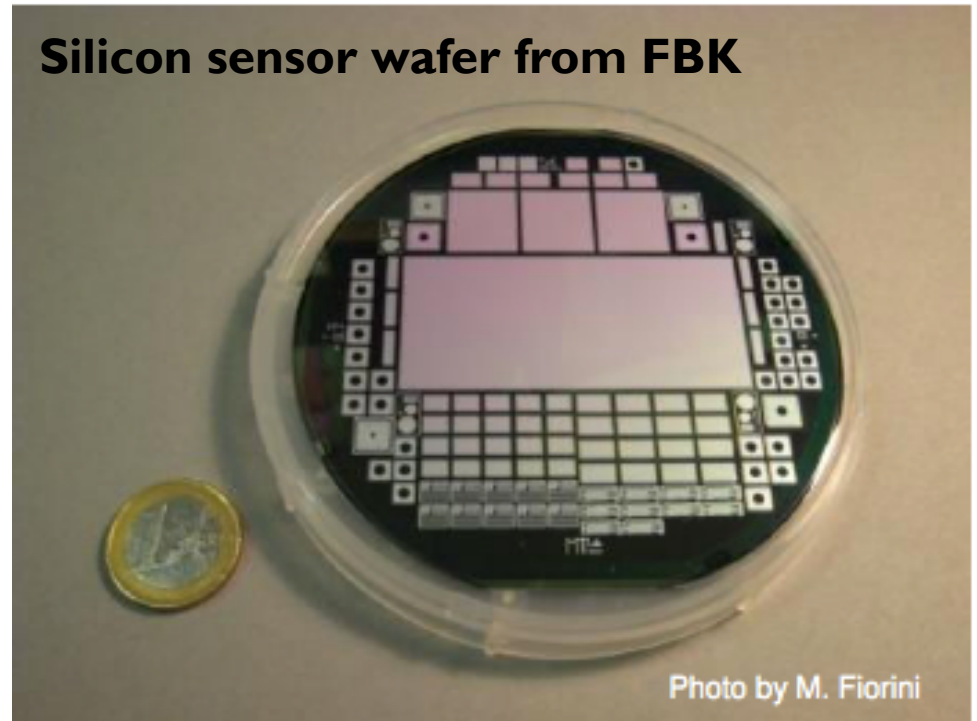
Have to read out with dead time < 100 ns, with a charge/pixel varying between 0.8 fC (5000 e-) to 10 fC (60000 e-)

have to correct for slewing

maintain noise < 200 e-

operate with reasonable power consumption, < 2 W/cm²

R&D completed



2 read out prototypes developed & compared, both with FE circuits in 130-nm IBM CMOS technology

For details, see Report by J. Kaplon et al., IEEE NSS conference, Orlando, FA, USA



Photon vetoing in NA62

Have to reject $K^+ \rightarrow \pi^+\pi^0$ @ the level of 10^{-12}

Need π^0 rejection of $O(10^{-8})$ for γ 's from K decay in FV (~60 m)

A composite system:

Very small angle, below 2 mrad

A new compact calorimeter

Inefficiency required $< 10^{-6}$ for γ 's above 6 GeV

Small angle, 1 to ~8 mrad:

Re-use NA48 **LKr calor.**, $\sigma_E/E = 0.032/\sqrt{E[\text{GeV}]} + 0.09/E[\text{GeV}] + 0.0042$

Inefficiency measured $< 10^{-5}$, for γ 's above 6 GeV

Large angle, ~8 to 50 mrad:

A new veto system (LAV system)

Inefficiency required $< \sim 10^{-4}$ for $100 \text{ MeV} < E_\gamma < 25 \text{ GeV}$

Able to operate in a vacuum of 10^{-6} mbar



Large angle veto layout and geometry

Rearrange SF4 lead crystals from OPAL in staggered layers (rings)
Install rings inside existing vacuum vessel (so called “blue tube”)

12 stations of increasing diameter cover hermetically the range $\theta = 7\text{--}50$ mrad

3 different sizes of vacuum vessels (last downstream station operated in air)

4 to 5 layers/station for a total depth of 29 to 37 X_0 , particles traverse $> 20 X_0$

32 to 48 crystals/layer

A total of ~ 2500 blocks

